



University
of Glasgow



UNIVERSITY OF
LEICESTER

On the jet structure of GRBs through X-ray light curve modeling

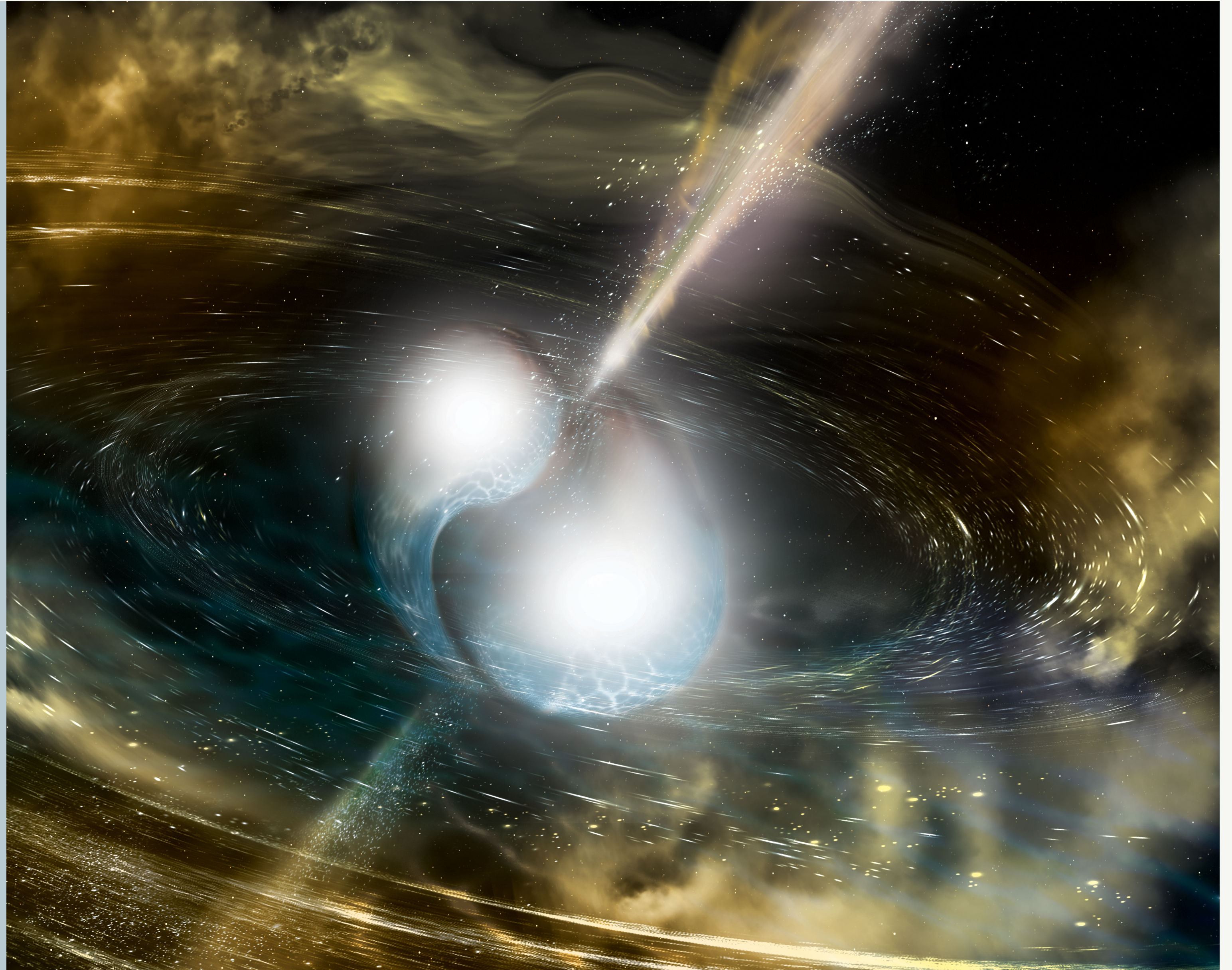


En-Tzu Lin (林恩慈), Institute of Astronomy, National Tsing Hua University

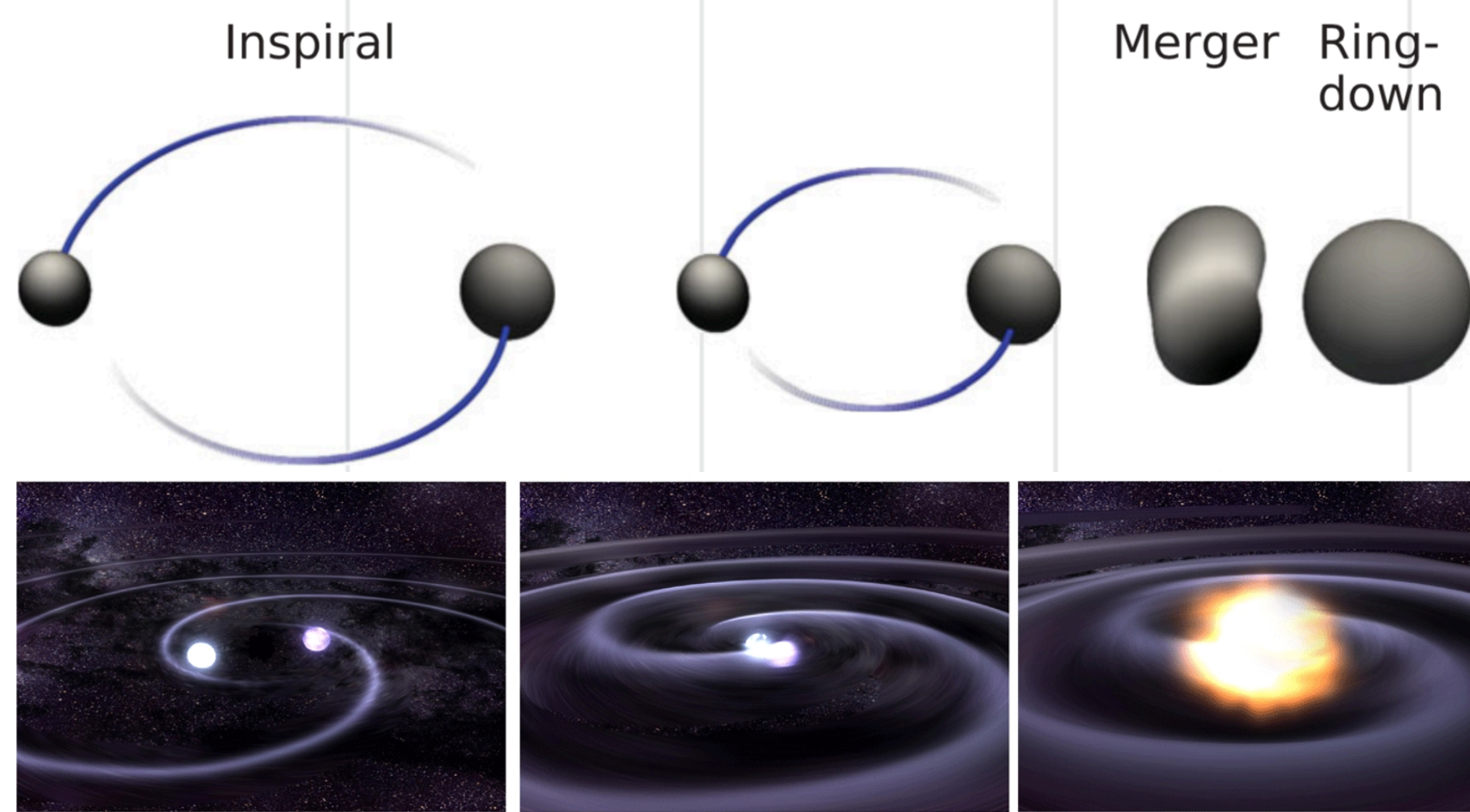
Supervisor: Albert K. H. Kong (National Tsing Hua University)

Collaborators: Fergus Hayes (University of Glasgow, U.K.), Ik Siong Heng (University of Glasgow, U.K.), Gavin P. Lamb (University of Leicester, U.K.)

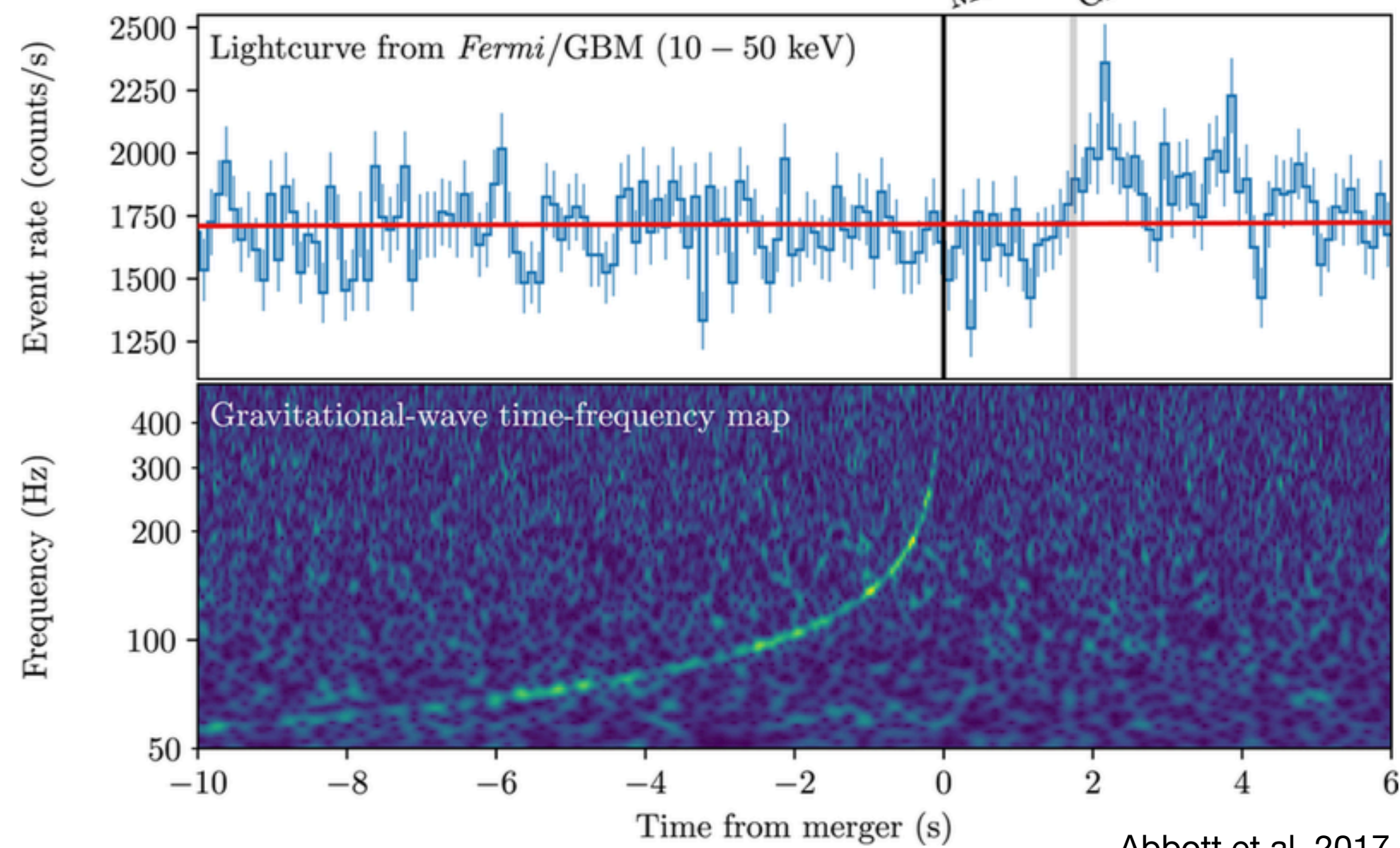
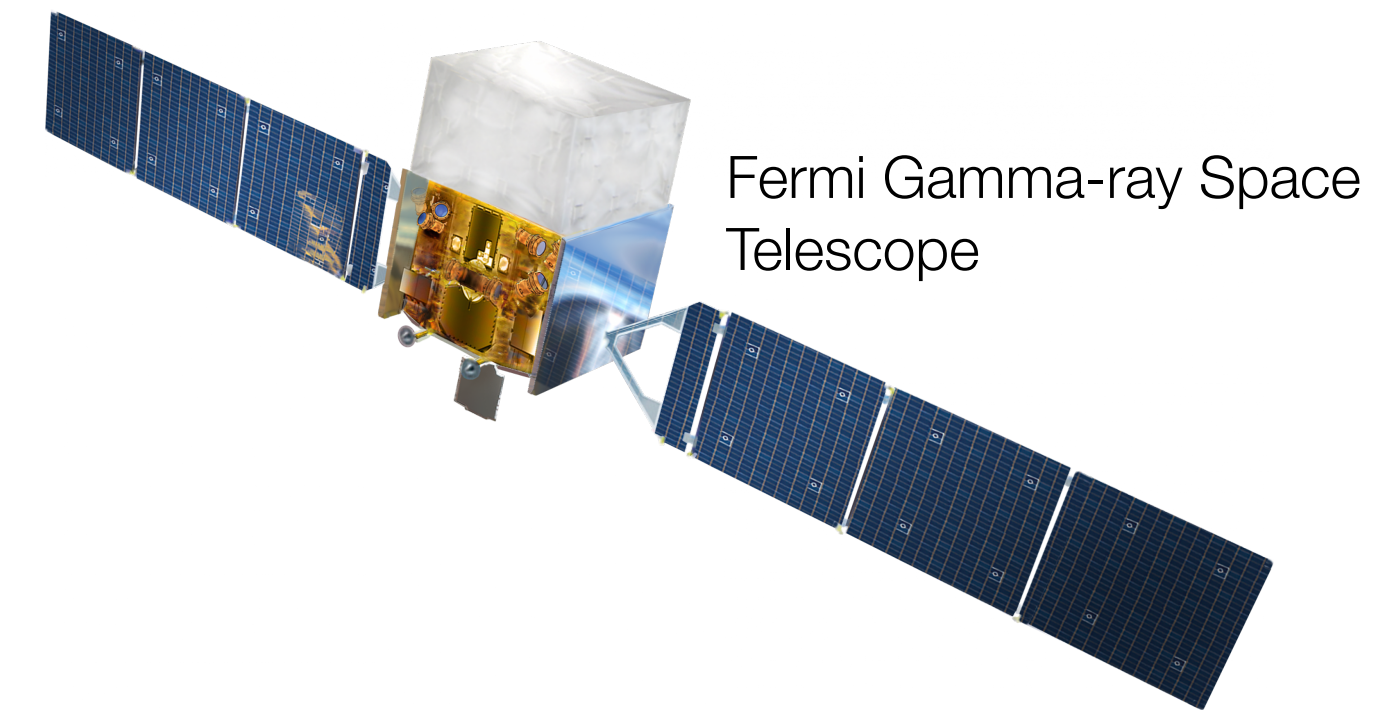
**Binary Neutron
Star Mergers
as progenitors of
short GRBs**



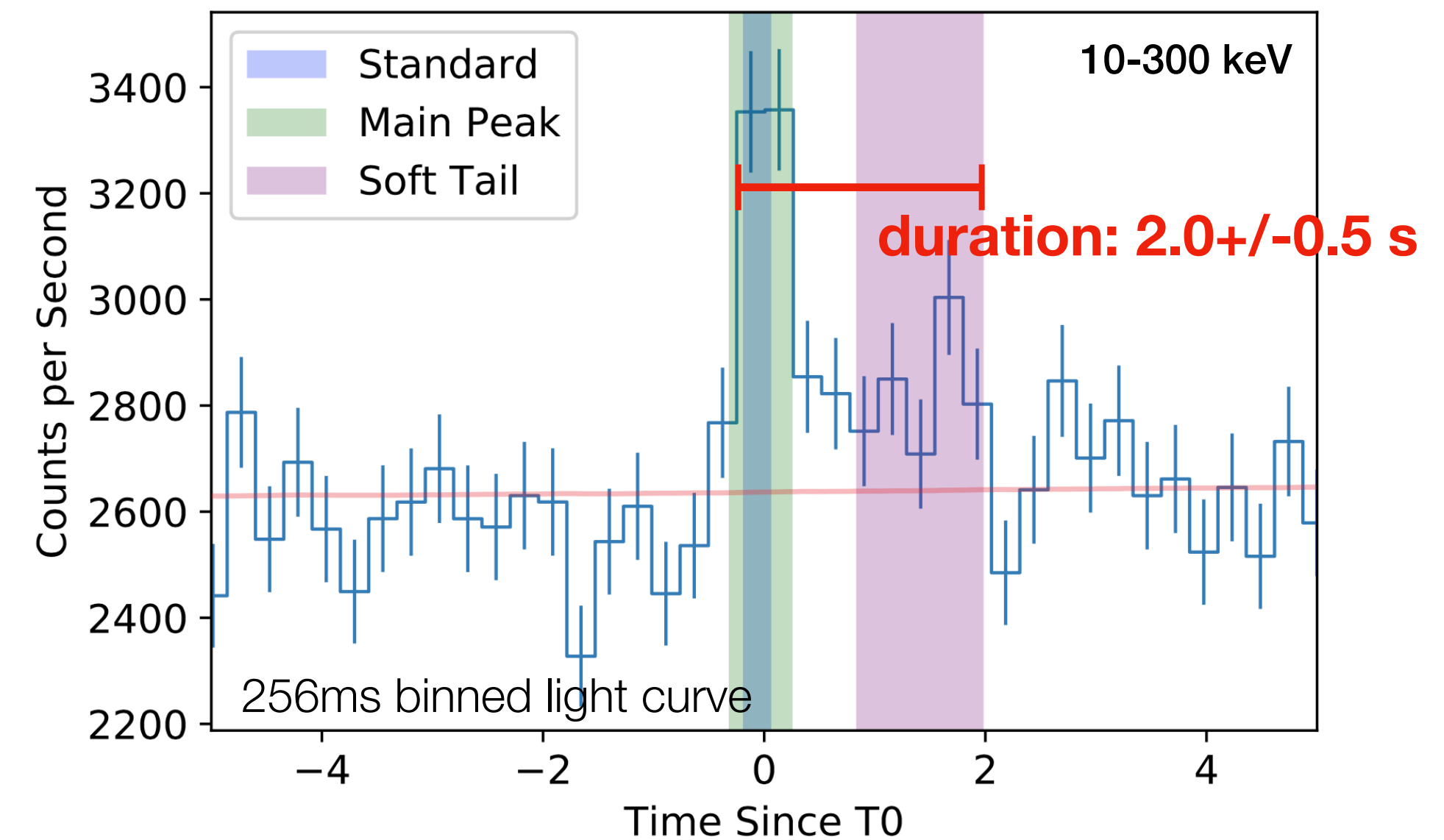
GW170817



- LIGO/VIRGO detected 11 confirmed compact binary coalescences in observing run O1 and O2
 - 10 Binary black hole mergers
 - 1 Binary neutron star merger
- Binary neutron star merger GW170817
- Short GRB association confirmed by Fermi Gamma-ray Space Telescope (Goldstein et. al, 2017)

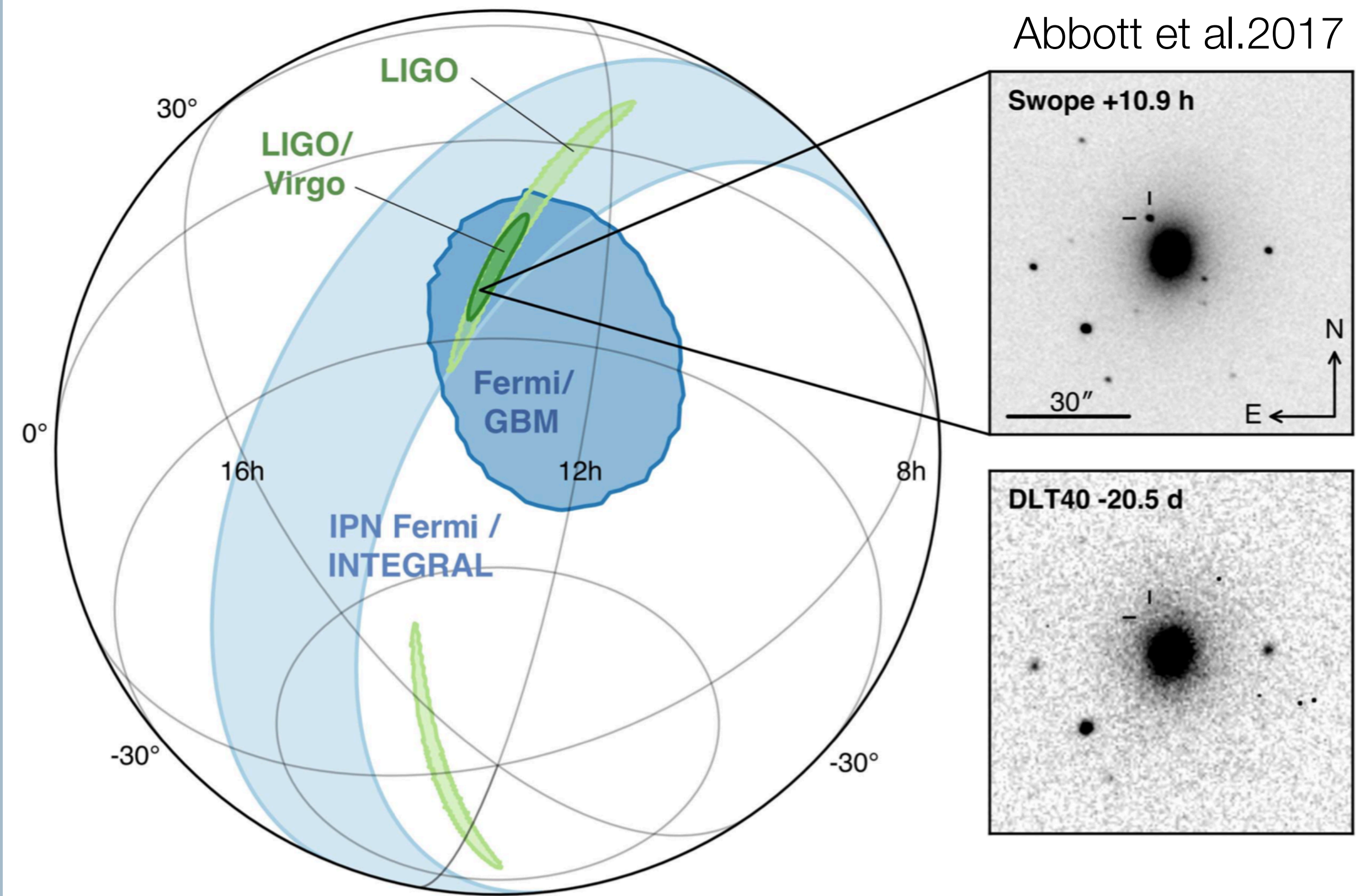


Abbott et al. 2017



Multi-messenger Astrophysics

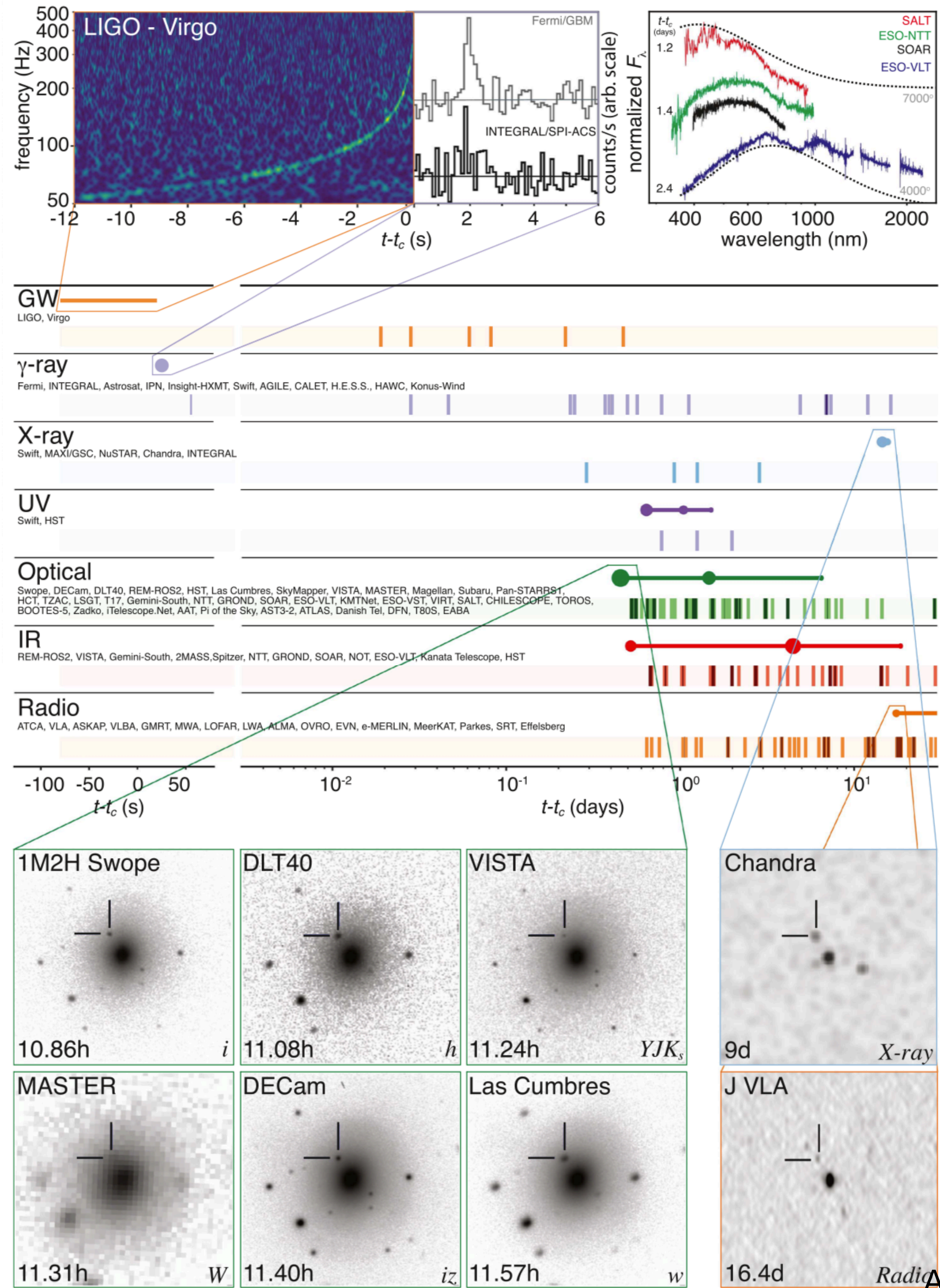
GW + EM observation



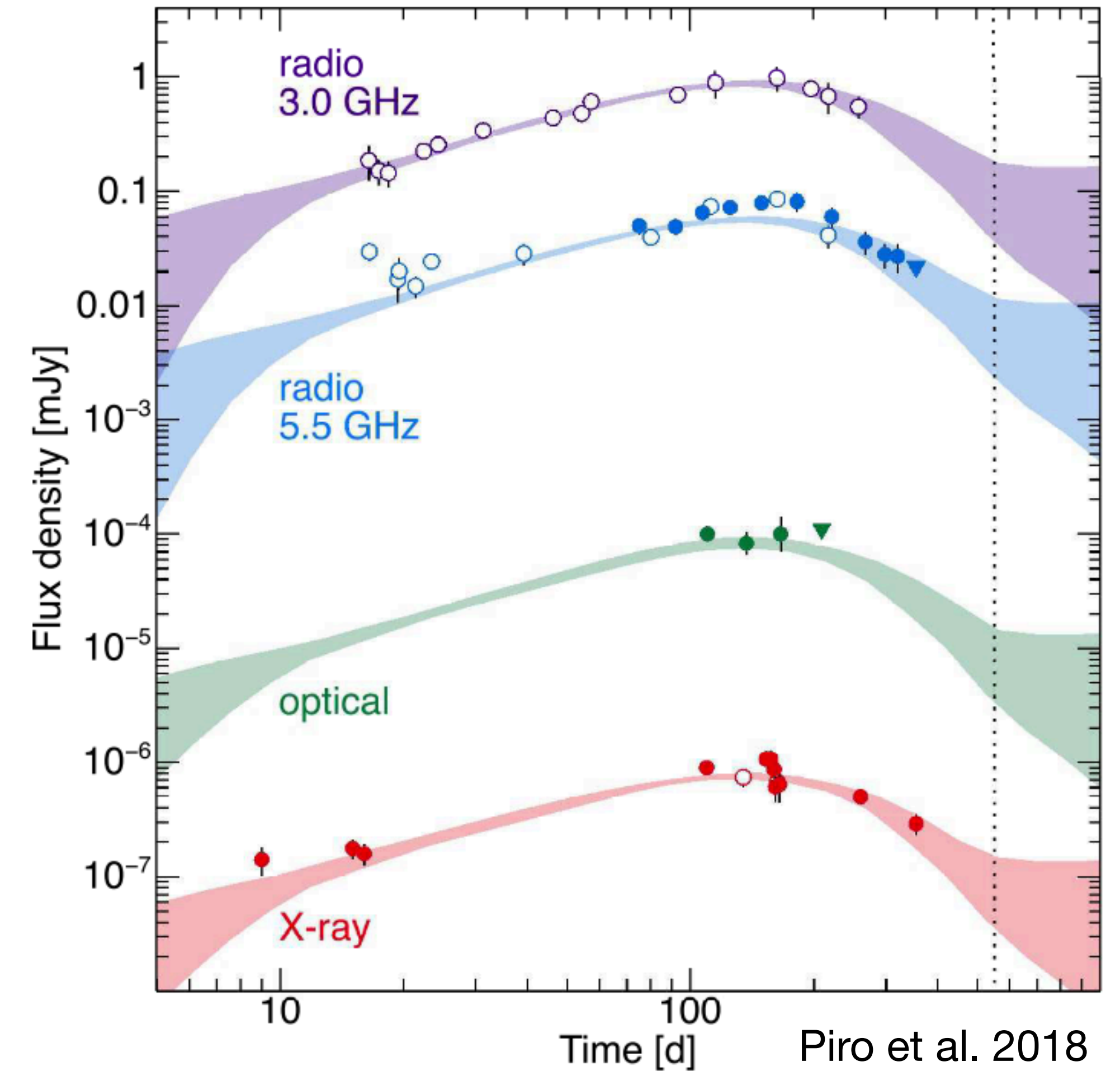
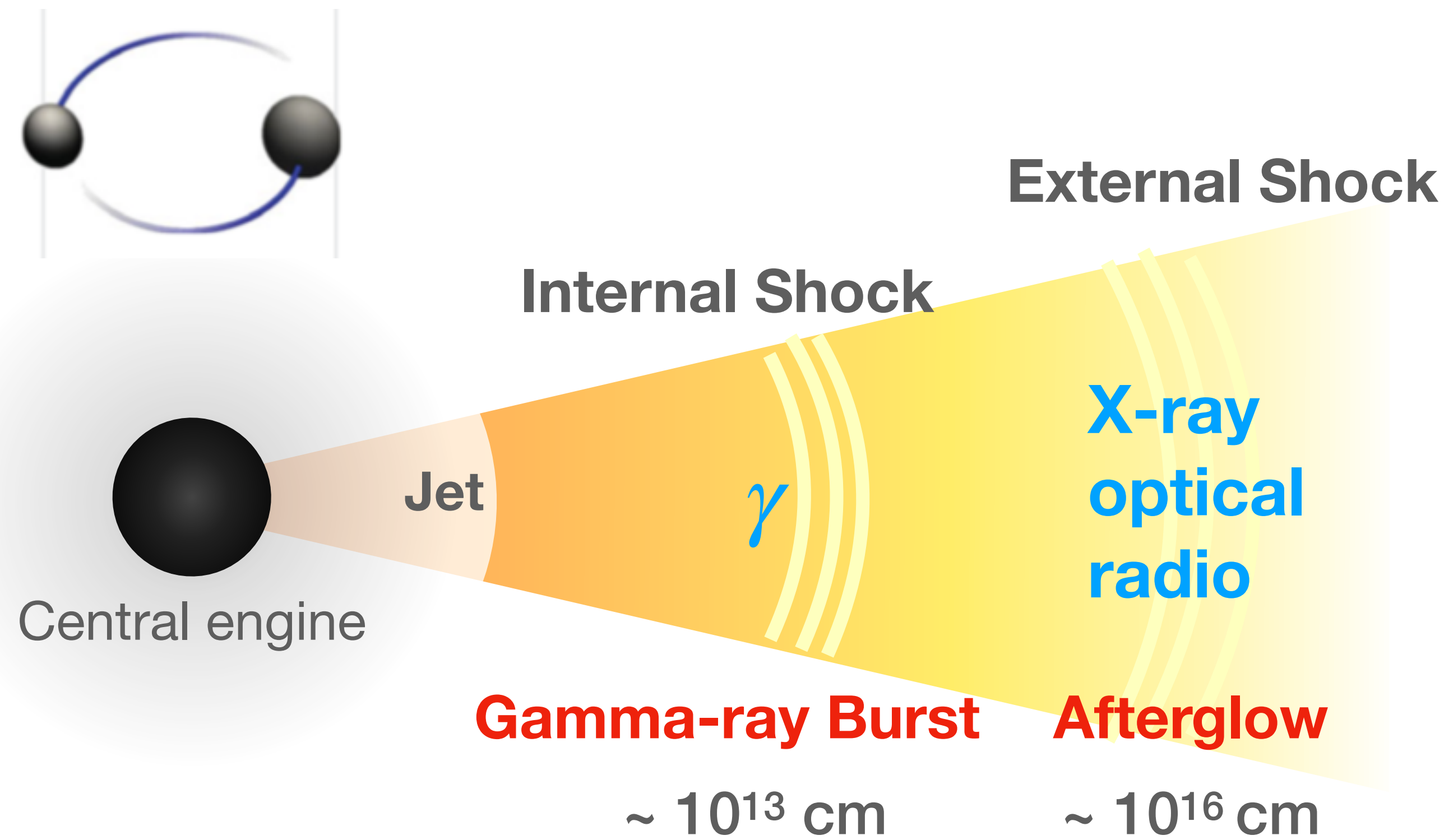


Multi-messenger Astrophysics

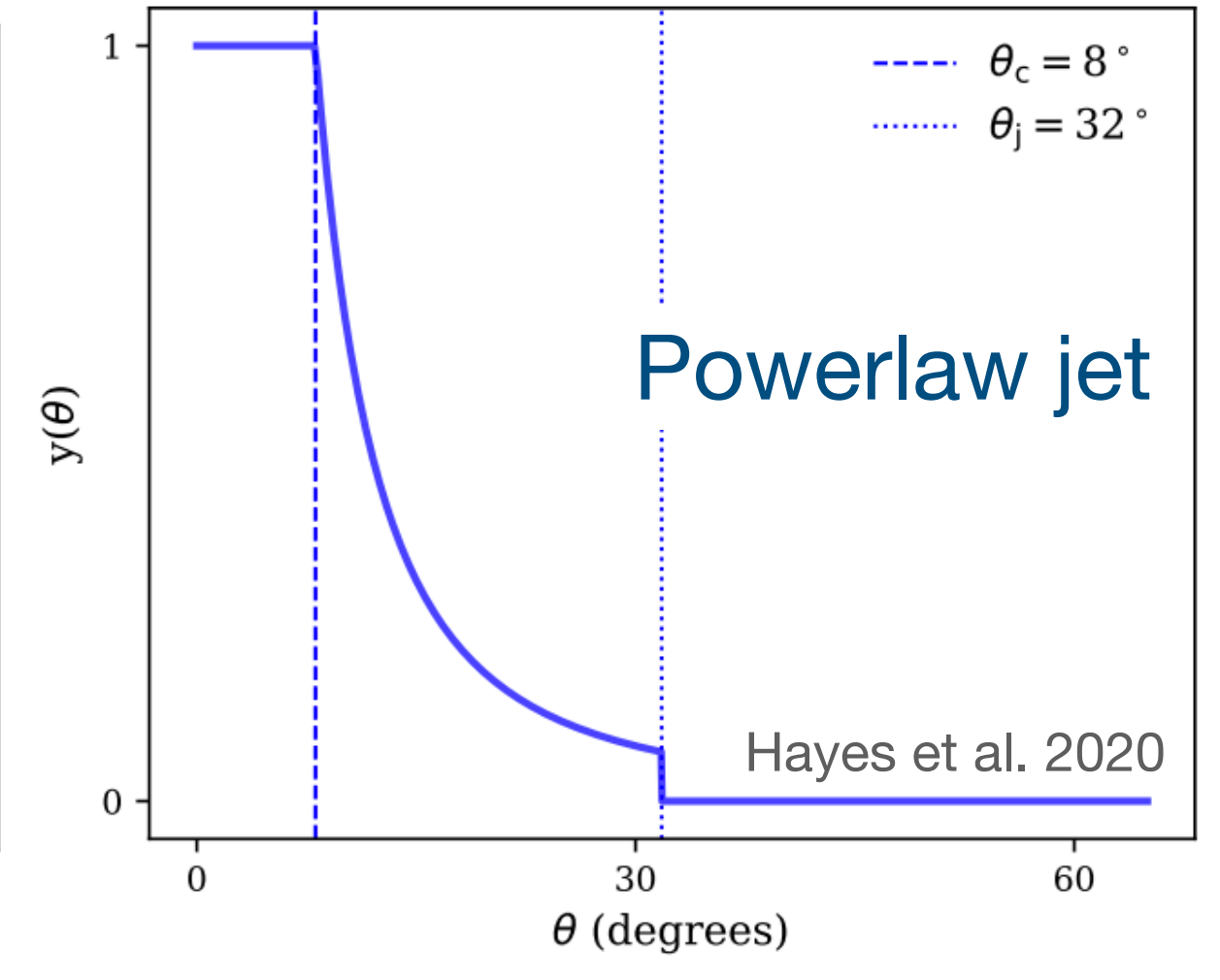
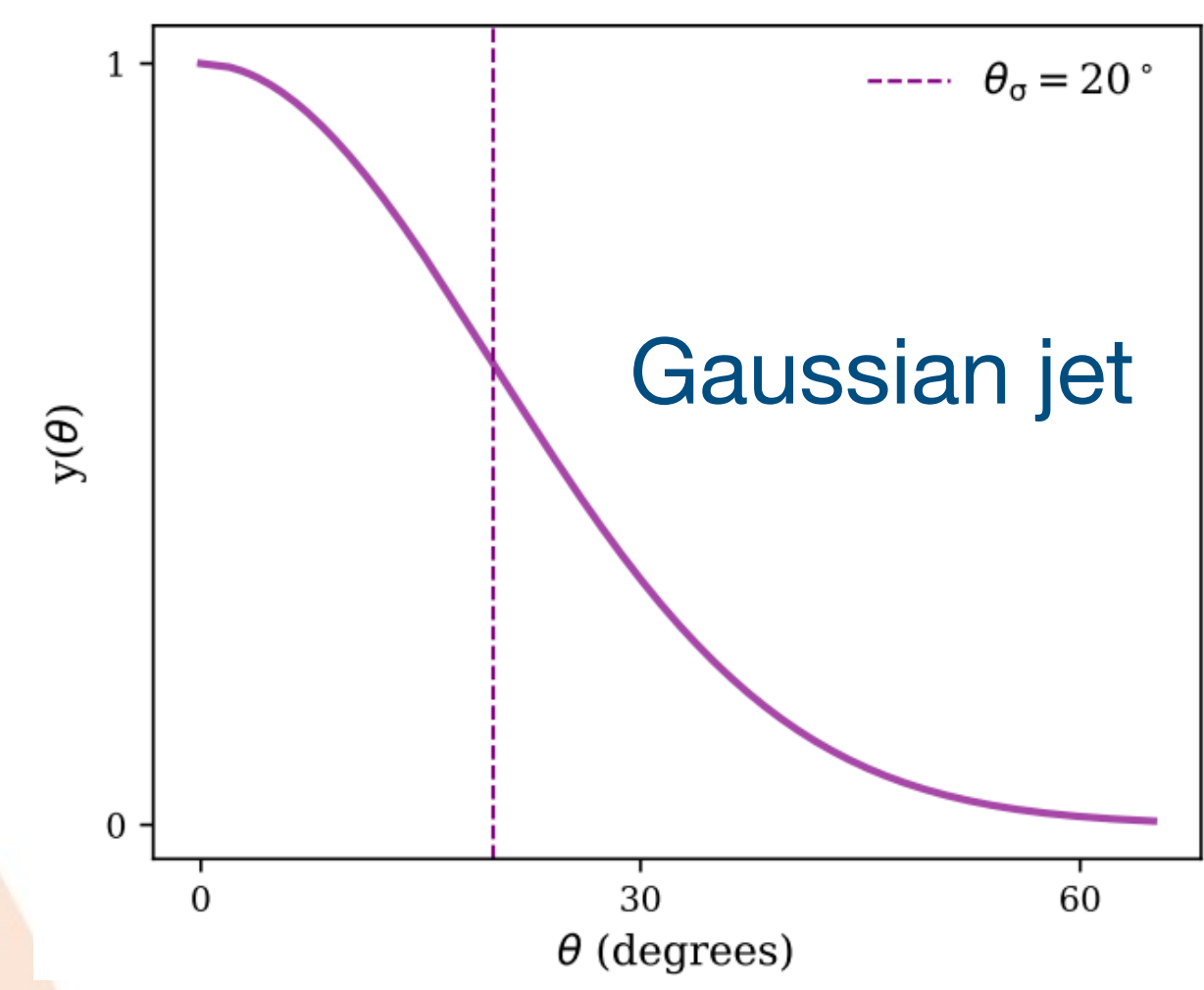
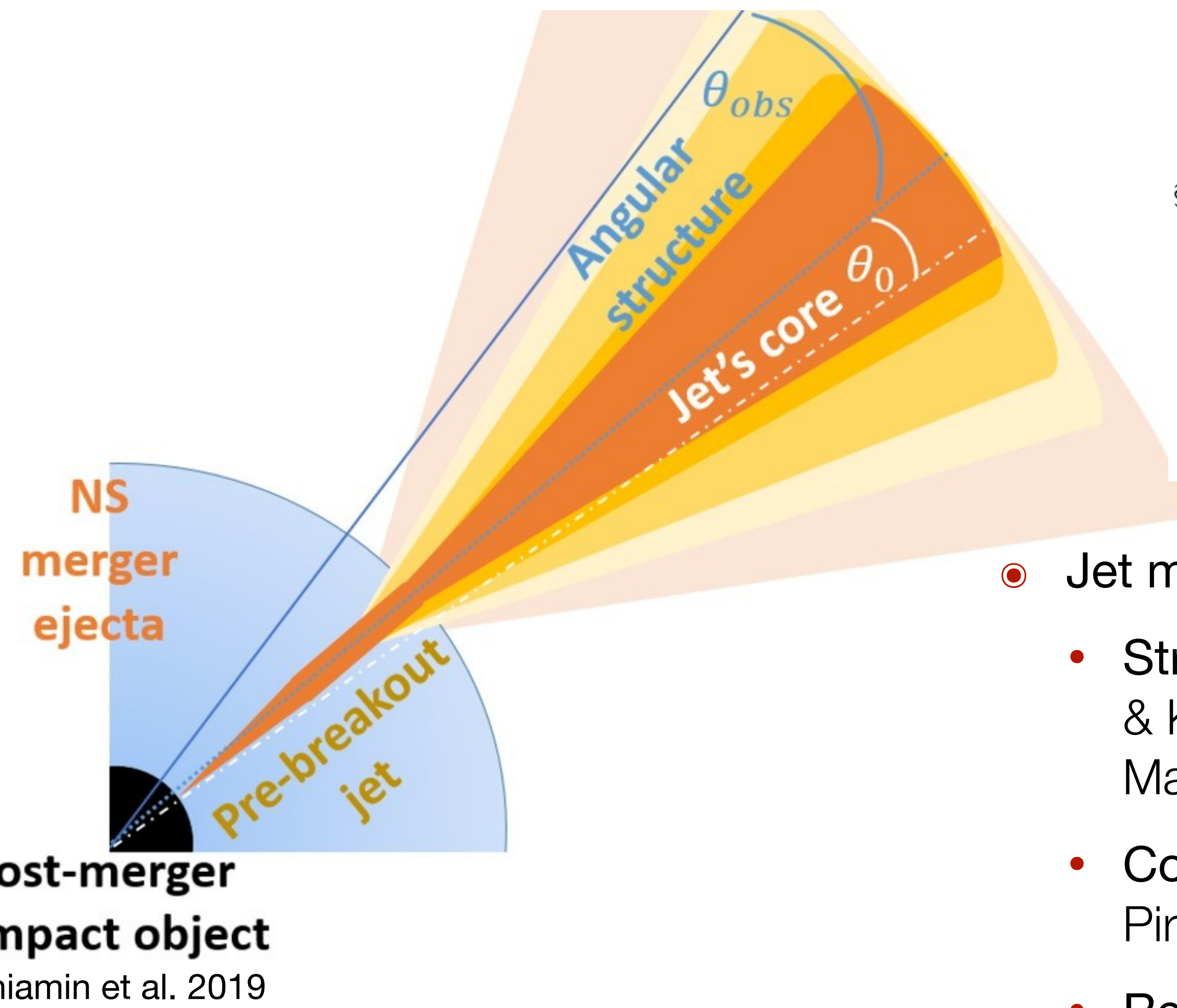
GW + EM observation



GRB afterglow light curves



Afterglow light curves as hints to jet structure



● Jet models

- Structured jet (D'Avanzo et al. 2018; Gill & Granot 2018; Lamb & Kobayashi 2018; Lazzati et al. 2018; Lyman et al. 2018; Margutti et al. 2018; Troja et al. 2018, etc.)
- Cocoon jet/top-hat jet (Kasliwal et al. 2017; Gottlieb, Nakar & Piran 2018; Mooley et al. 2018)
- Refreshed shock model (Lamb et al. 2020)



On the jet structure of GRBs through X-ray light curve investigation

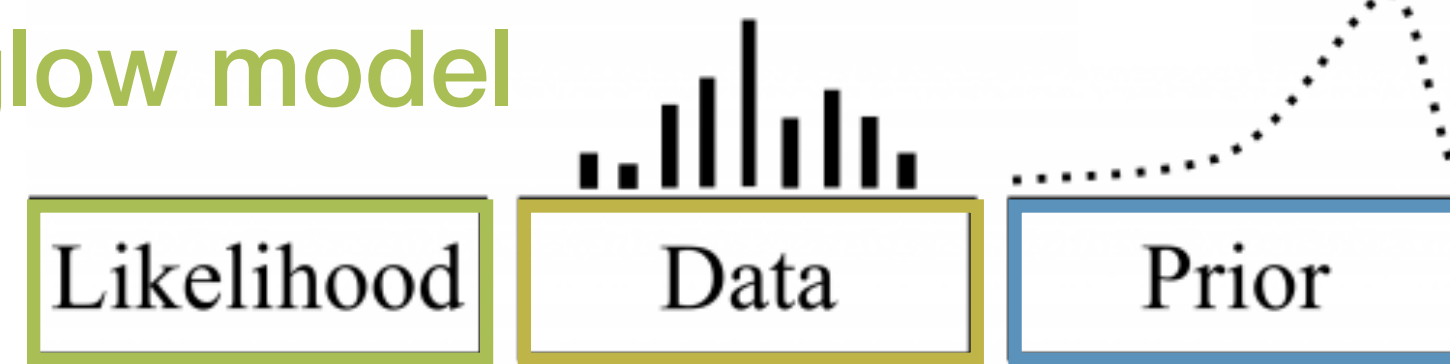
- ◎ Objective
 - Jet structure
- ◎ Research framework
 - Generate X-ray afterglow light curves
 - Parameter estimation
 - Model comparison

Parameter Estimation

Bayes Rule:

$$P(\theta | D) = \frac{P(D | \theta) P(\theta)}{P(D)}$$

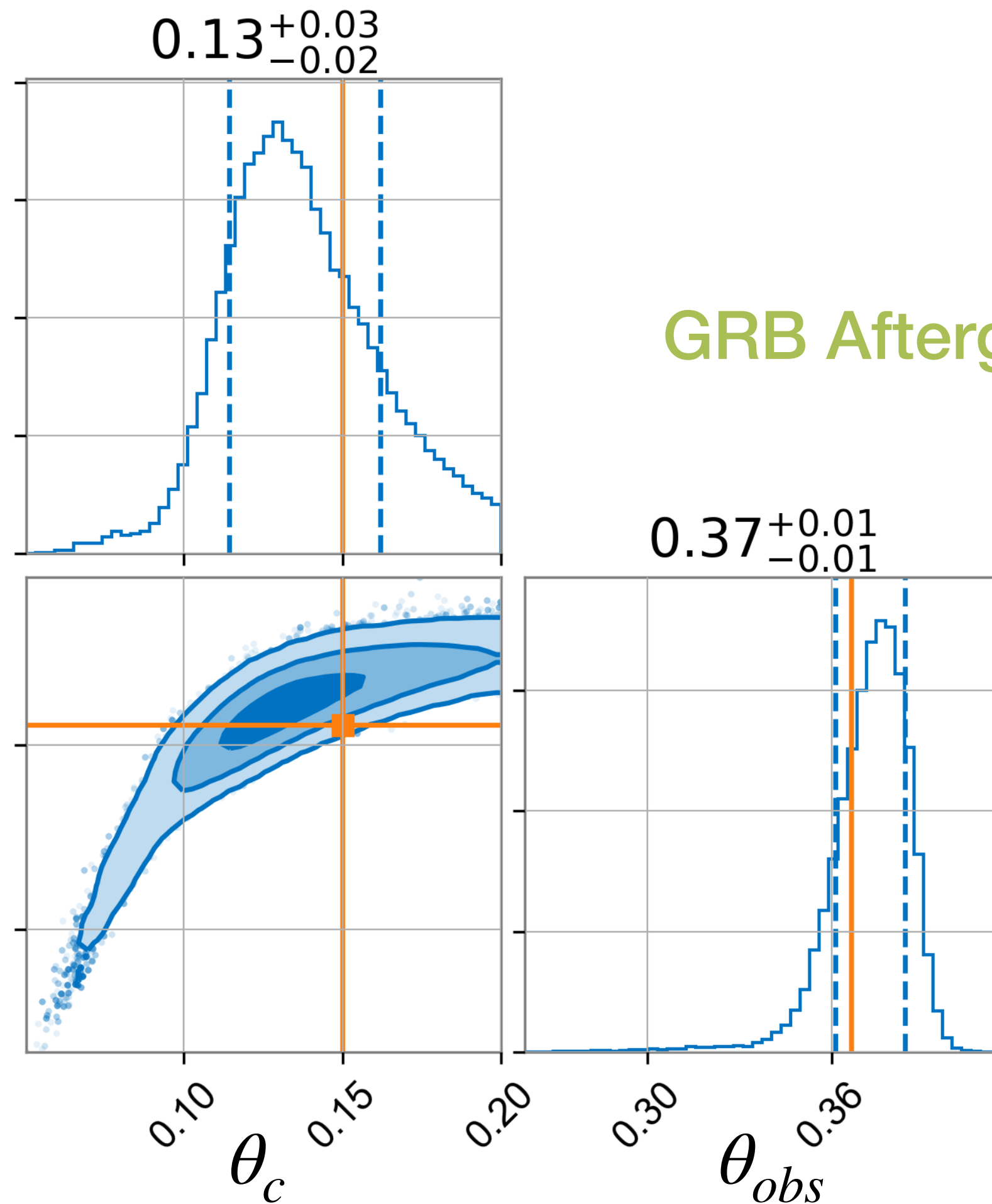
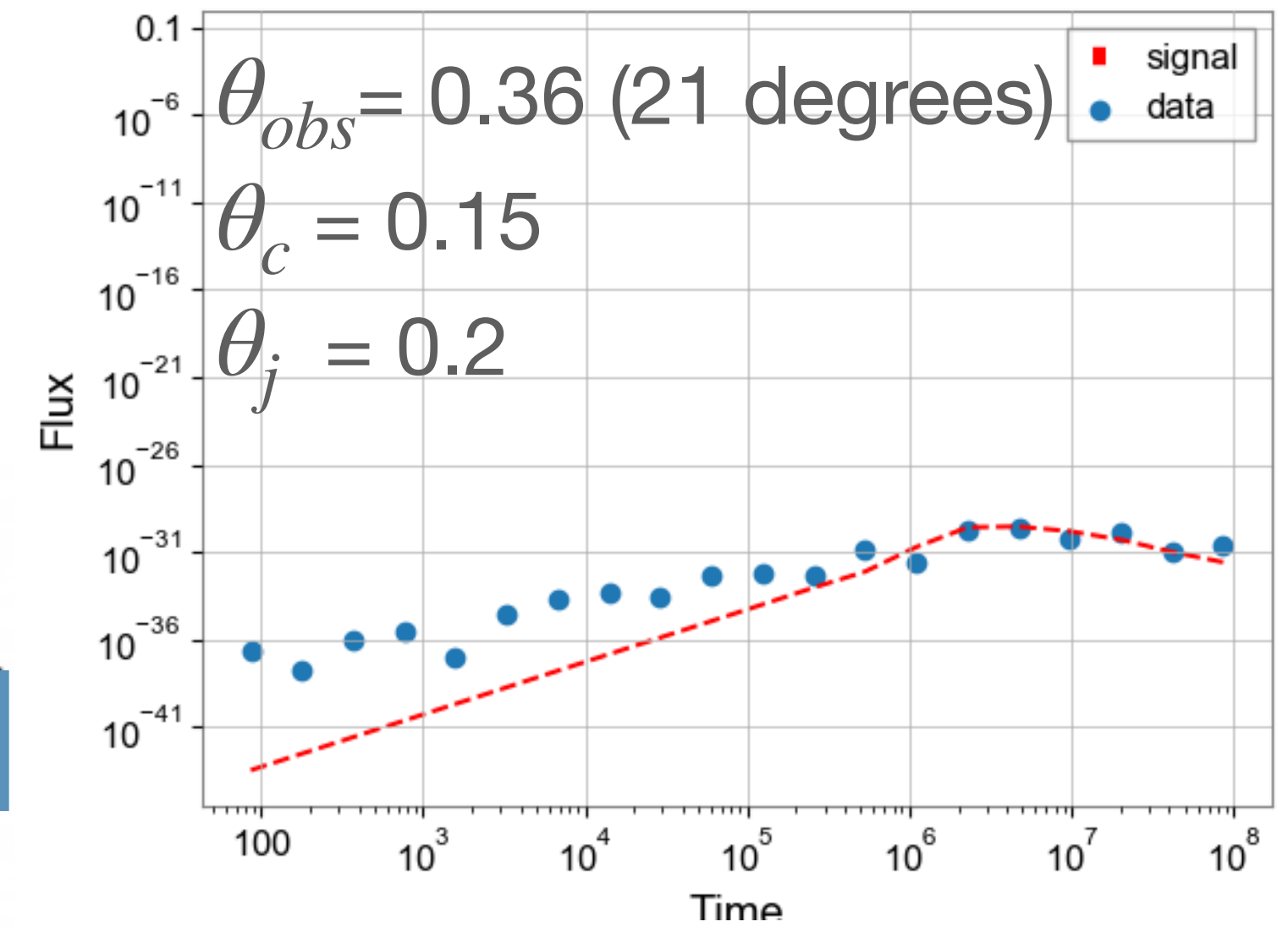
GRB Afterglow model



Bayes' Theorem

Posterior Distribution

Markov Chain Monte Carlo Sampling Method



Parameter Estimation

Bayes Rule:

$$P(\theta | D) = \frac{P(D | \theta) P(\theta)}{P(D)}$$

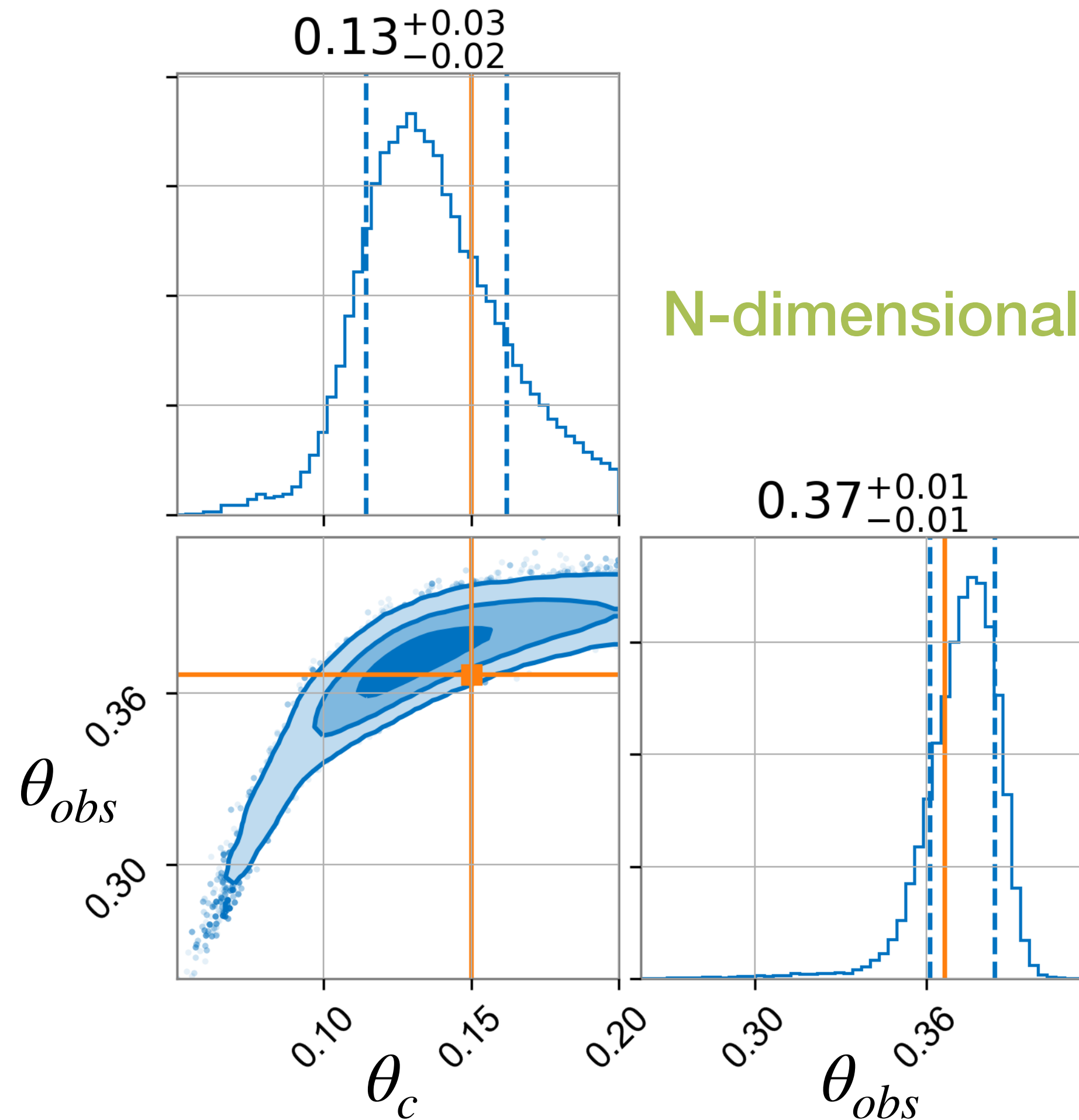
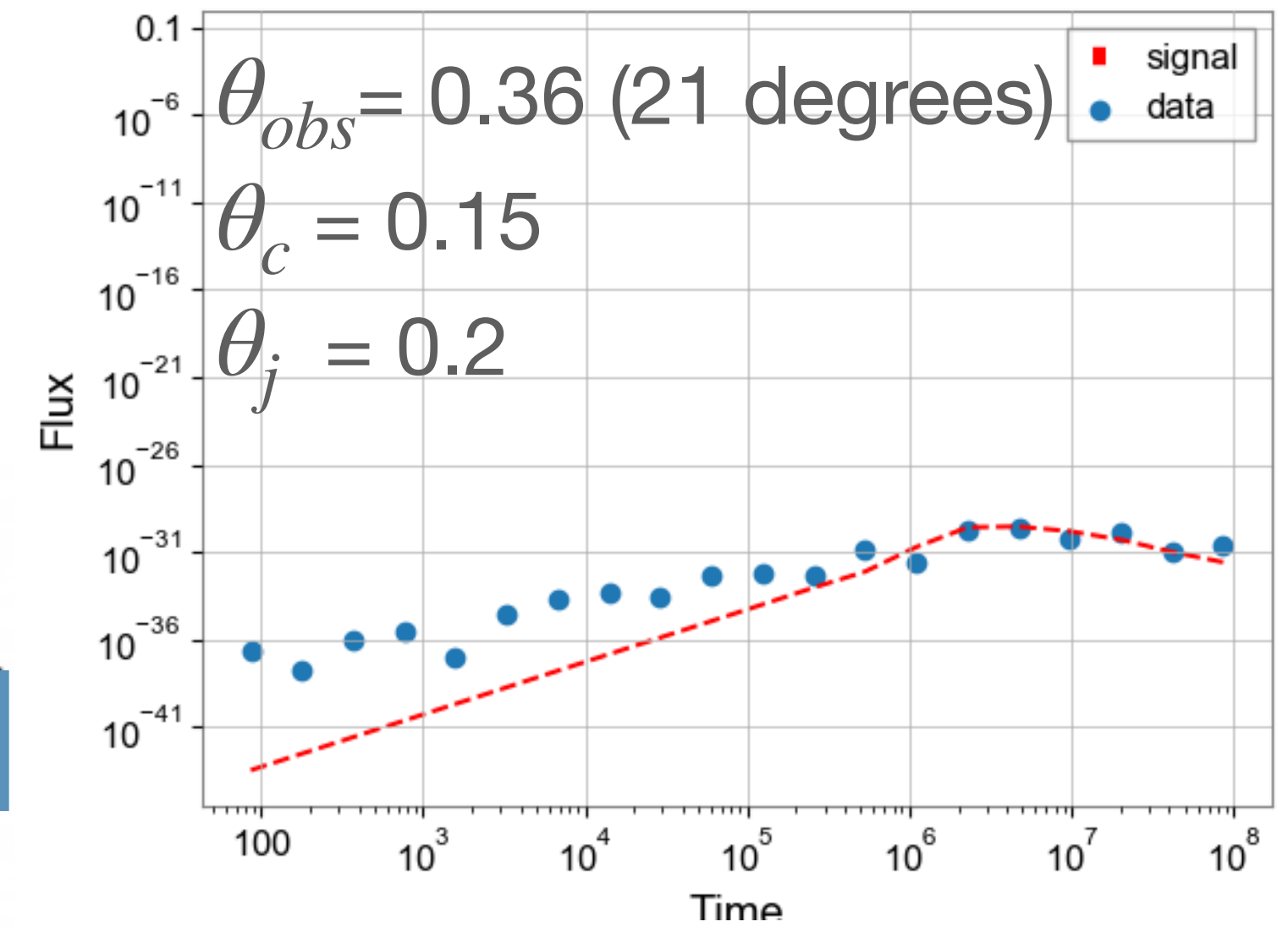
N-dimensional interpolator



Bayes' Theorem

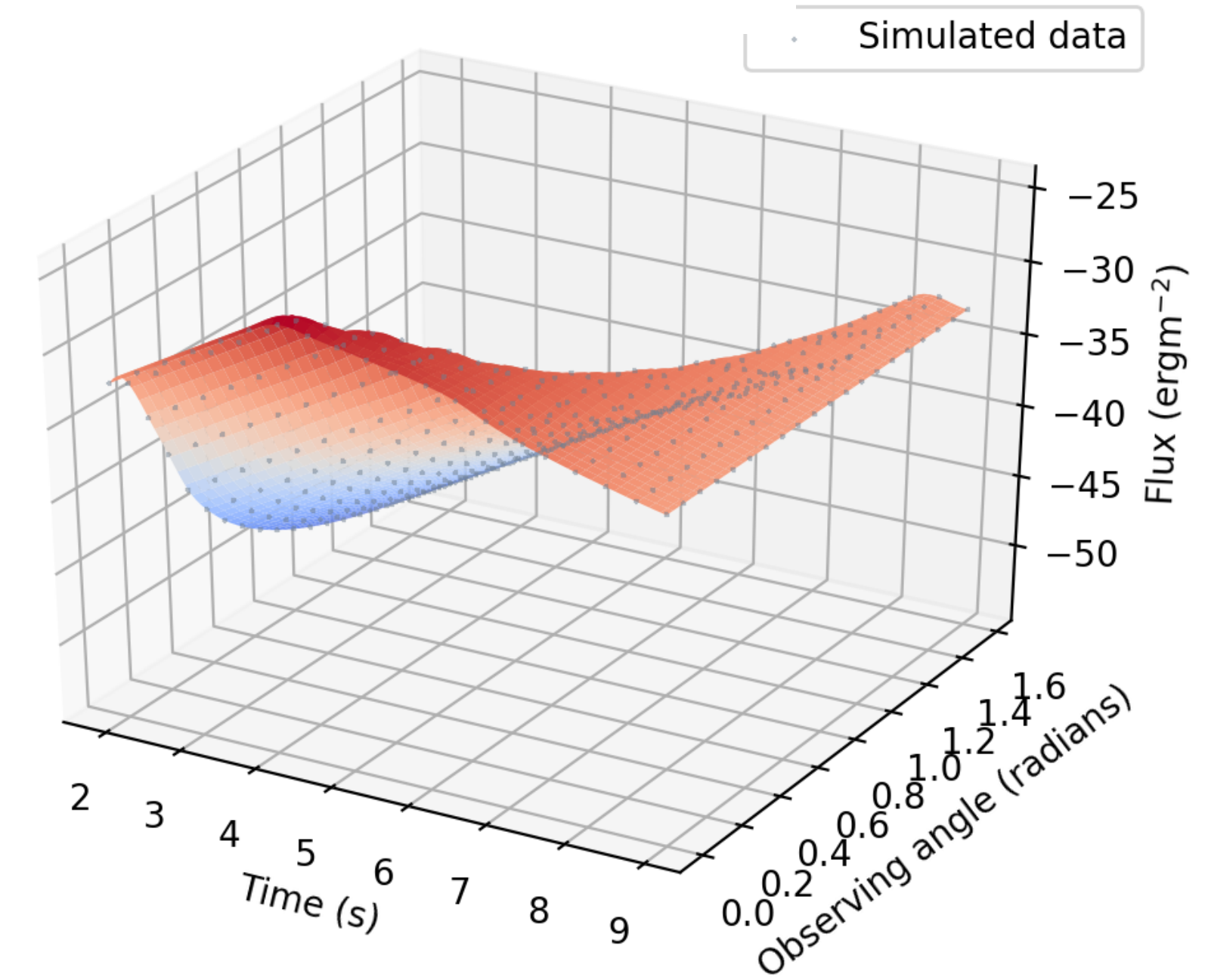
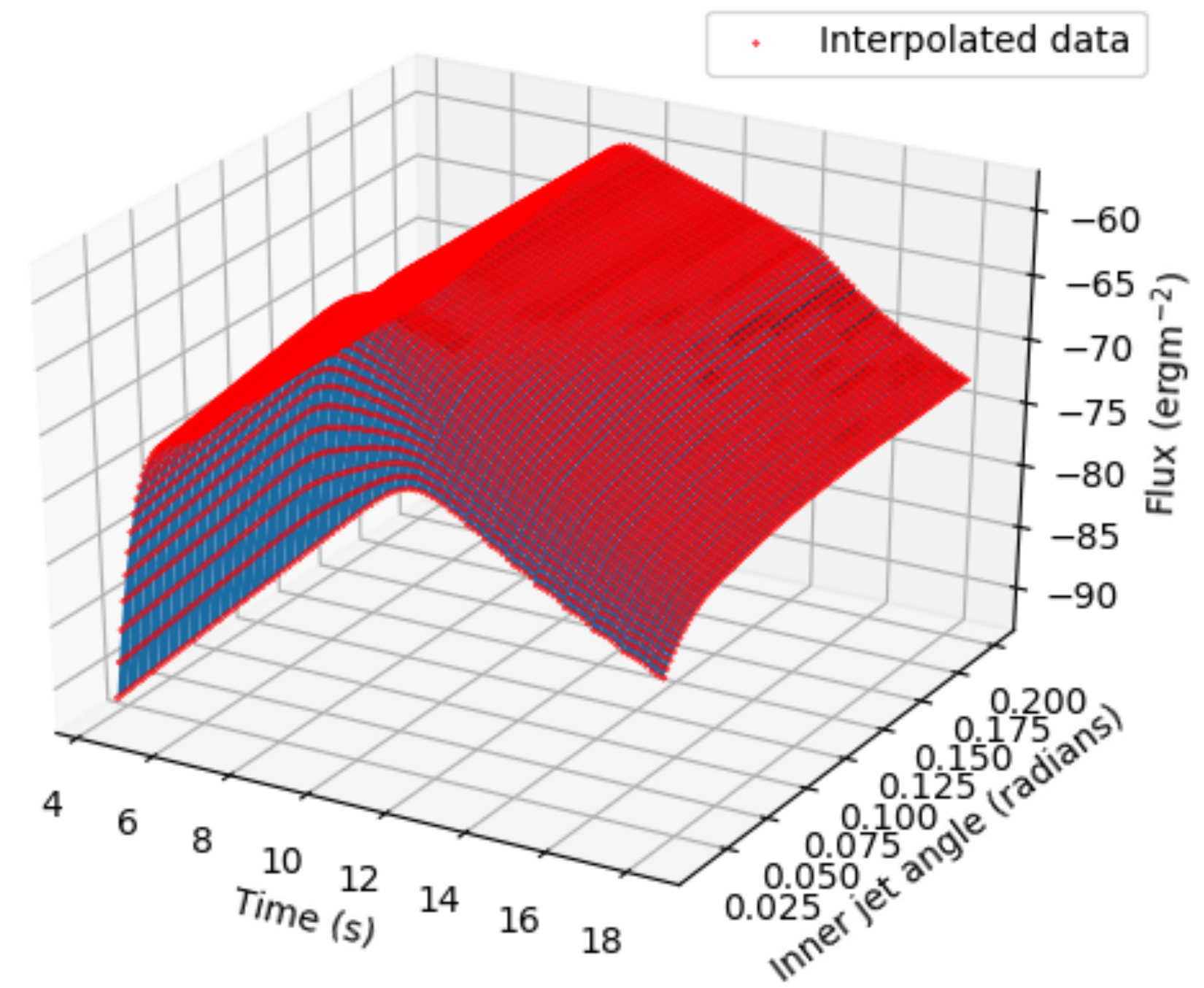
Posterior Distribution

Markov Chain Monte Carlo Sampling Method





Multi-dimensional grids across parameter space





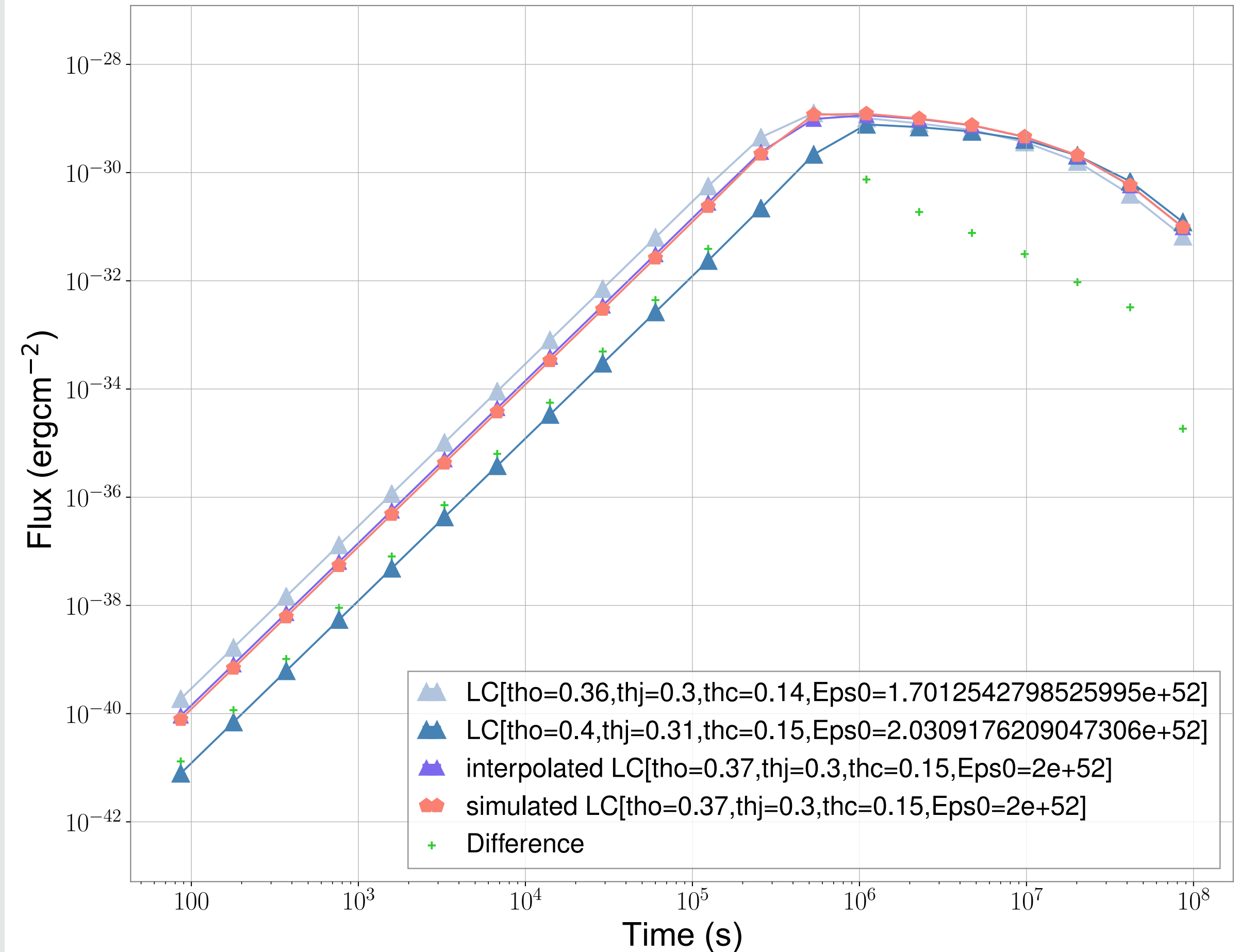
Multi-dimensional grids across parameter space

- $\theta_{obs} \sim [0.01, \pi/4]$
- θ_j (jet opening angle) $\sim [0.01, \pi/6]$
- θ_c (jet core angle) $\sim [0.01, \pi/6]$
- ϵ_0 (kinetic energy of central segment) $\sim [1e50, 1e53]$
- $obs_times \sim [0.001, 1000]$

5D light curves:

$$LC[\epsilon_0, \theta_j, \theta_{obs}, \theta_c, obs_time] = 40 \times 40 \times 40 \times 40 \times 20$$

Simulated LC vs. interpolated LC



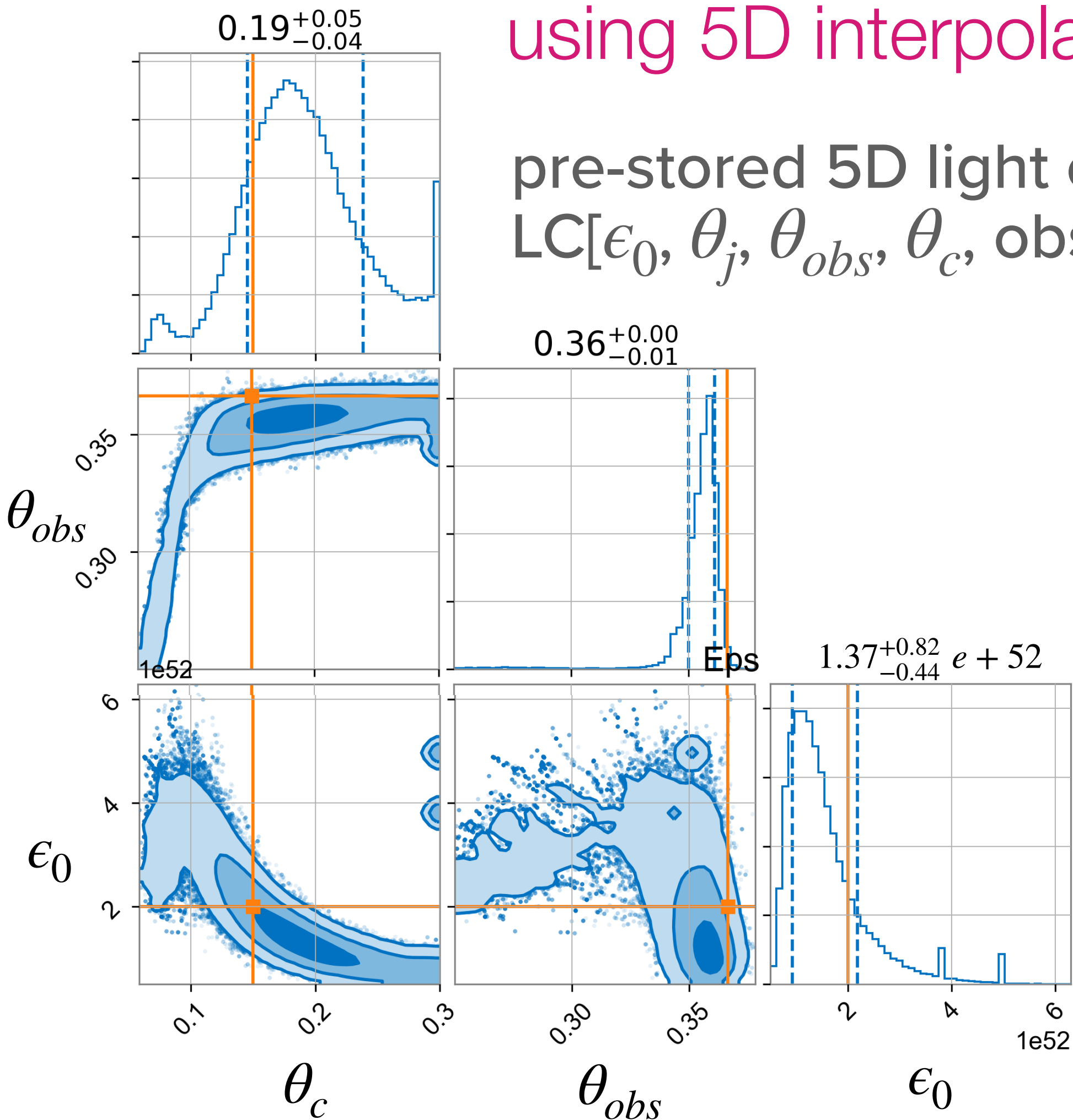


Probability distribution of jet parameters

using 5D interpolation function as likelihood

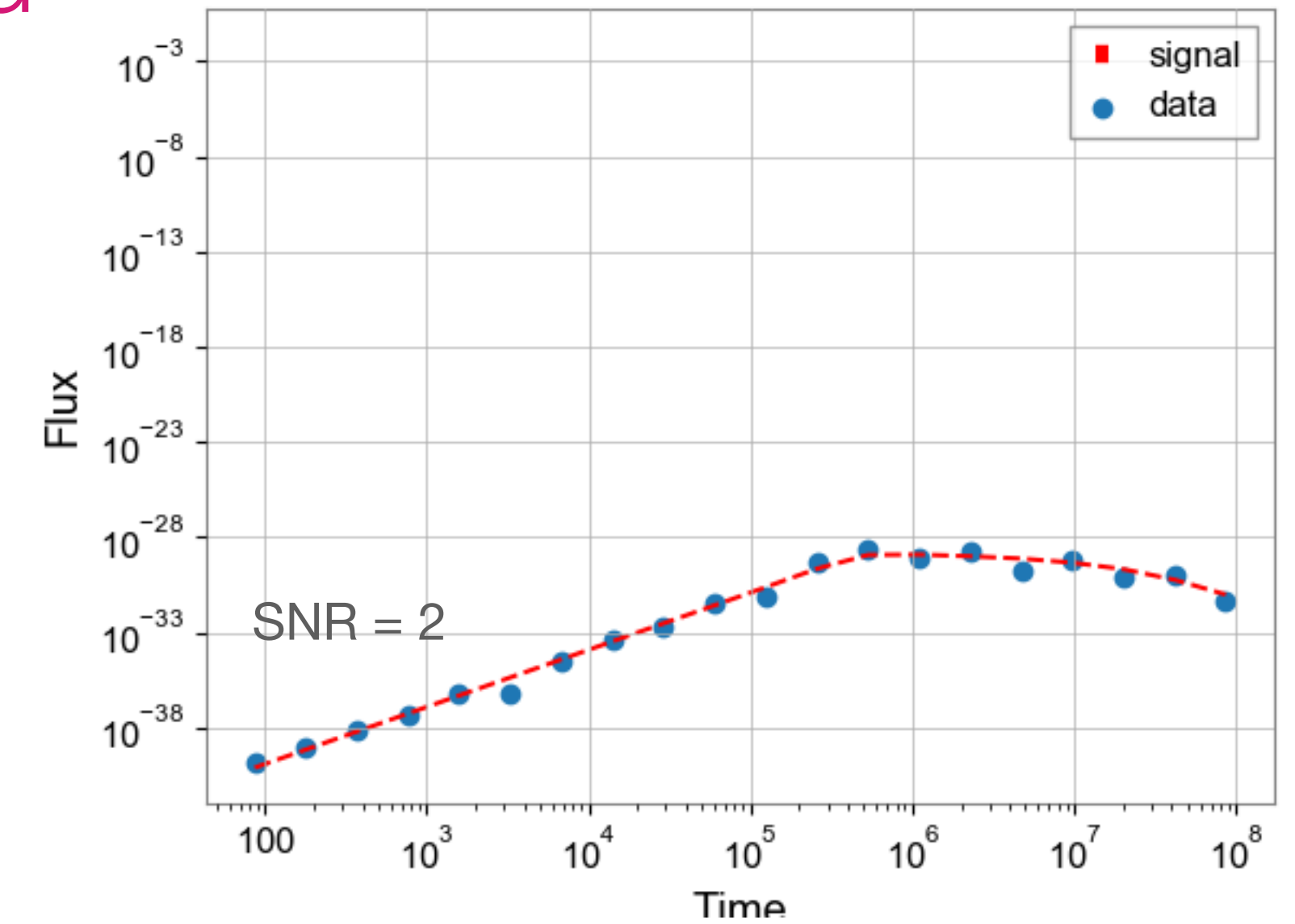
pre-stored 5D light curves:

$$\text{LC}[\epsilon_0, \theta_j, \theta_{obs}, \theta_c, \text{obs_time}] = 40 \times 40 \times 40 \times 40 \times 20$$



Injected values:

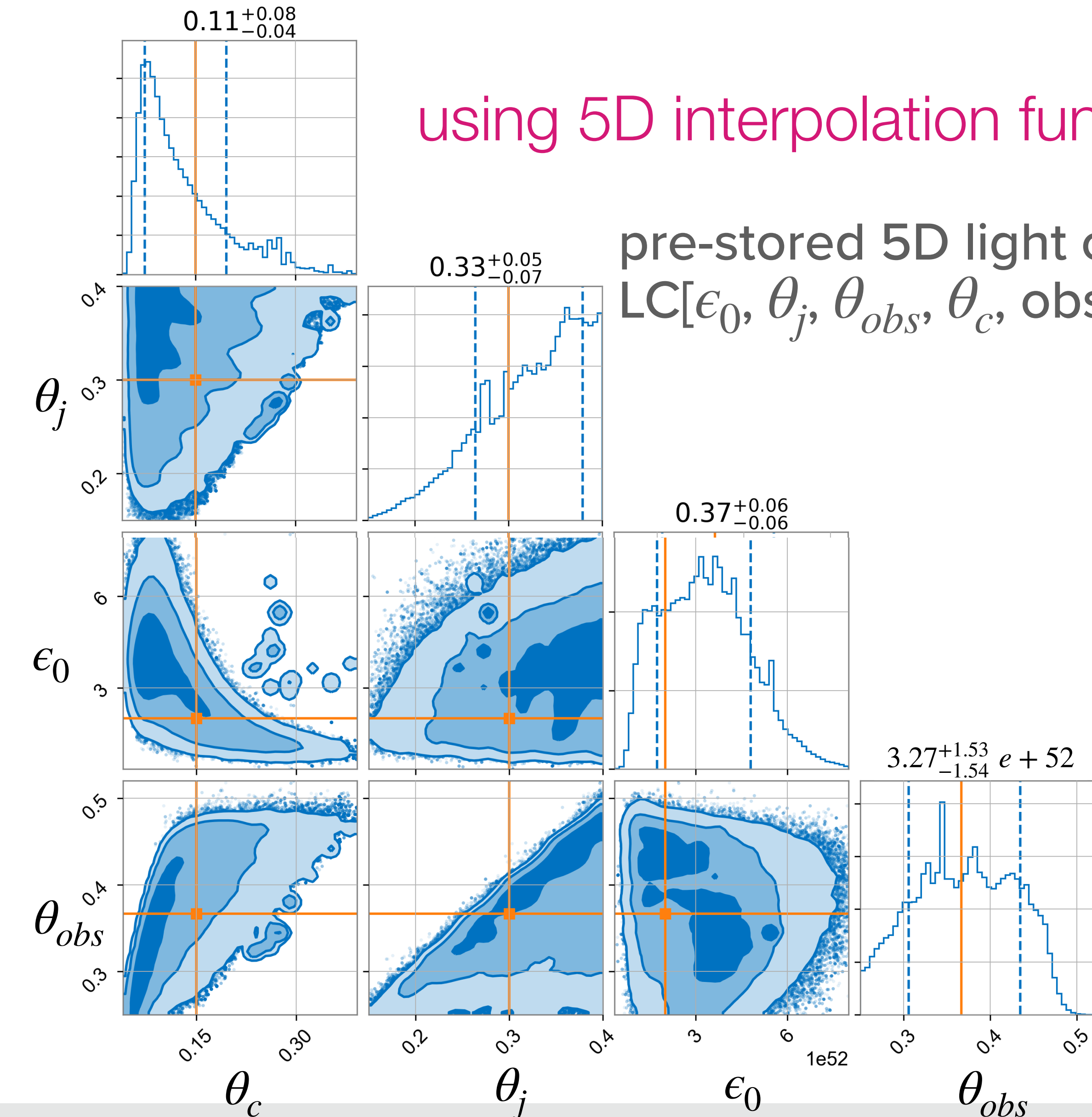
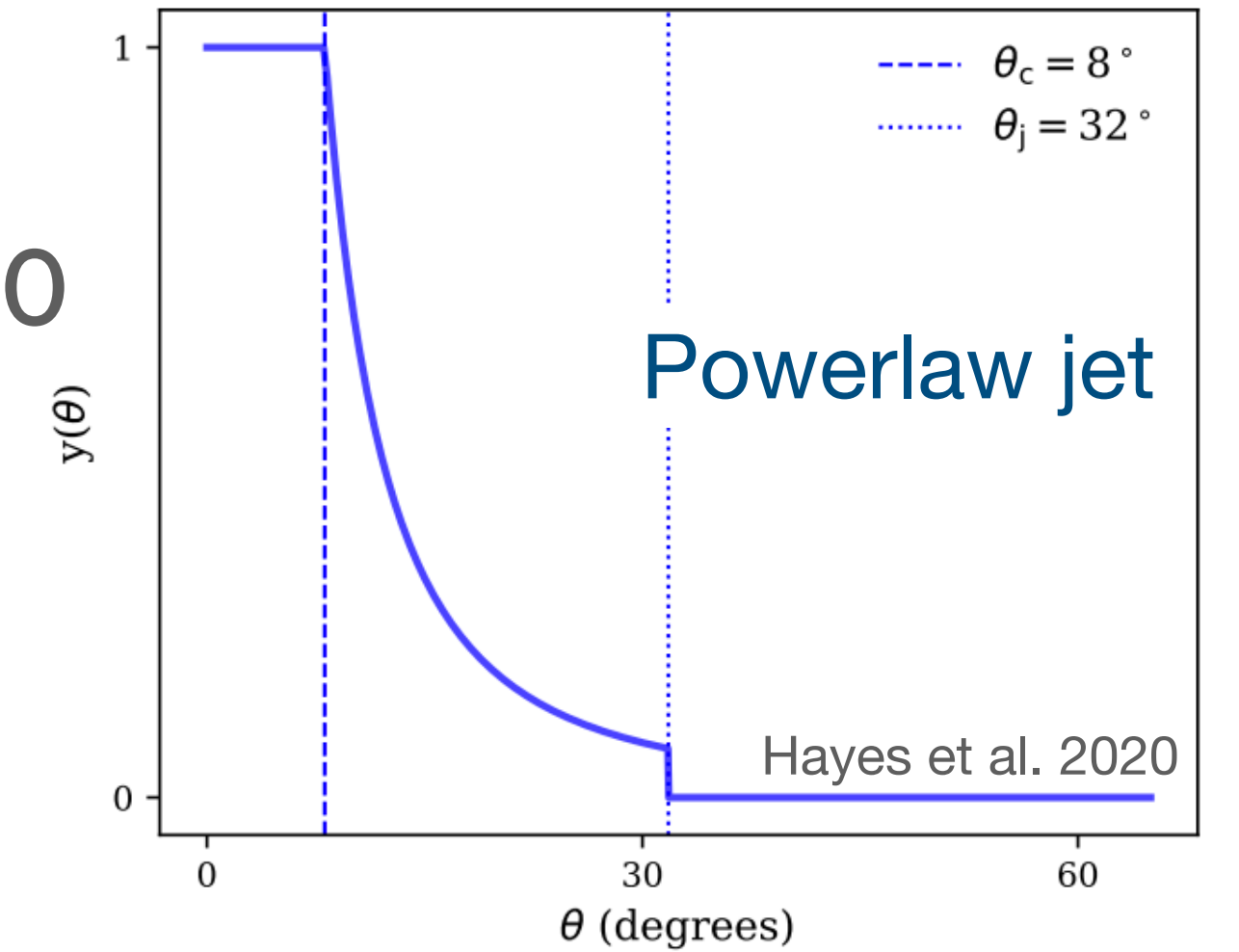
- $\theta_{obs} = 0.36$ (21 degrees)
- θ_c (jet core angle) = 0.15
- ϵ_0 (kinetic energy) = $2e52$



Probability distribution of jet parameters

using 5D interpolation function as likelihood

pre-stored 5D light curves:
 $LC[\epsilon_0, \theta_j, \theta_{obs}, \theta_c, obs_time] = 40 \times 40 \times 40 \times 40 \times 20$

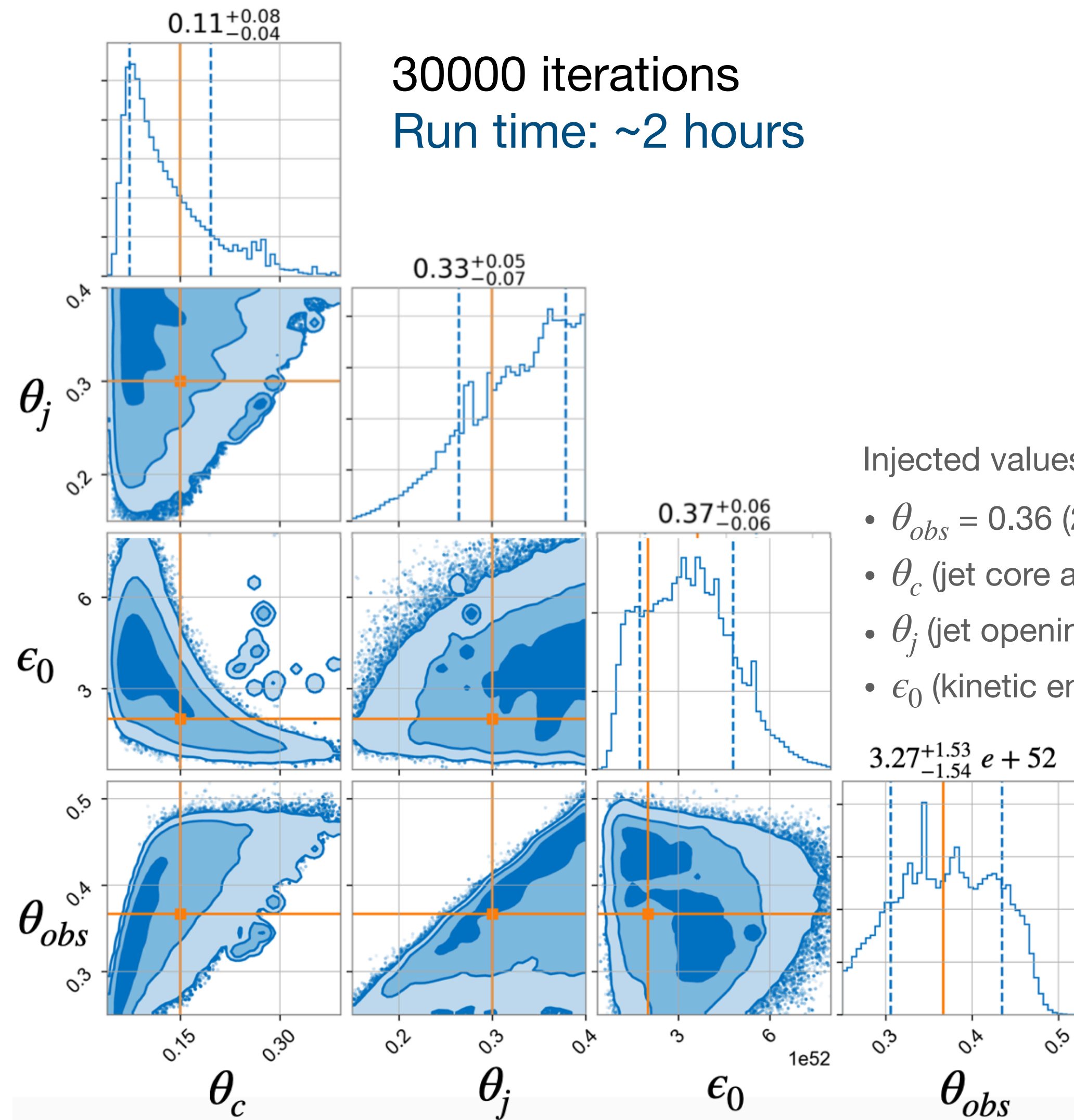


Injected values:

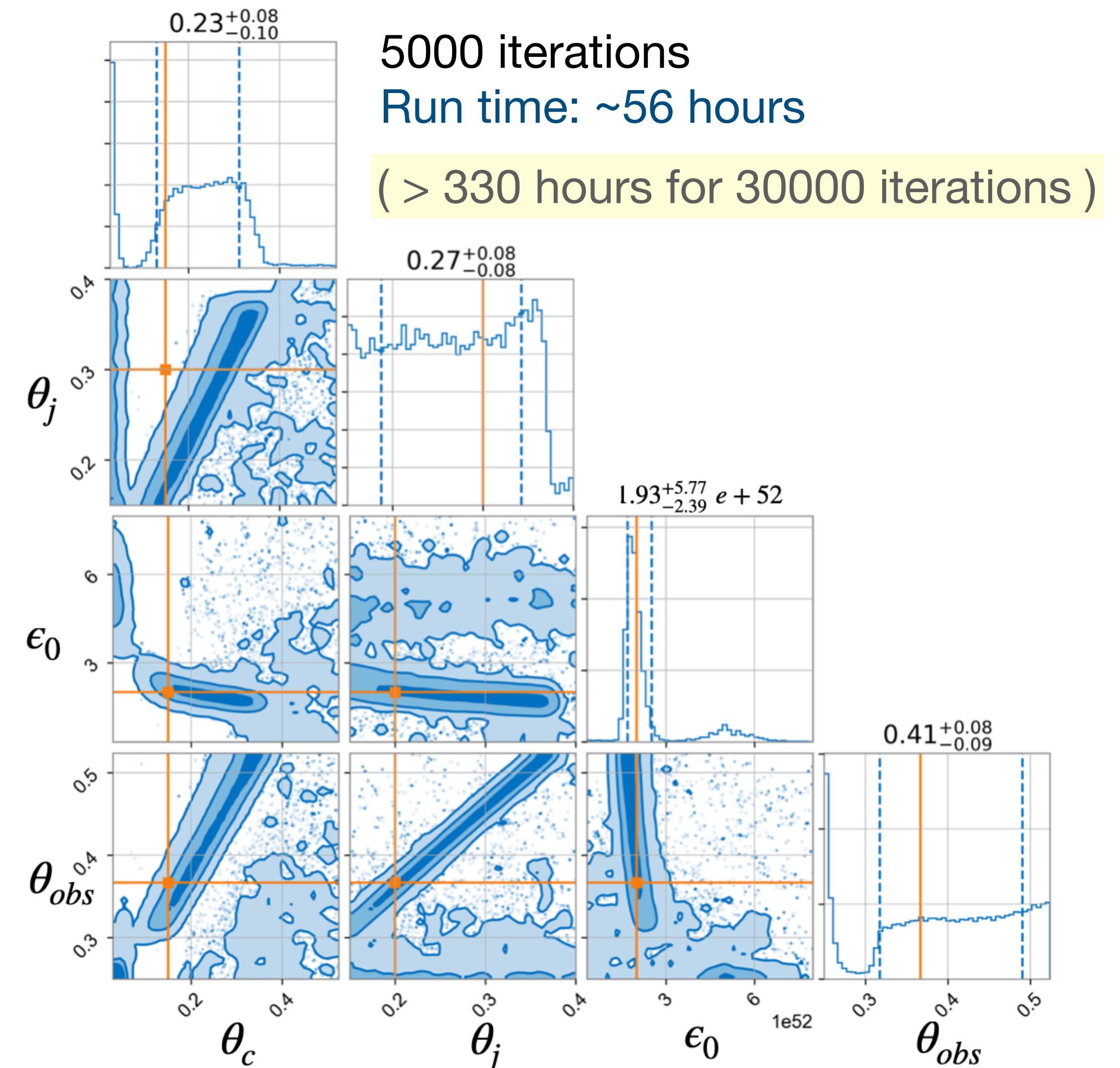
- $\theta_{obs} = 0.36$ (21 degrees)
- θ_c (jet core angle) = 0.15
- θ_j (jet opening angle) = 0.3
- ϵ_0 (kinetic energy) = $2e52$

A comparison between two methods

Interpolated GRB model



GRB afterglow model



Takeaways

- The joint discovery of GW170817 and GRB170817A opened the window for multi-messenger astronomy
- Modeling the afterglow light curve of GRBs can help us understand the structure of the jets
- We simulated high-D afterglow light curves with values across the parameter space and replaced the likelihood with an interpolation function
- The interpolated GRB model has the ability to constrain jet parameters
 - ➔ Advantages
 - Only have to simulate light curves one time
 - > 150 times faster than original method!
 - Model comparison (future work)