

Three Ideas for Quantum Sensors in Neutrino Physics

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The International Joint Workshop on the Standard Model and Beyond 2025

Mostly based on collaborations with
V. Domcke [arXiv:1703.0869], J. D. Shergold [arXiv:2411.16859]
and C. S. Nugroho [arXiv:2511.18245]



Upgrade: Some Ideas for Quantum Sensors in Neutrino & Dark Matter Physics

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Outline

- Motivation
- Neutrino Charges
- CNB and Interferometers
- Dark Matter
- Summary and Conclusions



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Fundamental Properties of Neutrinos?

- Very light (neutrino mass < 0.1 eV)
- Come in three flavours
- Fermions
- Only interacts via W- and Z-exchange?
 - Higgs couplings? (are there proposals?)
 - Electric charge? Dipole moments?



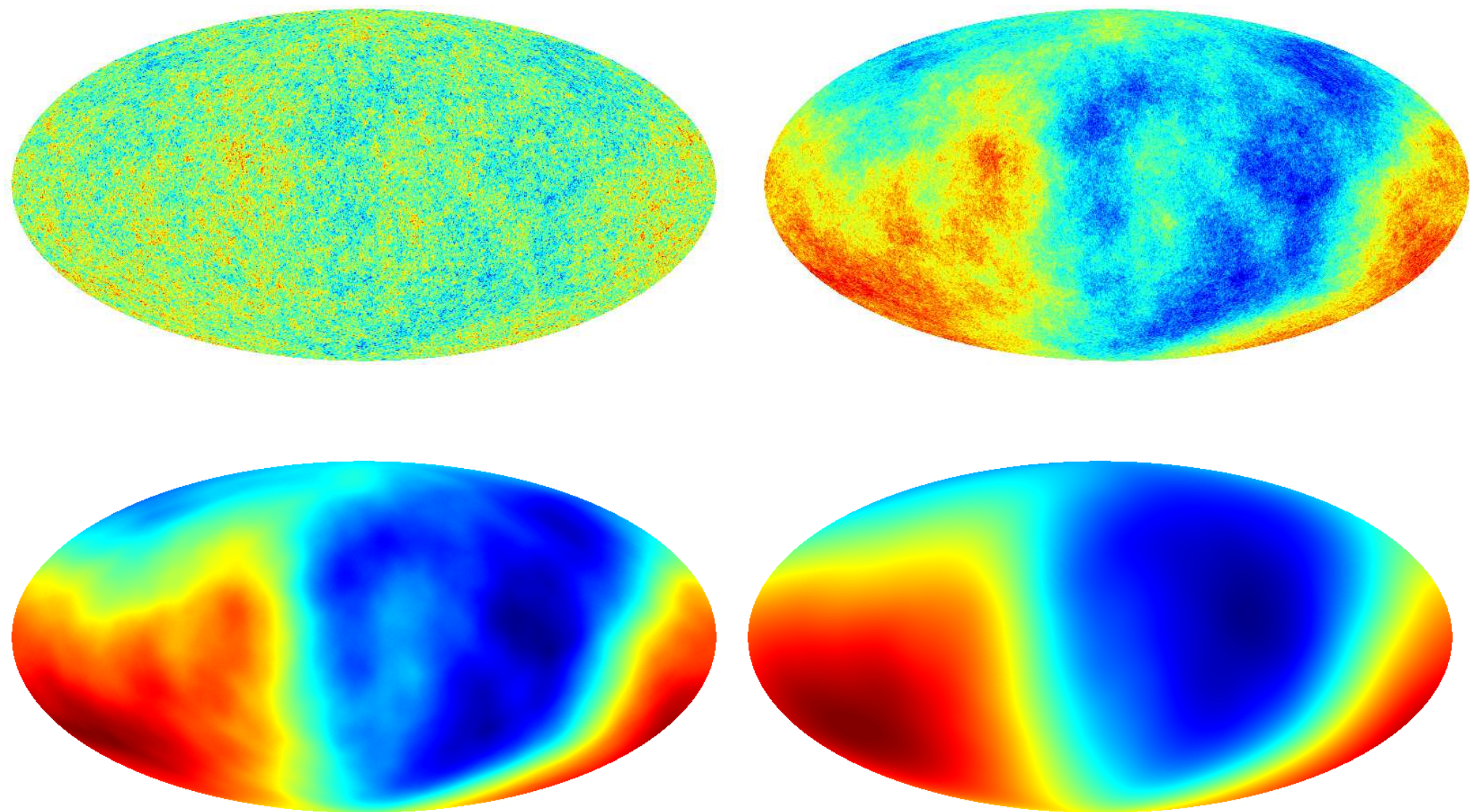
The Cosmic Neutrino Background (CNB)

- Produced 1 s after Big Bang (CMB: 379k years)
- Number density: about $330 \text{ cm}^{-3} = 6 n_0$
- Temperature: 1.9 K
- Average kinetic energy: 0.5 meV
- Velocity: $10^{-3} - 1 c$
- CNB neutron cross section: 10^{-27} pb (10^{-63} cm^2)
- Largest neutrino flux on Earth



The Oldest Picture of the Universe in the Future?

[Hannestad & Brandbyge '06]



$m_\nu = (10^{-5} \text{ eV}, 10^{-3} \text{ eV}, 10^{-2} \text{ eV}, 10^{-1} \text{ eV})$ from upper left to lower right

Quantum Sensors

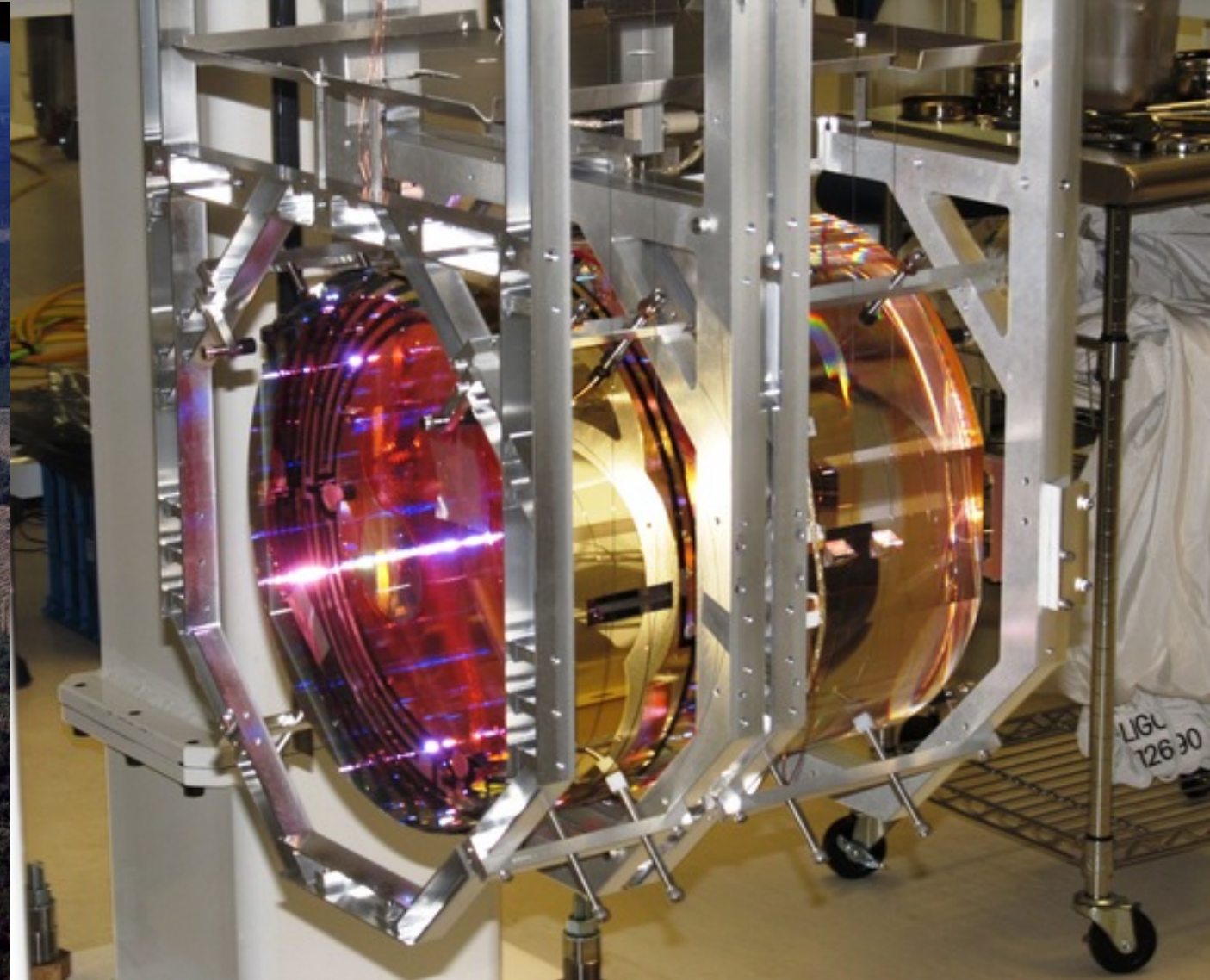
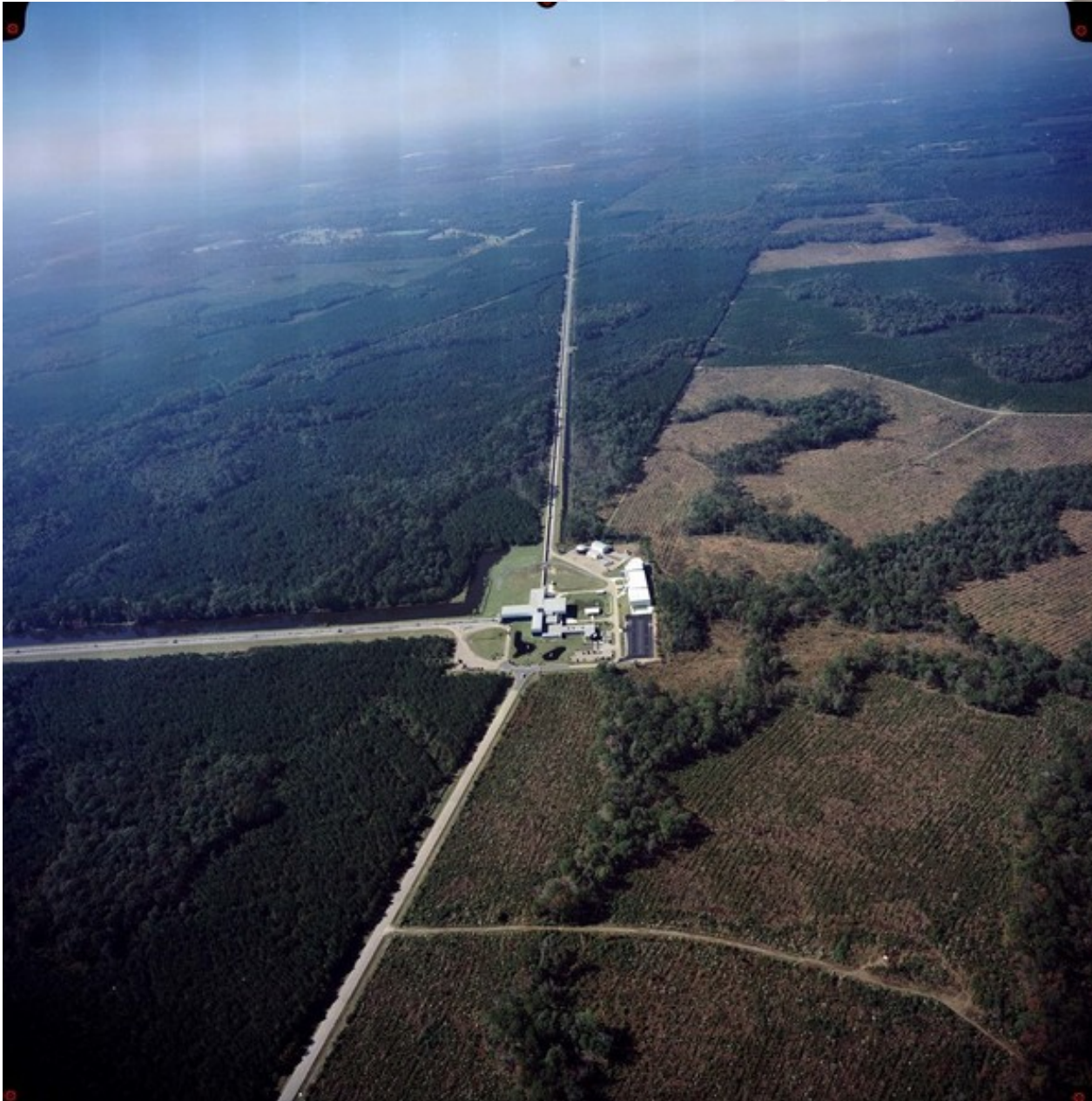
- Wikipedia's [definition](#) (accessed 29/11/25):

"Within [quantum technology](#), a **quantum sensor** utilizes quantum mechanical phenomena, such as [quantum superposition](#), [quantum entanglement](#), and [quantum squeezing](#), to measure things."
- Here we will consider
 - Superconducting Quantum Interference Devices (SQUIDs)
 - Spin Exchange Relaxation-Free (SERF) magnetometers
 - Laser and matter interferometers



Famous Example: Gravitational Wave Detectors

[LIGO Livingston, Courtesy Caltech/MIT/LIGO Laboratory 2016]



[LIGO test mass, Courtesy Caltech/MIT/LIGO Laboratory 2016]

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What if neutrinos have charge?

- Lots of interesting phenomena

[Reviews: Giunti, Studenikin '14; Giunti, Kouzakov, Li, Studenikin '24, ...]

- Well-known: Moving charges create B-field

$$\vec{B}_\nu = \frac{q_\nu e}{4\pi\epsilon_0 c} \frac{\gamma_\nu |\vec{\beta}_\nu| R_\perp \hat{e}_\phi}{\left(R_\perp^2 + \gamma_\nu^2 R_\parallel^2\right)^{\frac{3}{2}}},$$

[Shergold, MS '24]

- Just take lots of neutrinos (a beam) and put in a sensitive magnetometer



Prospects?

[Shergold, MS '24]

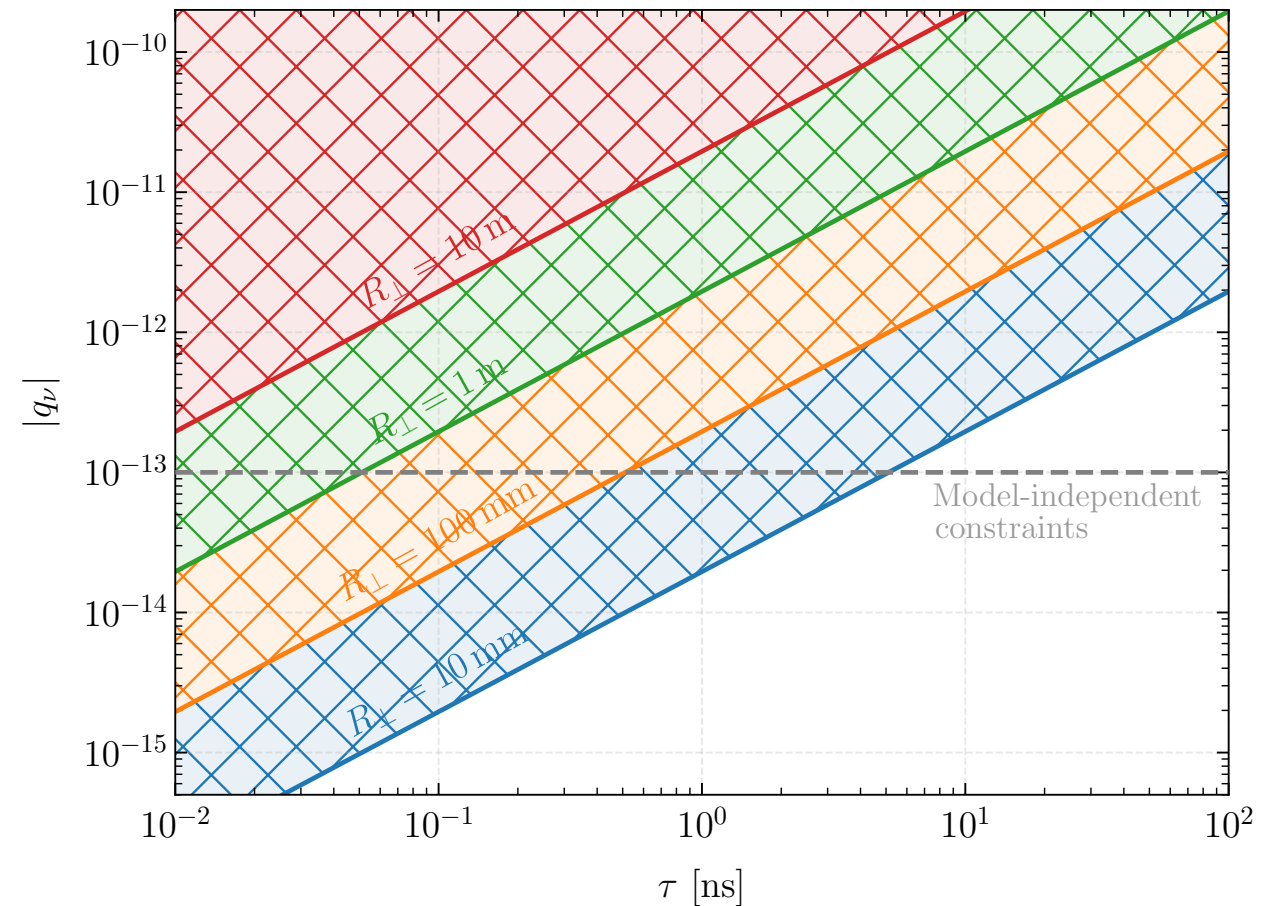
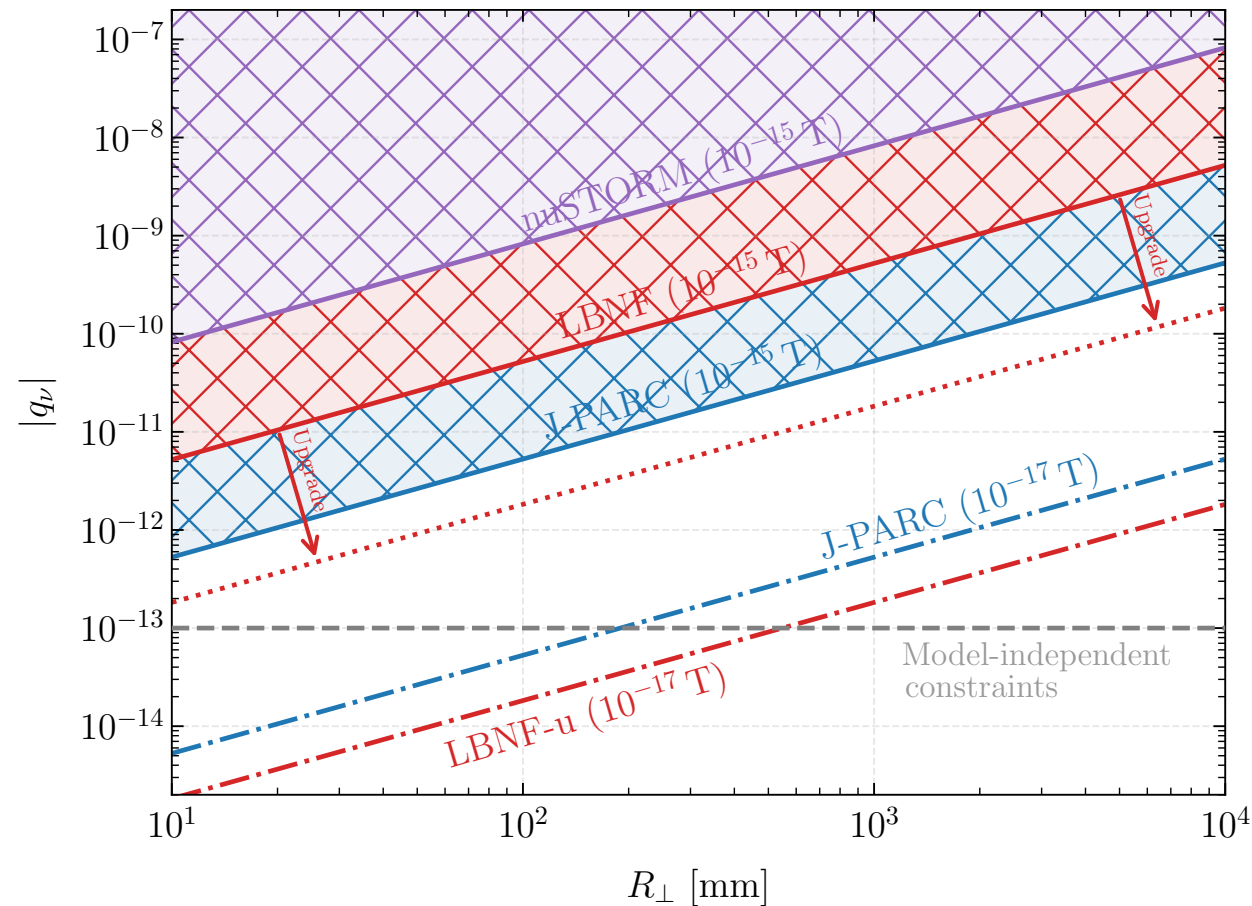


FIG. 1. Sensitivity to the neutrino charge for left panel: the most promising existing and upcoming neutrino experiments, cf. Table I, and right panel: a toy experiment with variable bunch size, but otherwise the same beam parameters as J-PARC. In both panels, the solid lines assume a magnetometer with sensitivity comparable to existing SQUIDs, $B_{\text{ref}} \simeq 10^{-15}$ T, while the dot-dashed lines assume sensitivity to $B_{\text{ref}} \simeq 10^{-17}$ T, akin to a SERF magnetometer. The horizontal dashed line represents the current, most stringent, model-independent laboratory bounds on the individual flavor-diagonal charges, $|q_{\nu_\alpha}| \lesssim 10^{-13}$ [10–12].

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The Idea

[Domcke, MS '17]

- Pendulum in neutrino wind

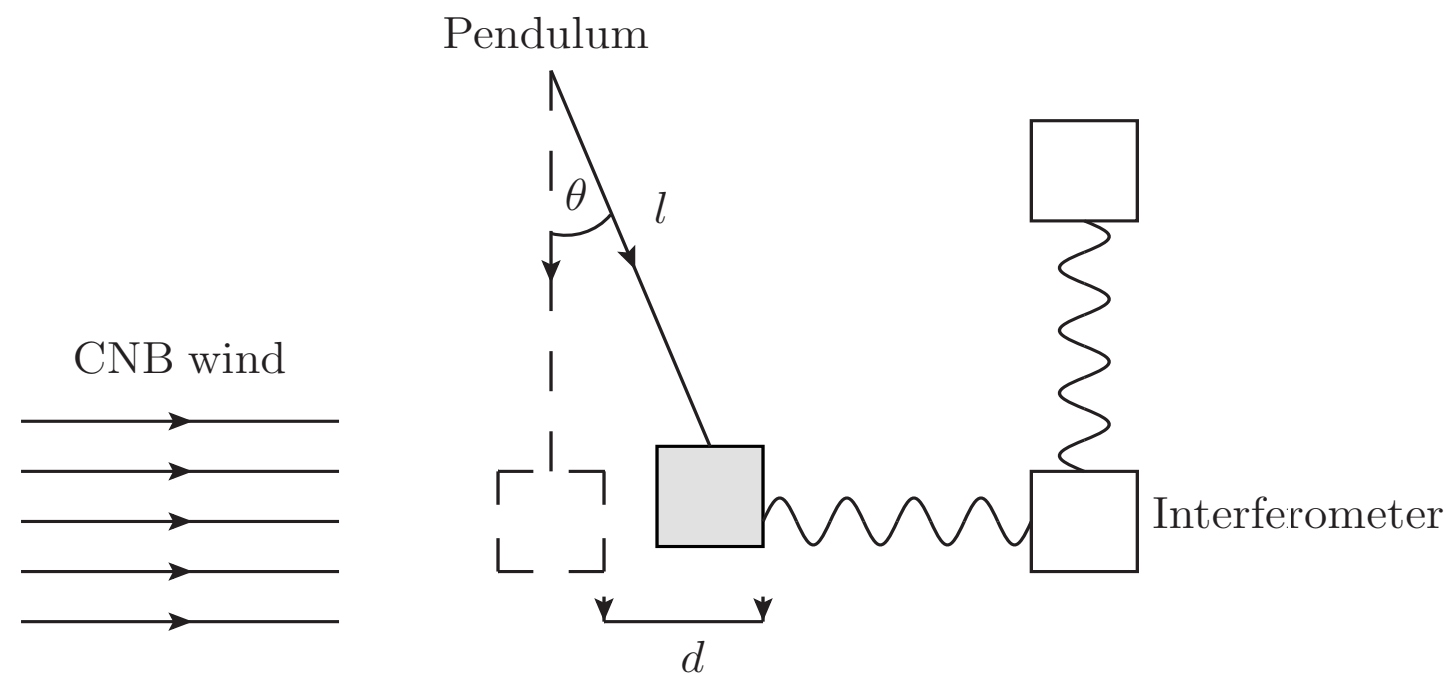
$$a_\nu \gtrsim \frac{g}{l} d$$

- LIGO-like interferometers

$$a_\nu \gtrsim 10^{-16} \text{ cm/s}^2$$

- Einstein telescope maybe

$$a_\nu \gtrsim 3 \cdot 10^{-18} \text{ cm/s}^2$$



[For more general particle physics applications,
see Englert, Hild, Spannowsky '17]

Theory: Scattering

[Domcke, MS '17; see also Duda *et al.* '01, ..., Opher '74]

- The basic formula

$$a_{G_F^2} = \Phi_\nu \frac{N_{AV}}{A m_{AV}} N_c \sigma_{\nu-A} \langle \Delta p \rangle$$

- Incoming flux: Φ_ν
- #nuclei in 1 g test material: $N_{AV} / (A m_A V)$
- Neutrino-nucleus cross-section: $\sigma_{\nu-A}$
- Coherence factor: N_c
- Average momentum transfer: $\langle \Delta p \rangle$



Theory: Scattering

[Domcke, MS '17; see also Duda *et al.* '01, ..., Opher '74]

- Results for three kinematical cases:

$$a_{G_F^2} = \frac{n_\nu}{2 \bar{n}_\nu} \begin{cases} 3 \cdot 10^{-33} \text{ cm/s}^2 & \text{for (R)} \\ 5 \cdot 10^{-31} (m_\nu / 0.1 \text{ eV}/c^2) \text{ cm/s}^2 & \text{for (NR-NC)} \\ 2 \cdot 10^{-27} (10^{-3} / \beta_{\text{vir}}) \text{ cm/s}^2 & \text{for (NR-C)} \end{cases}$$

(There is also an acceleration from the Stodolsky effect which is smaller than NR-C)

- Compare to experimental sensitivity:

$$a_\nu \gtrsim 10^{-16} \text{ cm/s}^2$$



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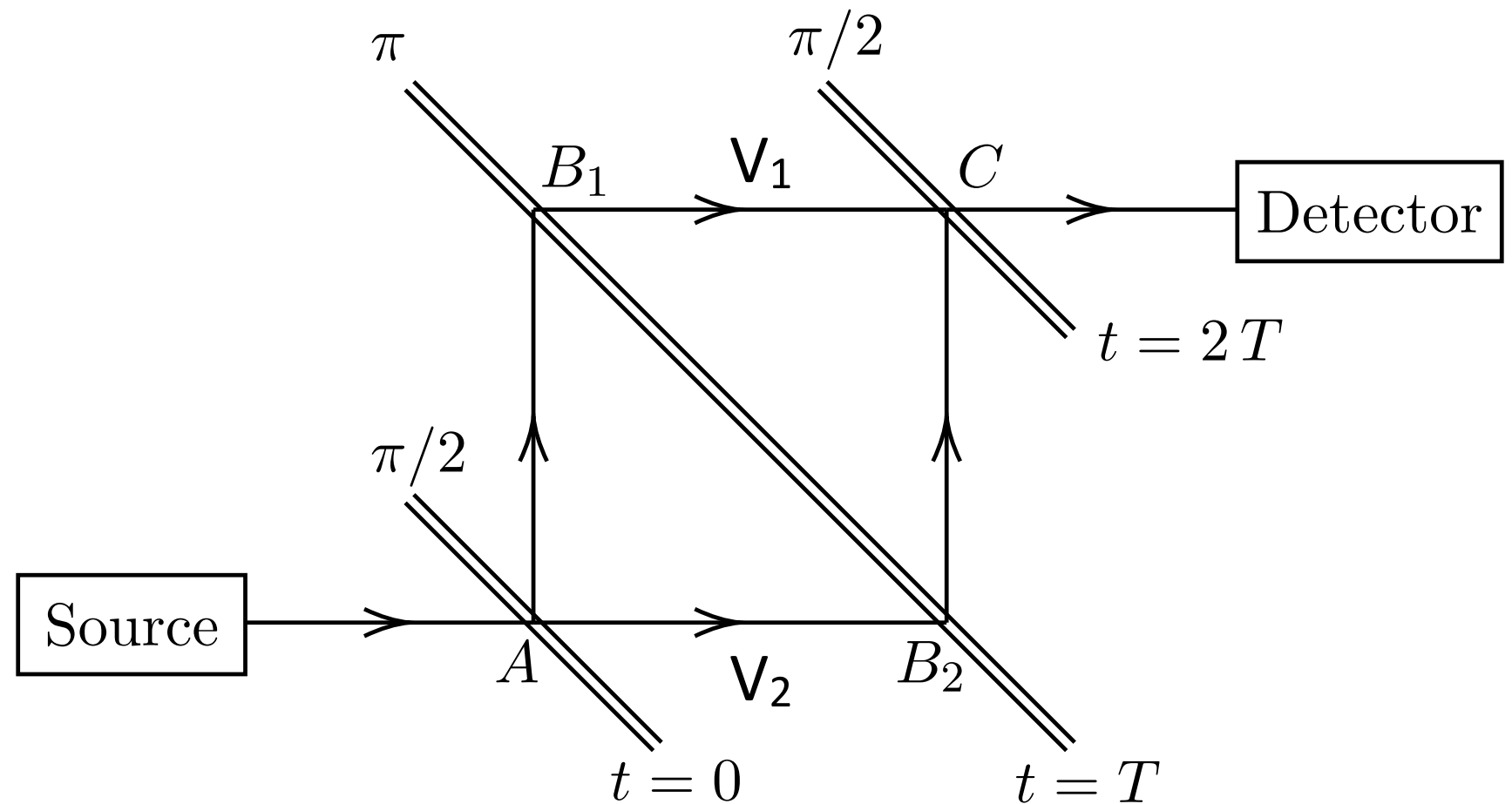
Why Matter Interferometers?

[Nugroho, MS '25]

- Advantage in talk by Vincent Gene L. Otero:
 - Neutrinos interact directly with light in interferometer
- But what if they have no charge?
 - Neutral neutrinos interact with matter
- Try matter interferometers!



Matter Interferometers



Key formula for measured phase difference

[Figure taken from Nugroho, MS '25 where you can also find more references about matter interferometers]

$$\Delta\Phi = -\frac{1}{\hbar} \oint V(\vec{x}) dt = \frac{1}{\hbar} (V_2 - V_1) T$$

What is the physics?

- The Hamiltonian coupling neutrinos to a matter fermion ψ_T

$$\mathcal{H}(x) = \frac{G_F}{\sqrt{2}} \sum_{i,j} \bar{\nu}_i \gamma_\mu (1 - \gamma_5) \nu_j \bar{\psi}_T \gamma^\mu (V_{ij} - A_{ij} \gamma_5) \psi_T$$

- Effective potential can be written as

$$\begin{aligned}
 V_\nu = & \phi_\nu(\vec{r}) && \leftarrow \text{scalar potential} \\
 & && \text{[Wolfenstein '78; Mikheyev, Smirnov '86]} \\
 & - \vec{\mu}_T \cdot \vec{B}_\nu(\vec{r}) - \sum_{k,s_k} \vec{\mu}_k \cdot \vec{B}_T(\vec{r}) && \leftarrow \text{pseudo B-fields} \\
 & && \text{[potential for Stodolsky '75]} \\
 & - \sum_{k,s_k} I_k(\vec{r}) \vec{\mu}_k \cdot \vec{\mu}_T && \leftarrow \text{spin-spin interaction} \\
 & && \text{[potential for Stodolsky '75]}
 \end{aligned}$$

Some First Estimates

- Necessary: Lepton asymmetry Δ_ν (< 35)
[Domcke *et al.* '25]
- For a non-relativistic Dirac neutrino species coupling to a single neutron

$$\phi_{\nu, NR}^D \approx \frac{G_F}{\sqrt{2}} \frac{\Delta_\nu}{\text{cm}^3} V_{11} \approx -3.18 \times 10^{-38} \Delta_\nu \text{ eV} ,$$

$$|\vec{B}_{\nu, NR}^D| \approx \frac{G_F}{\sqrt{2}} \frac{1}{|\vec{\mu}_n|} \frac{|\Delta_\nu|}{\text{cm}^3} A_{11} \approx 5.27 \times 10^{-31} |\Delta_\nu| \text{ T} ,$$

$$|I_{k, NR}^D| \approx \frac{G_F}{\sqrt{2}} \frac{1}{|\vec{\mu}_k| |\vec{\mu}_n|} \frac{|\Delta_\nu|}{\text{cm}^3} A_{11} \approx 5.27 \times 10^{-31} \frac{|\Delta_\nu|}{|\vec{\mu}_k|} \text{ T}$$

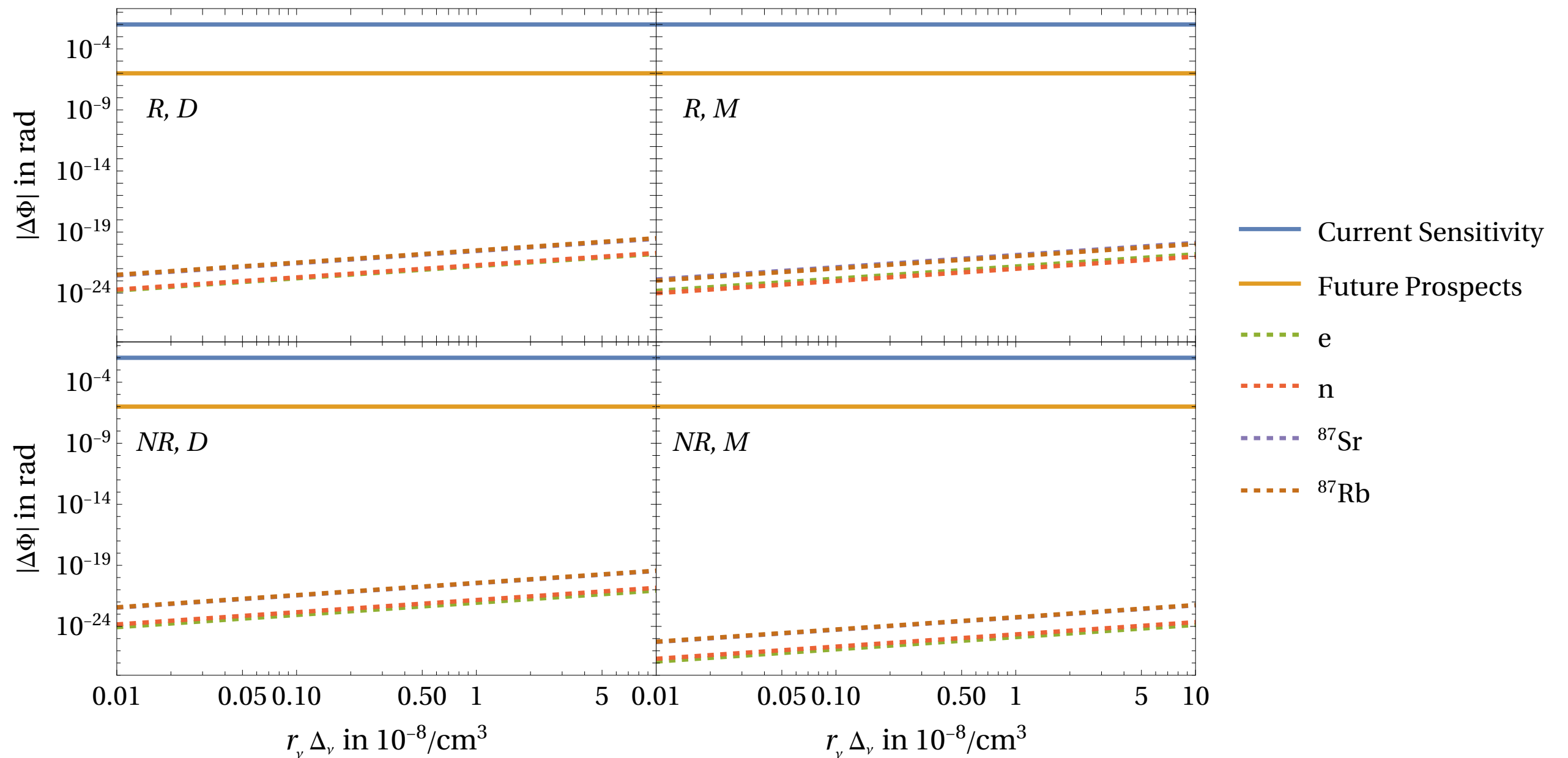
[Nugroho, MS '25]



Neutrino-Matter Potential

Neutrino-Matter Potential

[Nugroho, MS '25]



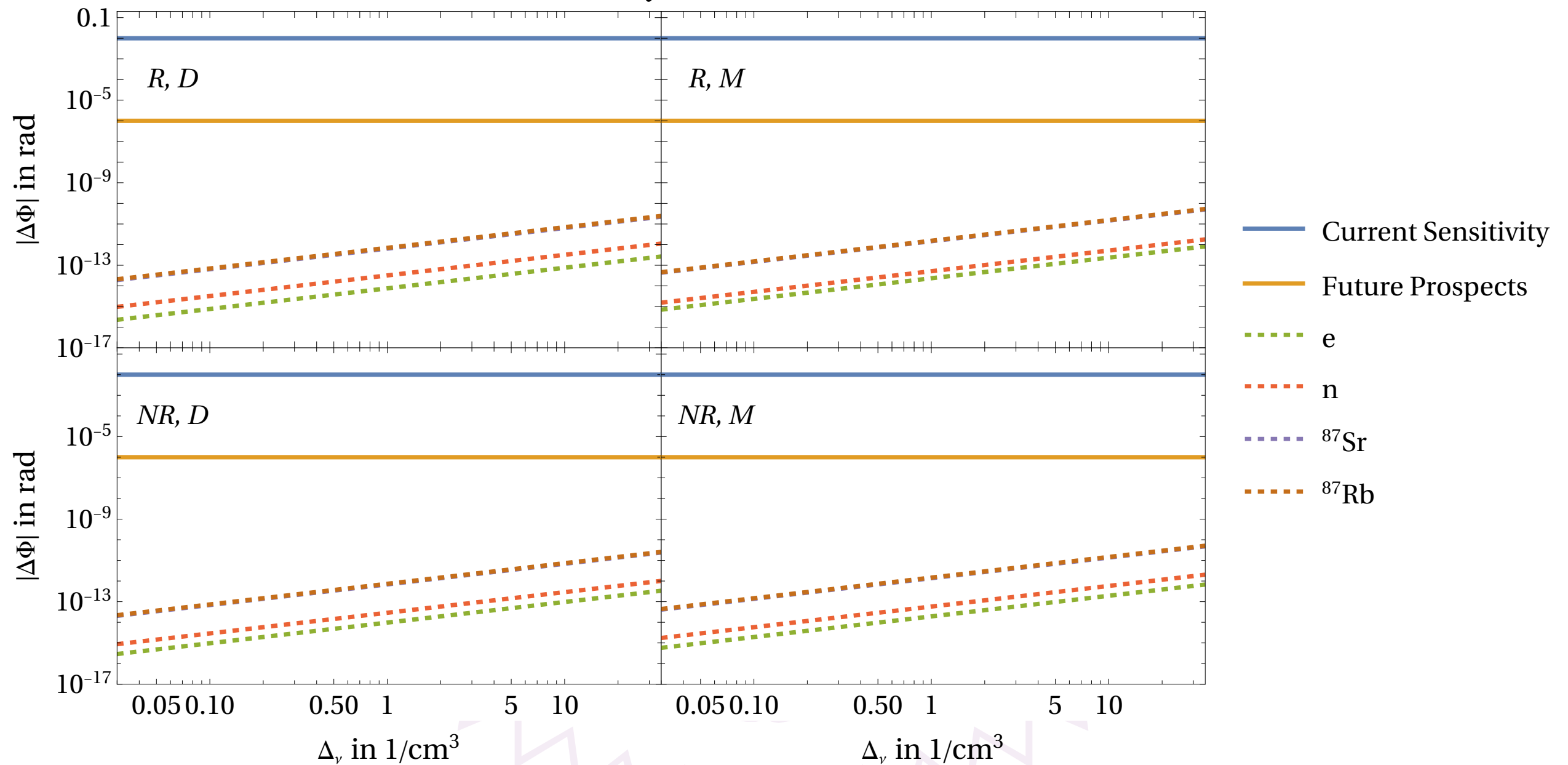
(r_ν represents the density gradient due to diffraction, see the talk from Vincent Gene L. Otero)



Stodolsky Potential

Stodolsky Potential

[Nugroho, MS '25]



(much larger than the neutrino-matter potential but still difficult)



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Dark Matter induced Brownian Motion

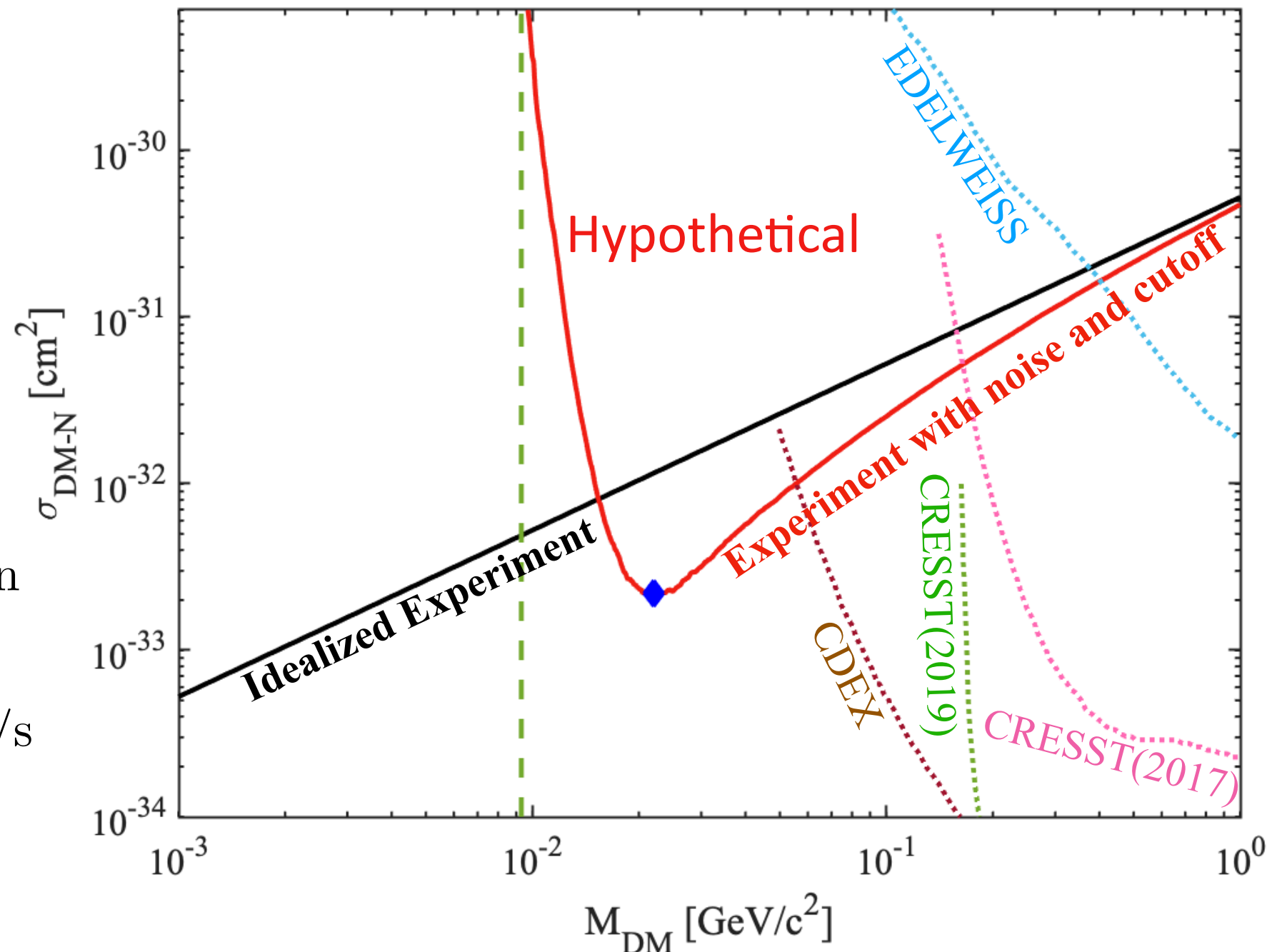
[Cheng, Primulando, MS '19]

$$\frac{\langle A \rangle^2}{\sigma_A^2 + \sigma_{\text{bkg}}^2} = 4$$

$$M_T = 10^{-3} \text{ g of carbon}$$

$$\Delta t = 10 \text{ min}$$

$$q_{\text{min}} = 2 \times 10^{-23} \text{ kg m/s}$$



DM Signal at KAGRA?

(Long-Range Force & Heavy DM)

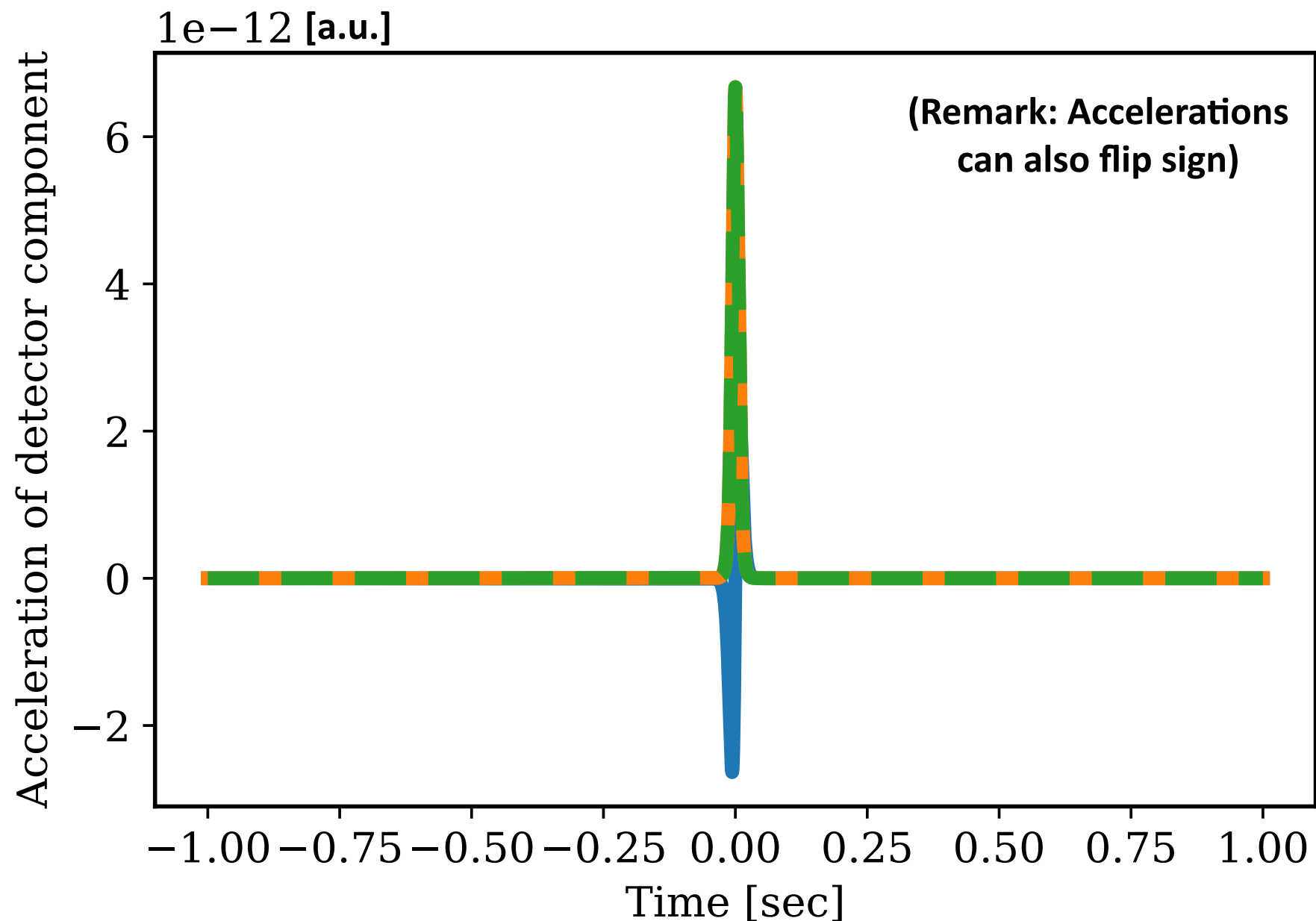
[Hall, Callister, Frolov, Müller, Pospelov, Adhikari '16; Lee, Primulando, MS '22]

- Long-Range force, continuous scattering

$$\vec{F}_{\text{DM}} = \vec{\nabla} \left(M_T M_{\text{DM}} \frac{G_N}{|\vec{x}_T - \vec{x}_{\text{DM}}|} \left(1 + (-1)^s \delta_{\text{SM}} \delta_{\text{DM}} \exp(-|\vec{x}_T - \vec{x}_{\text{DM}}|/\lambda) \right) \right)$$

- We consider λ to be similar to the arm length
- Need to consider all mirrors simultaneously

"Typical" Acceleration on Detector Components



How to define the SNR frequency range?

[Lee, Primulando, MS '22]

Trade-off:

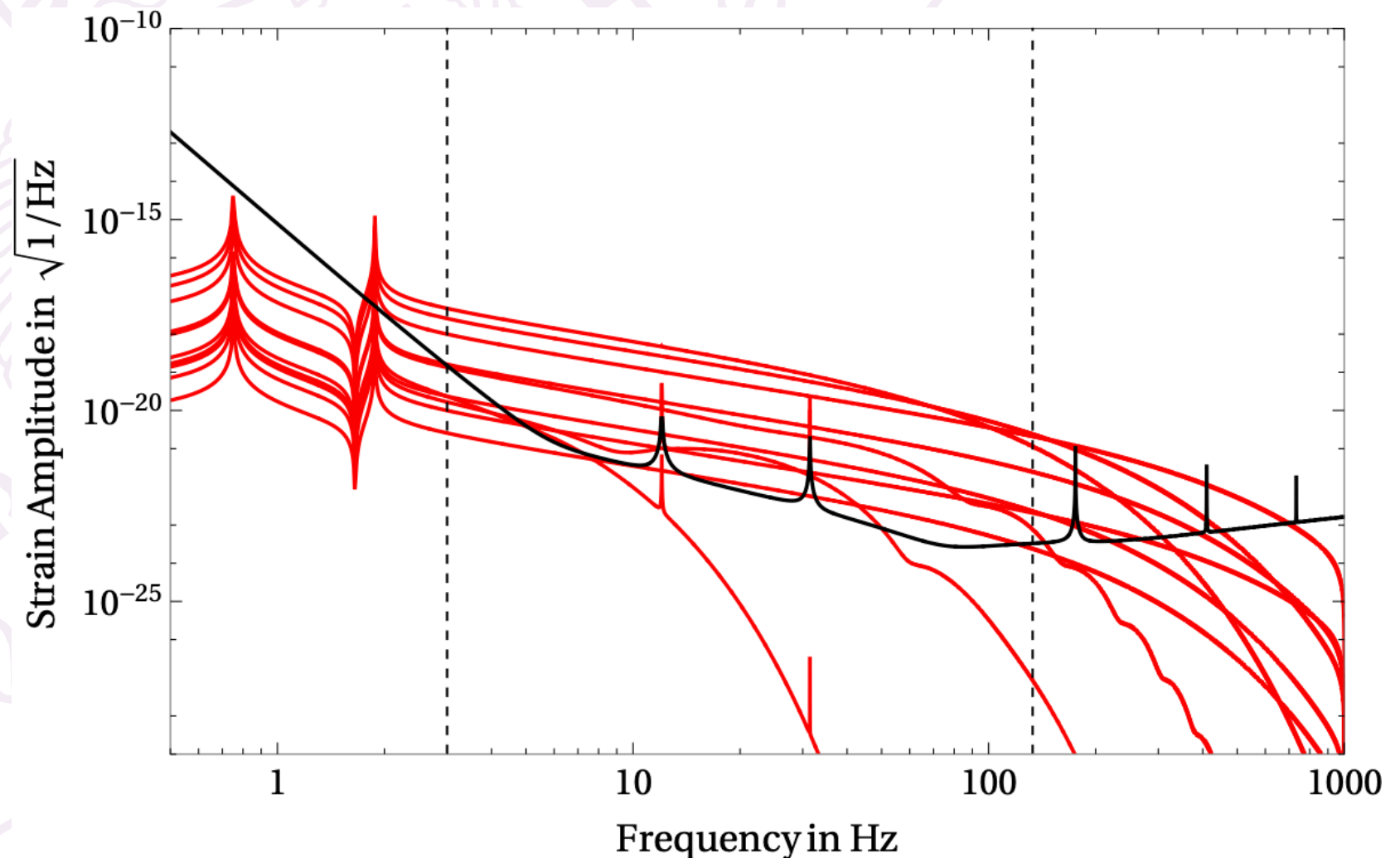
Larger range, larger SNR

Larger range, more costly

Compromise

3 - 133 Hz

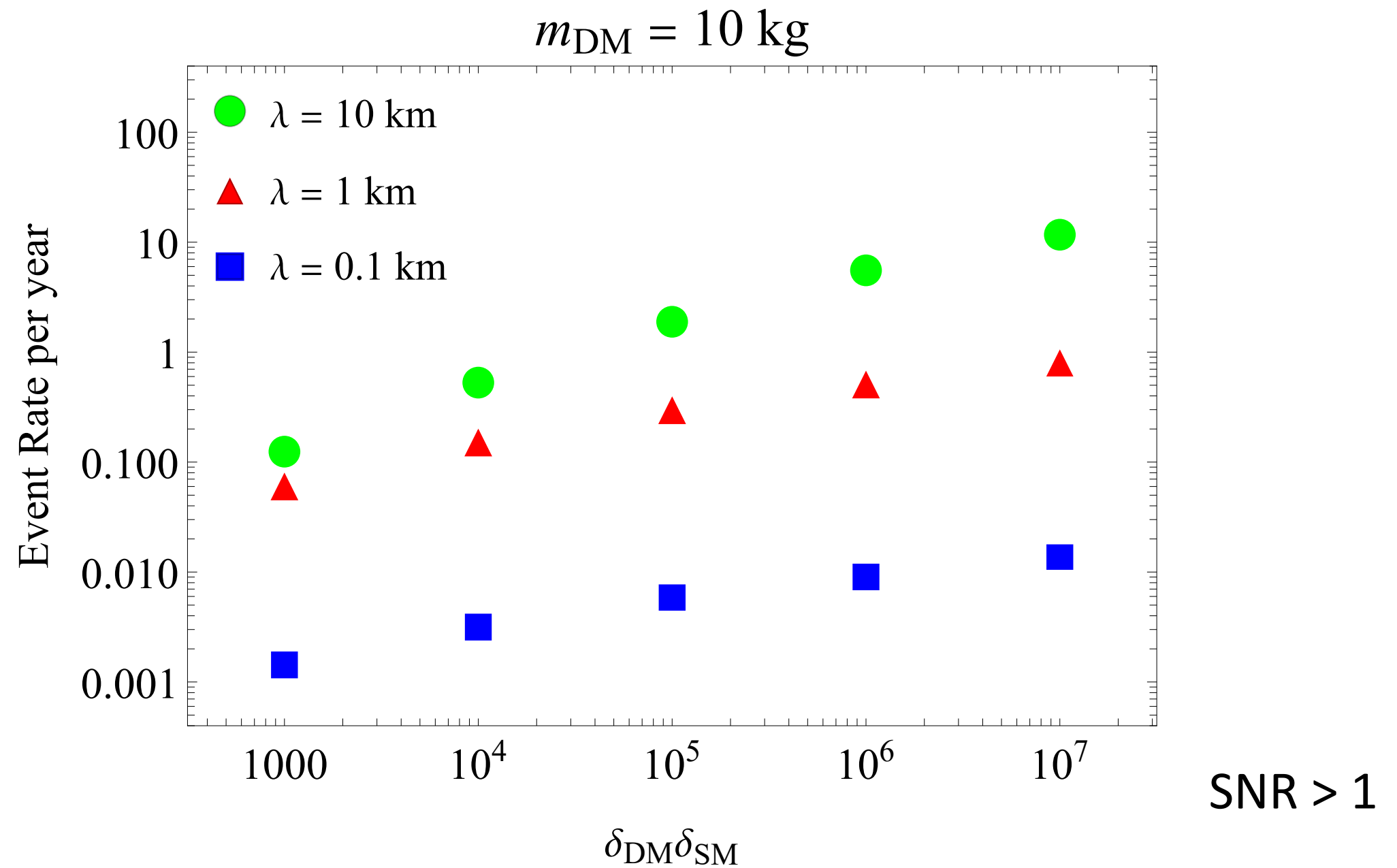
Larger frequencies less
important to find $\rho > 1$



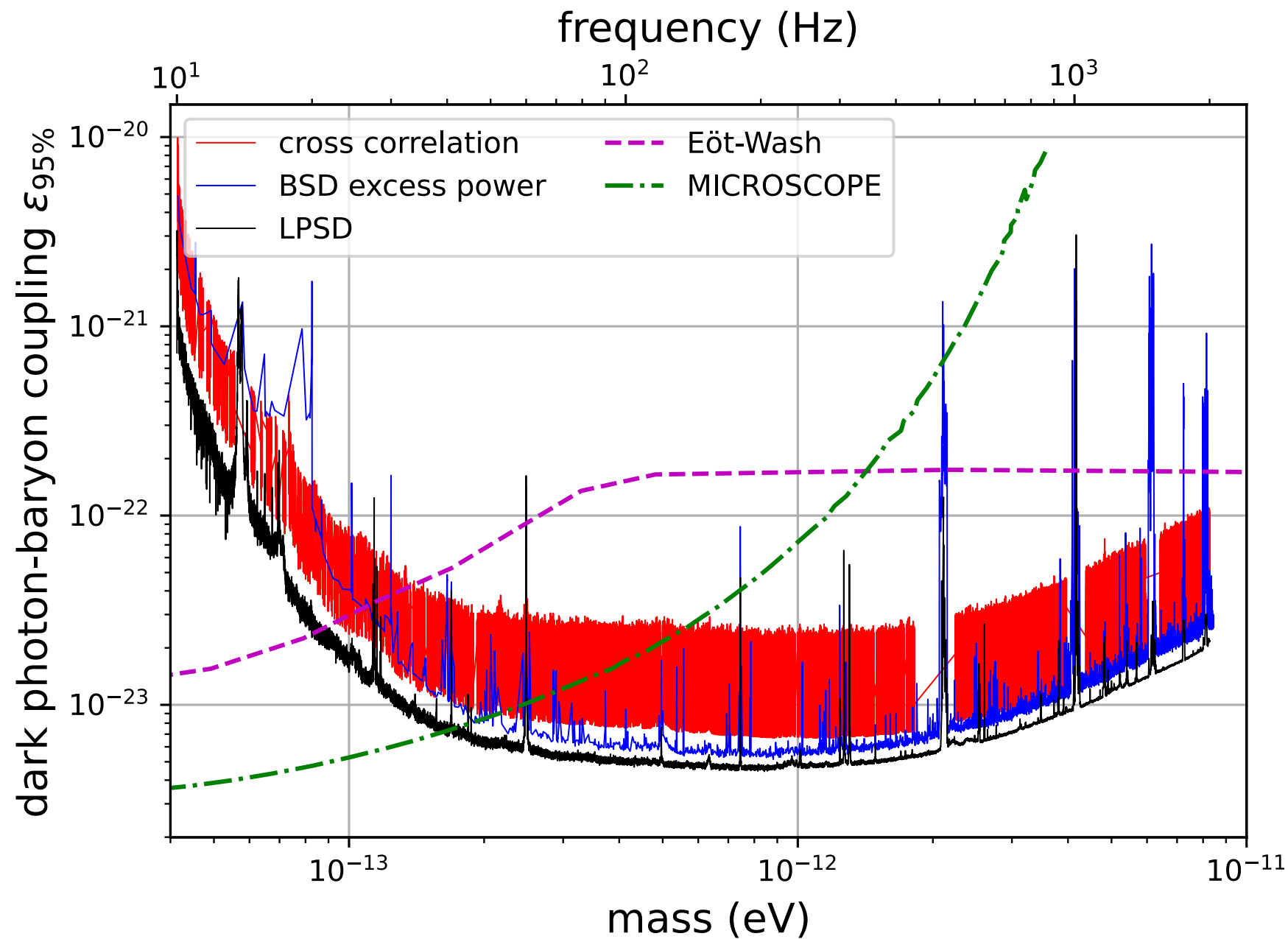
A selection of possible DM signals.

Macroscopic DM at KAGRA

[Lee, Primulando, MS '22]



Example LVK Result



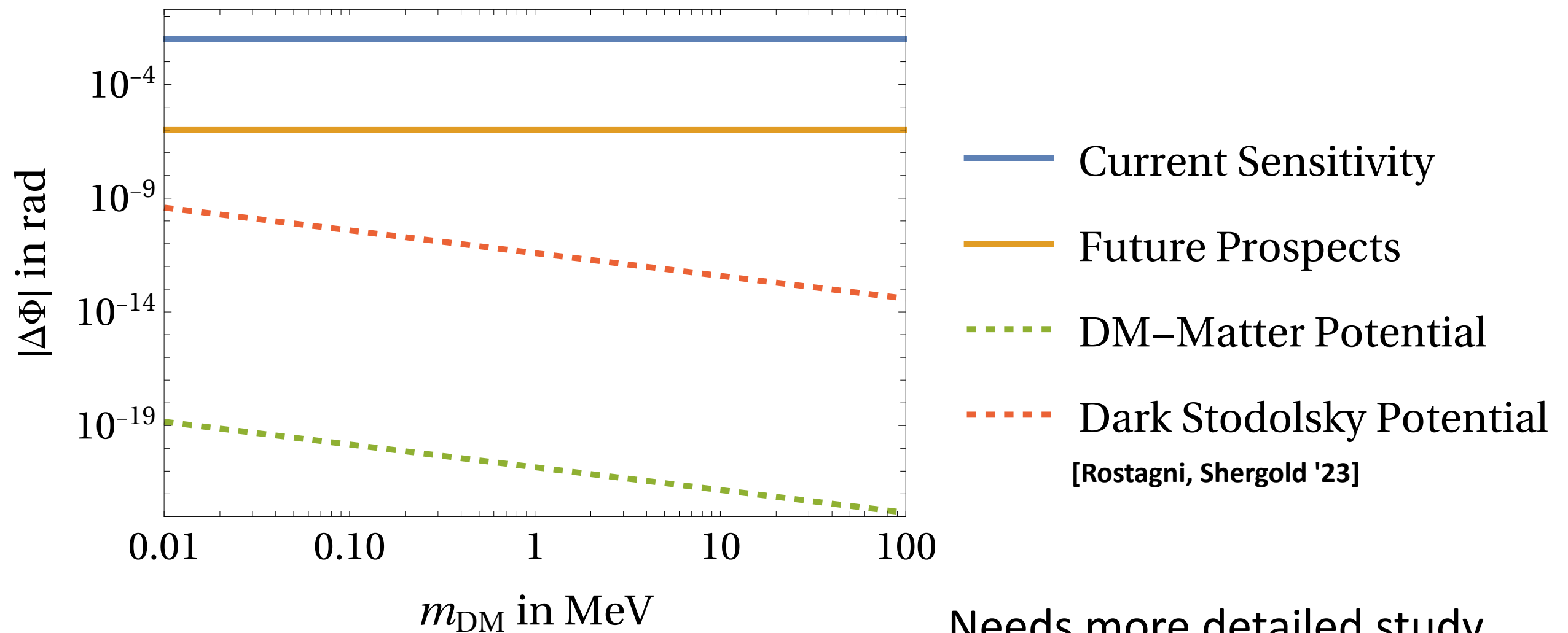
[taken from LIGO, Virgo, KAGRA '25, arXiv:2510.27022]

(b) Dark photons

Dark Matter at Matter Interferometers

[Nugroho, MS '25; also see, e.g., Du *et al.* '22, Badurina *et al.* '25, Arvanitake *et al.* '16, ...]

Dark Matter



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Summary and Conclusions

- Quantum Sensors are exciting
 - Even for particle physicists!
- Can probe neutrino charges in a model-independent way
- It is difficult to see the CNB in interferometers
 - Other proposals necessary (PTOLEMY?)
- Dark Matter has more promising prospects

