

Compton Imaging with Pixelized Detectors and Applications

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PIRE GEMADARC Summer School, Taiwan
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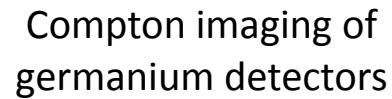
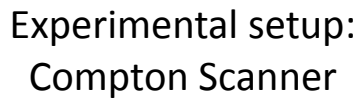
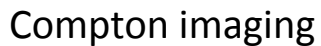


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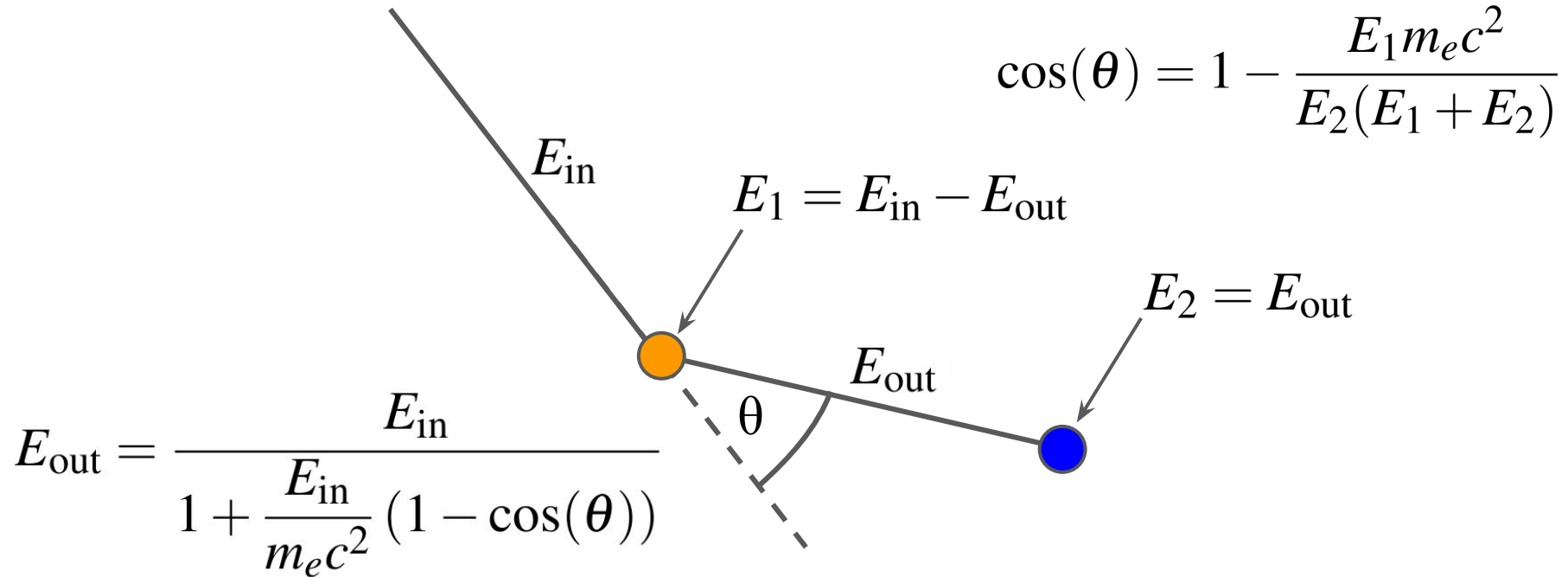
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Compton imaging

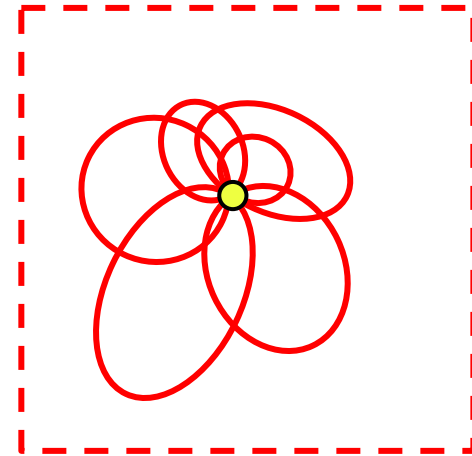
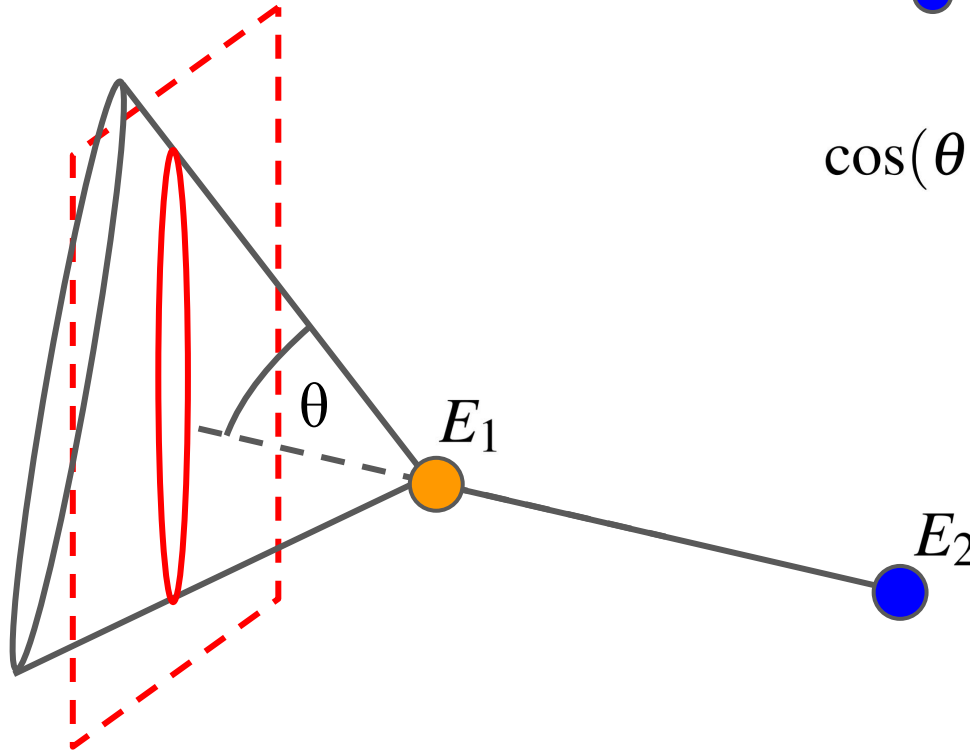
- Compton scattering
- Photoelectric absorption



Compton imaging

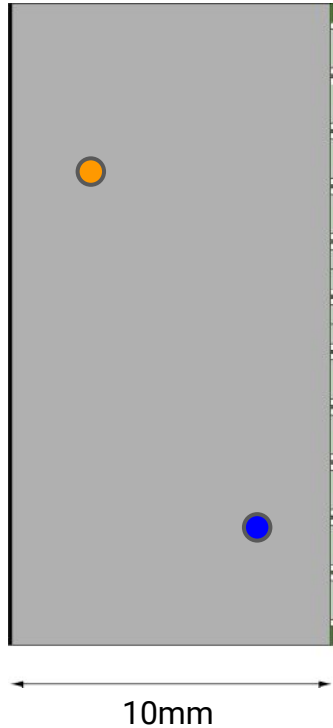
- Compton scattering
- Photoelectric absorption

$$\cos(\theta) = 1 - \frac{E_1 m_e c^2}{E_2 (E_1 + E_2)}$$

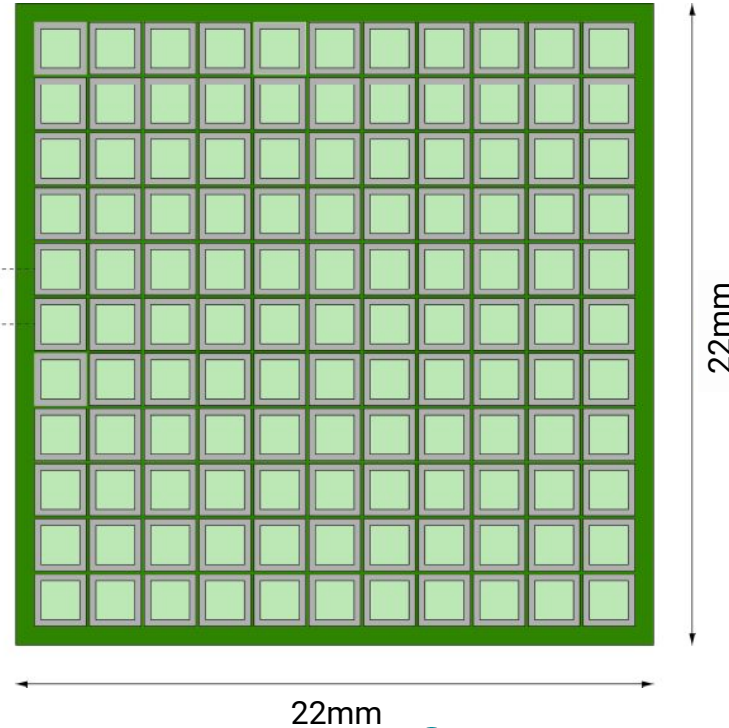


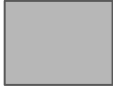
Pixelized Detectors

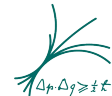
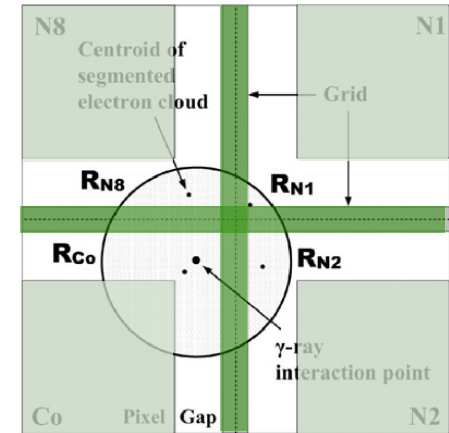
Side view



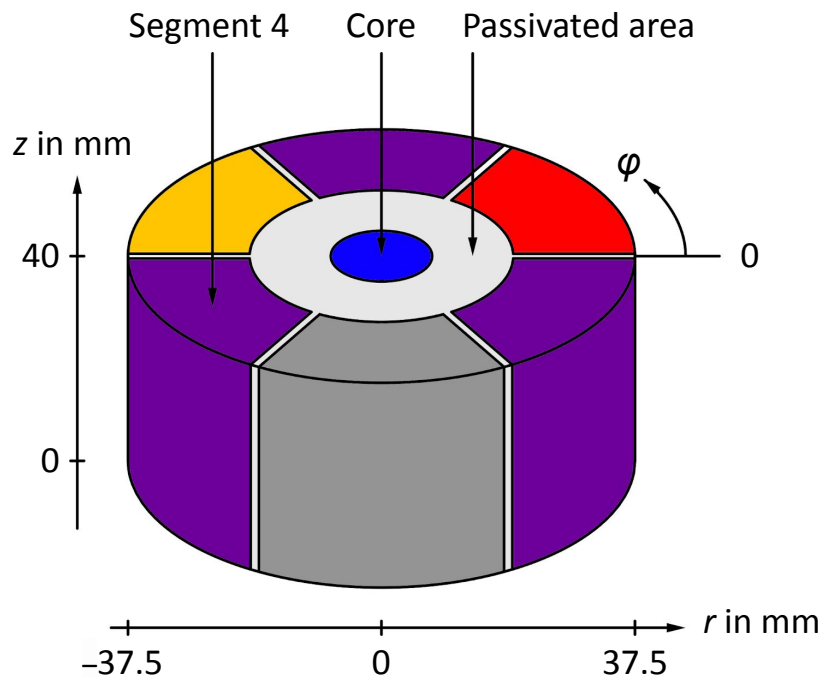
Front view



-  Single crystal CdZnTe
-  Cathode contact (covers whole back surface)
-  Anode pixels



Segmented Broad Energy Germanium Detector



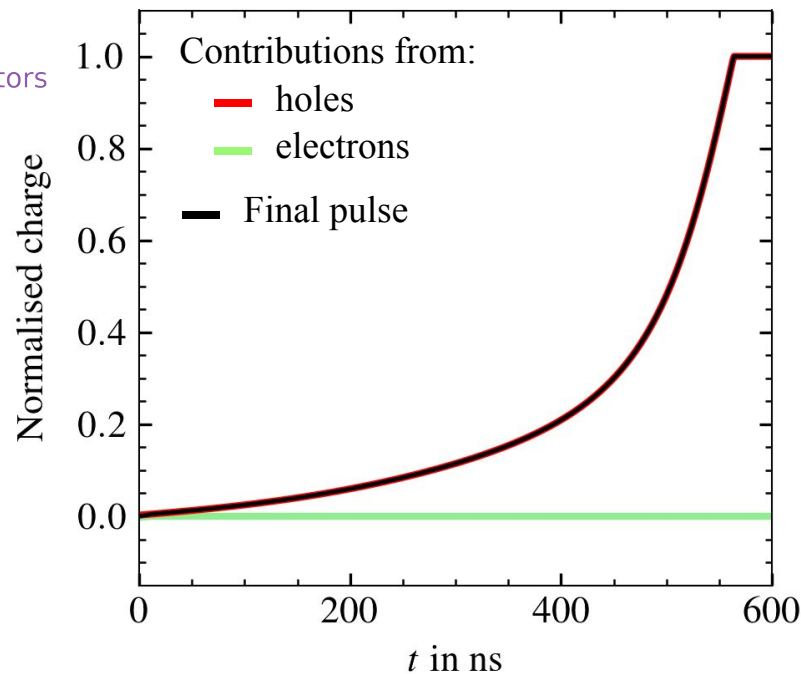
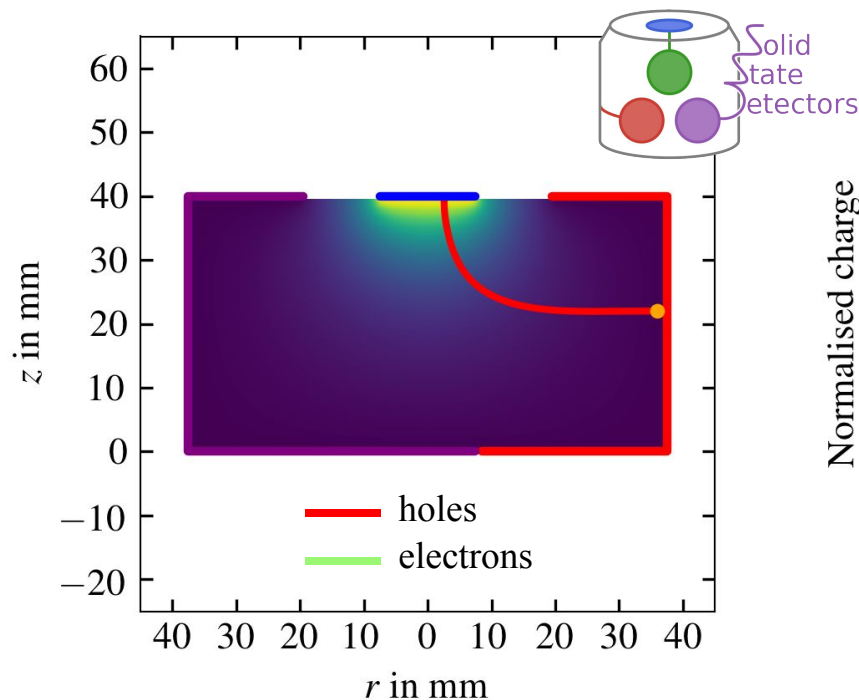
Values in the specification sheet of the detector:

Net carrier concentration:

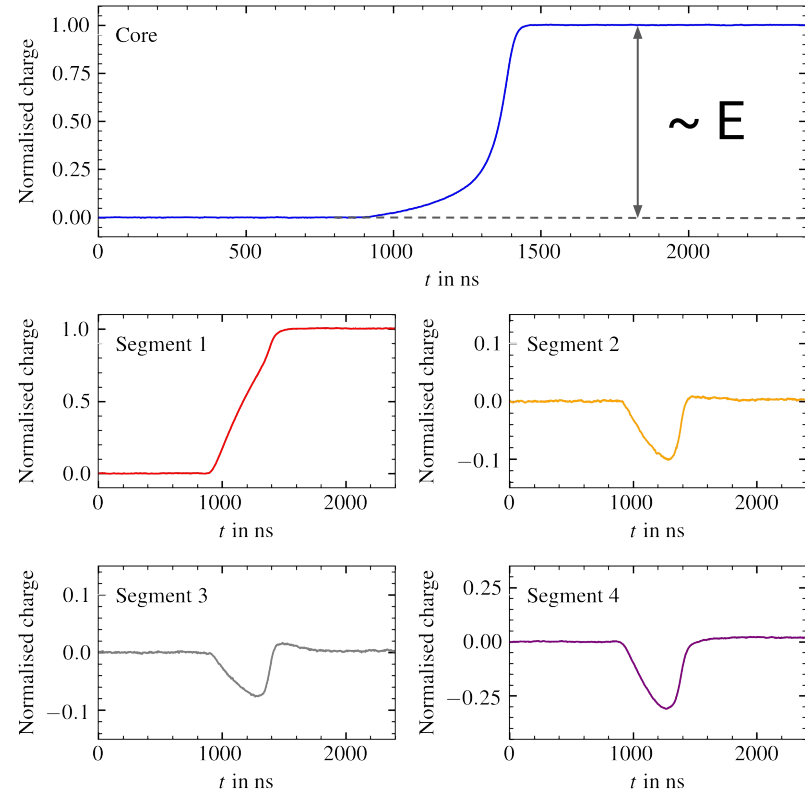
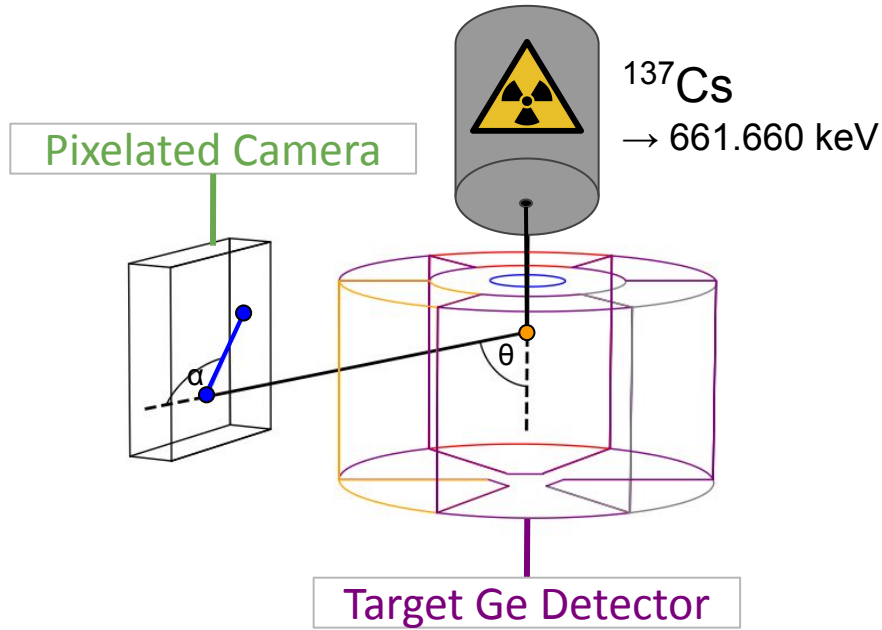
- Top surface: $6.5 \cdot 10^9 \text{ cm}^{-3}$
- Bottom surface: $5.8 \cdot 10^9 \text{ cm}^{-3}$

Note: The net impurity concentration is given by the crystal grower and could be different than the values calculated from depletion measurements.

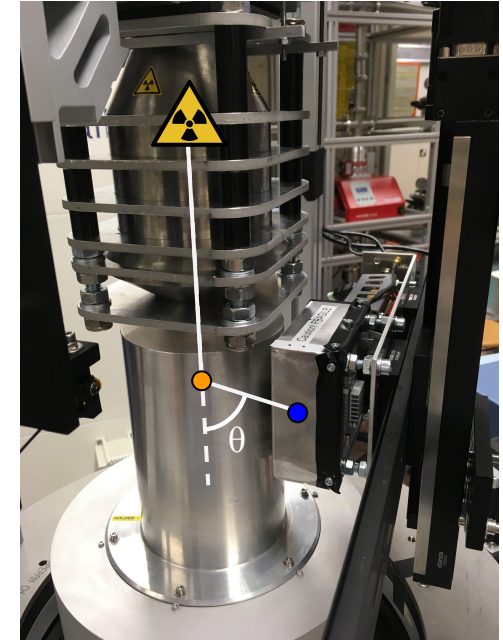
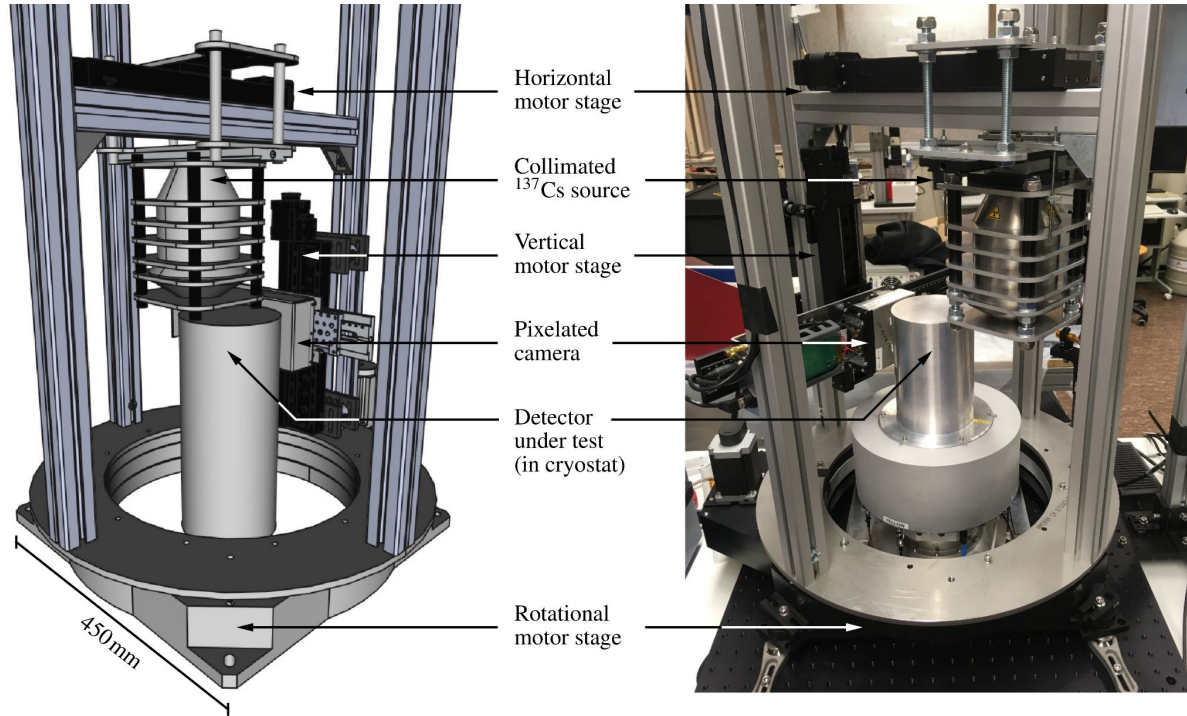
Signal Development in Germanium Detectors



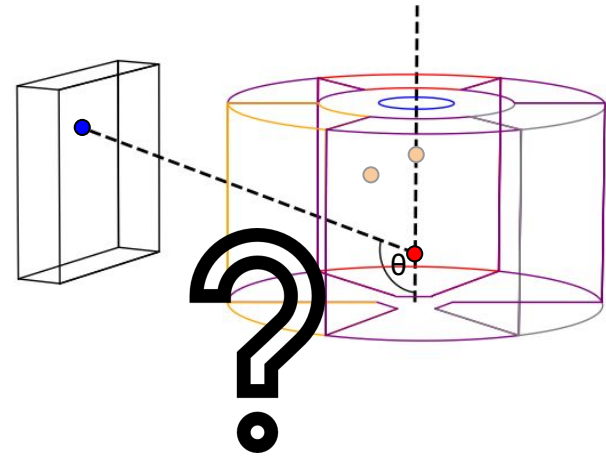
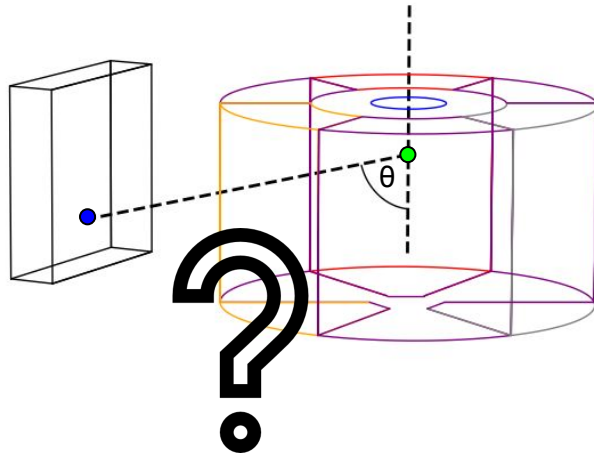
Compton Scanner



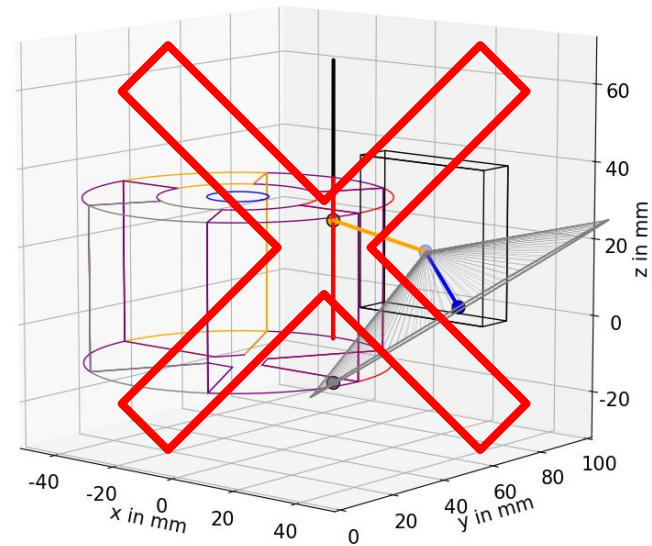
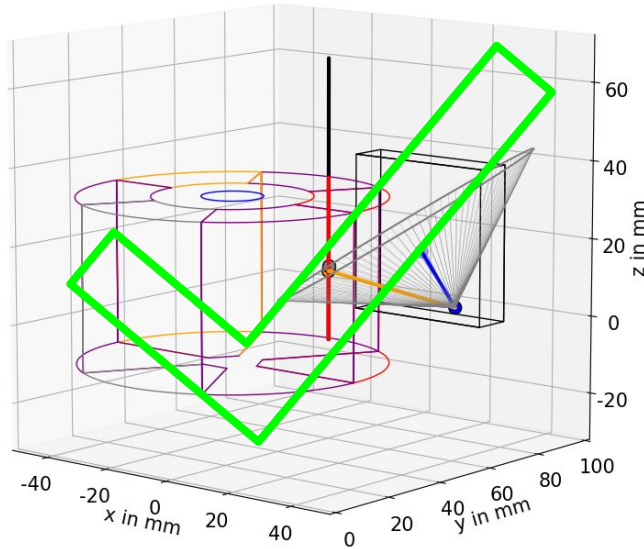
Compton Scanner Setup



Background for Event Selection



Reconstruction Algorithm

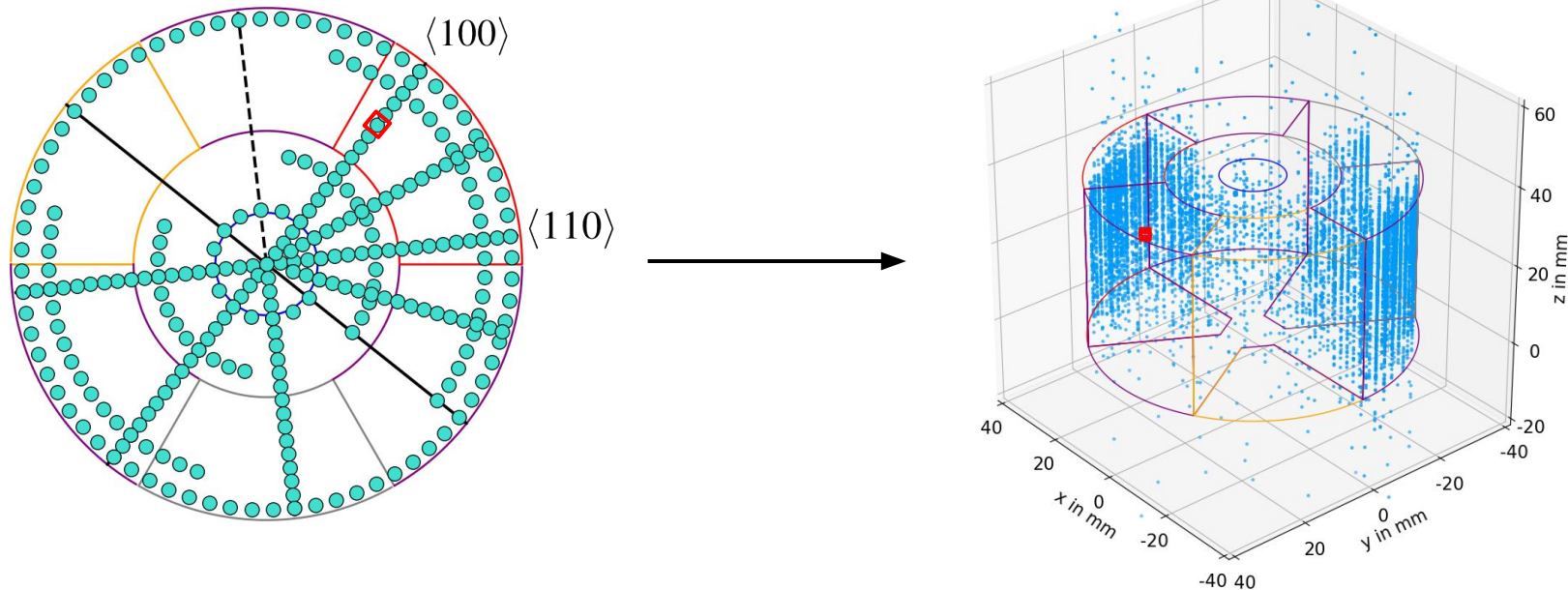


From energy ratio: $\cos(\theta) = 1 - \frac{E_1 m_e c^2}{E_2 (E_1 + E_2)}$

$$z_\theta = z + \sqrt{(x - x_0)^2 + (y - y_0)^2} \cot(\theta)$$

From hits in CZT: $(H_z^2 - \cos^2(\alpha)) z_\alpha^2 + 2(c_z \cos^2(\alpha) - (\vec{H}_0 \cdot (\vec{c}_1 - \vec{x}_0)) H_z) z_\alpha + (\vec{H}_0 \cdot (\vec{c}_1 - \vec{x}_0))^2 - (\vec{c}_1 - \vec{x}_0)^2 \cos^2(\alpha) = 0$

Reconstruction Algorithm Applied to Data



● Beam spot

I. Abt et al., Eur. Phys. J. C **82**: 936 (2022)
doi:10.1140/epjc/s10052-022-11064-8, arXiv: 2202.03116



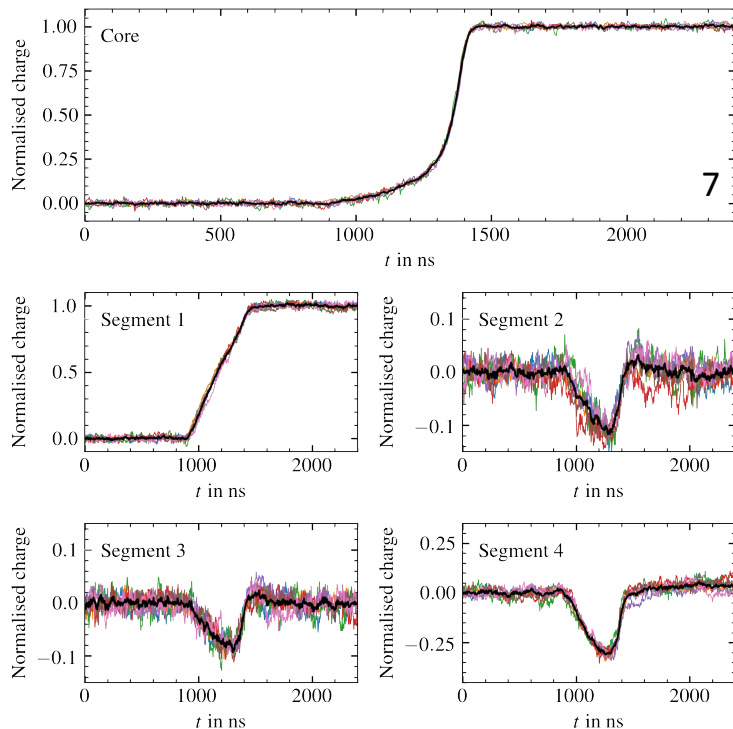
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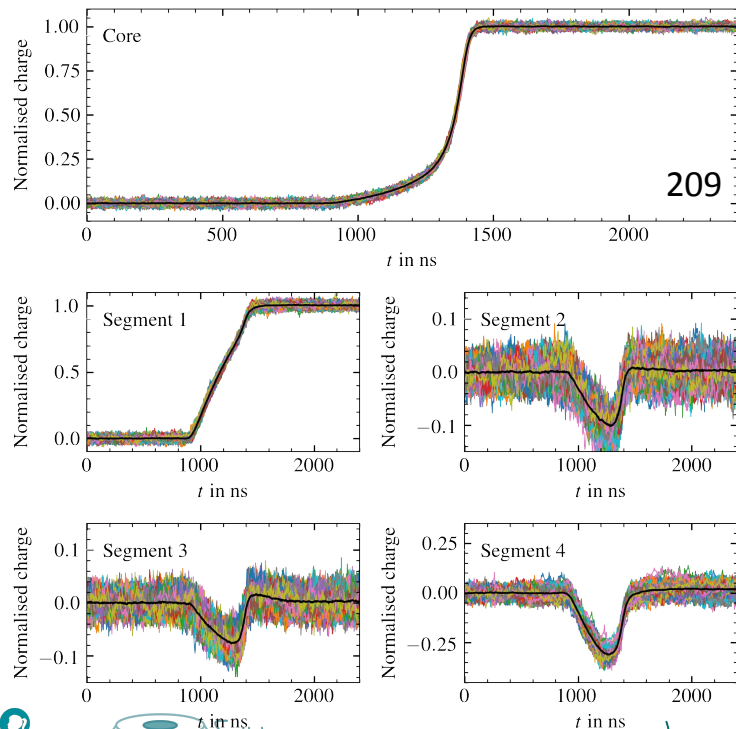
Pulse Shape Selection

→ similarity in core and collecting segment

From events with **2 hits** in the CZT camera:

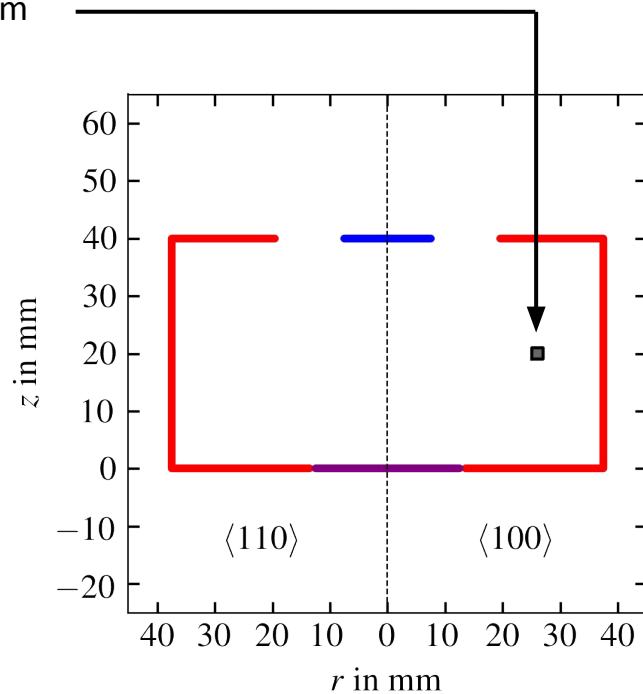
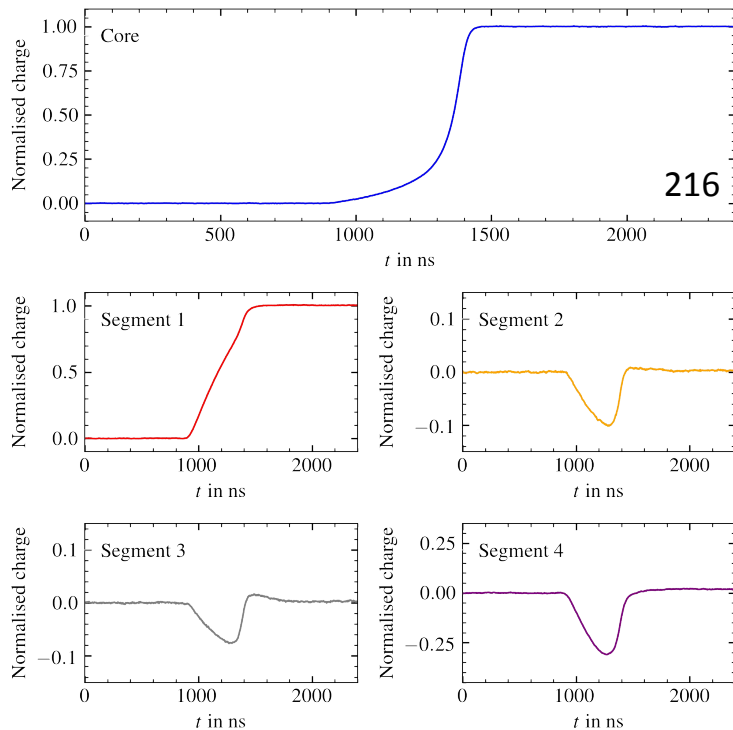


From events with **1 hit** in the CZT camera:

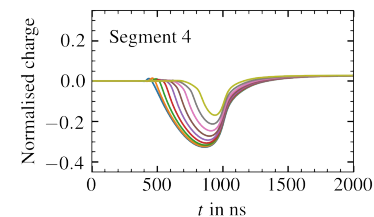
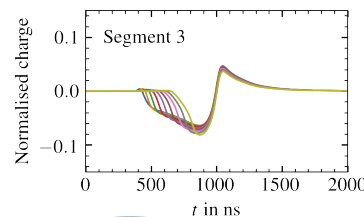
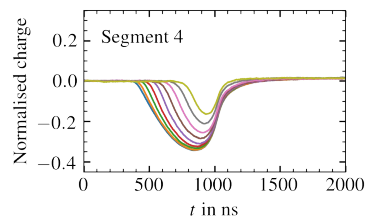
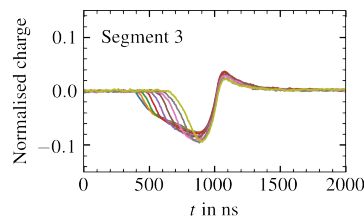
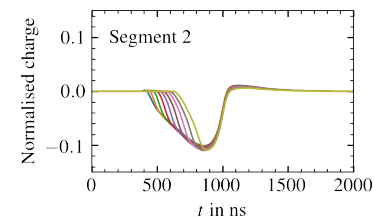
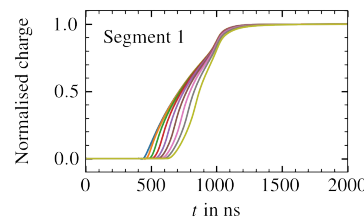
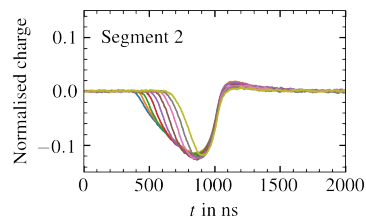
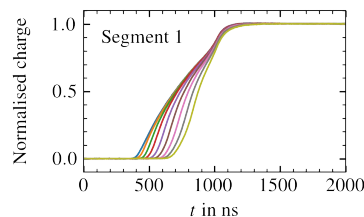
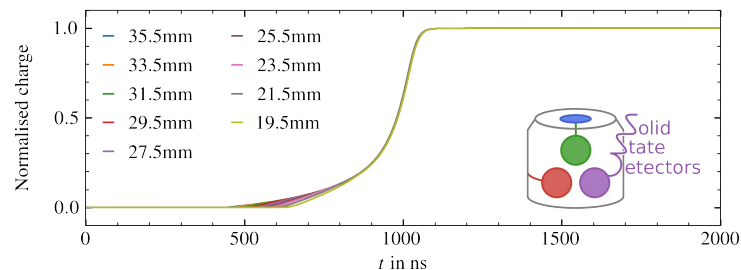
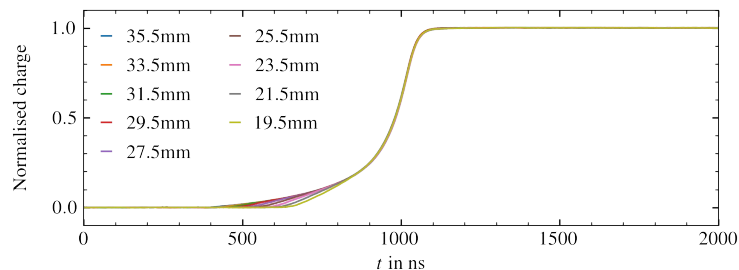


Pulse Shape Library

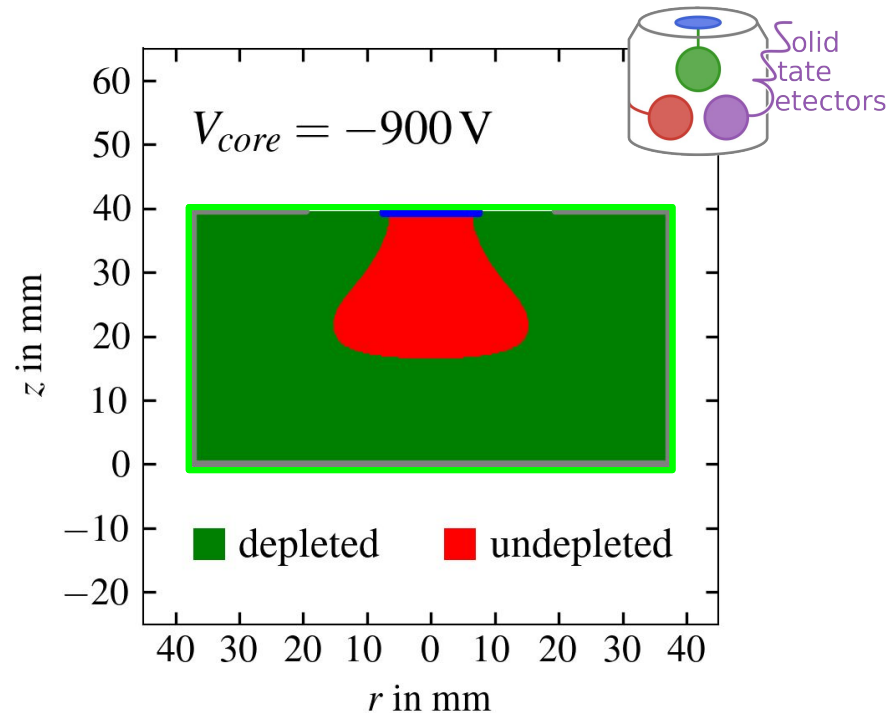
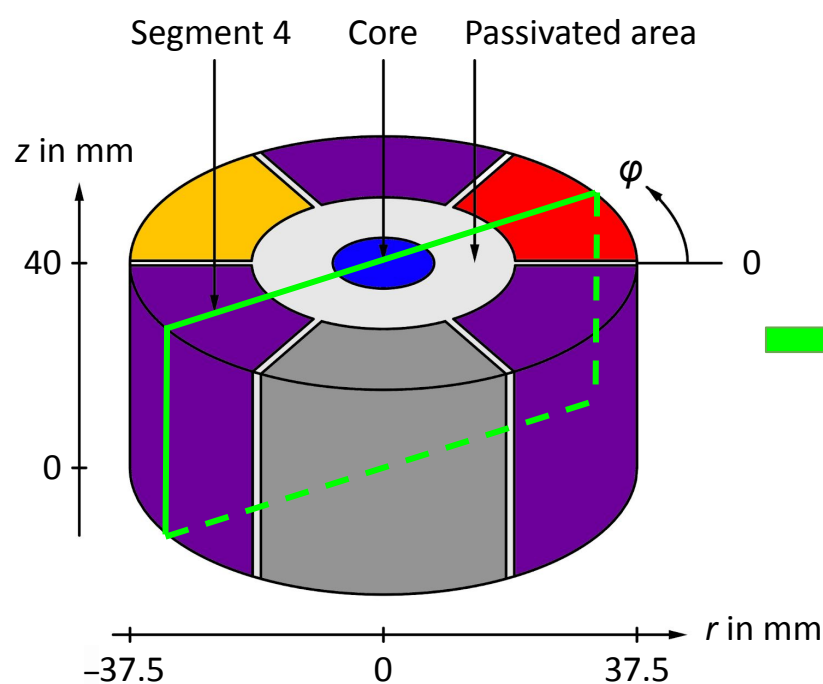
Waveforms from data at $R = 25.5\text{mm}$, $\varphi = 50.8^\circ$, $z = 20\text{mm}$



Comparison to Simulation

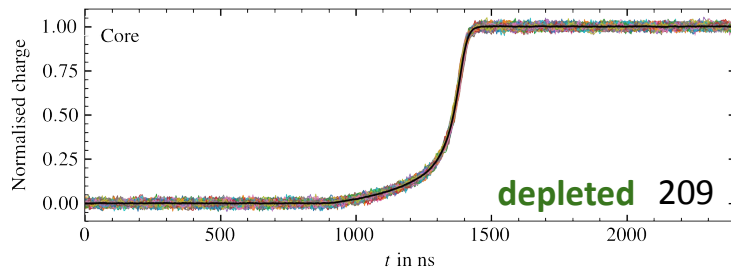


Simulated Depletion Behaviour of the segBEGe Detector

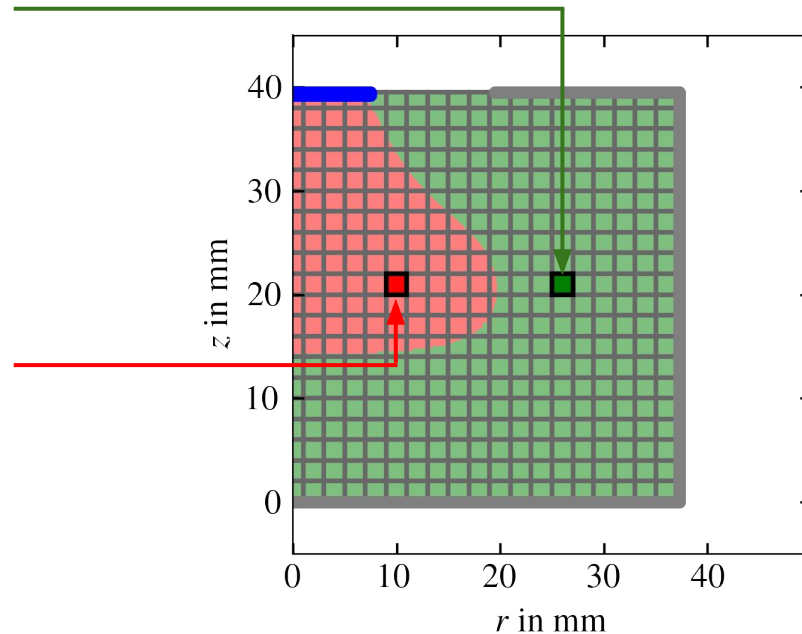
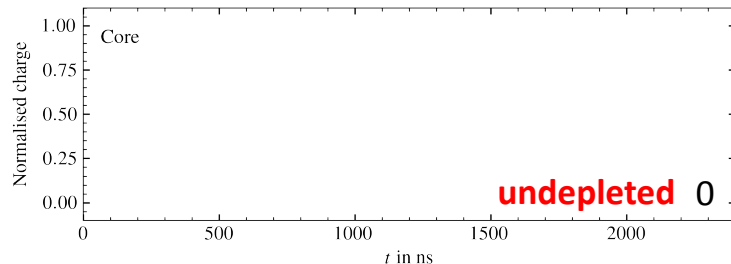


Compton Imaging of Undepleted Regions

From events with **2 hits** in the camera:



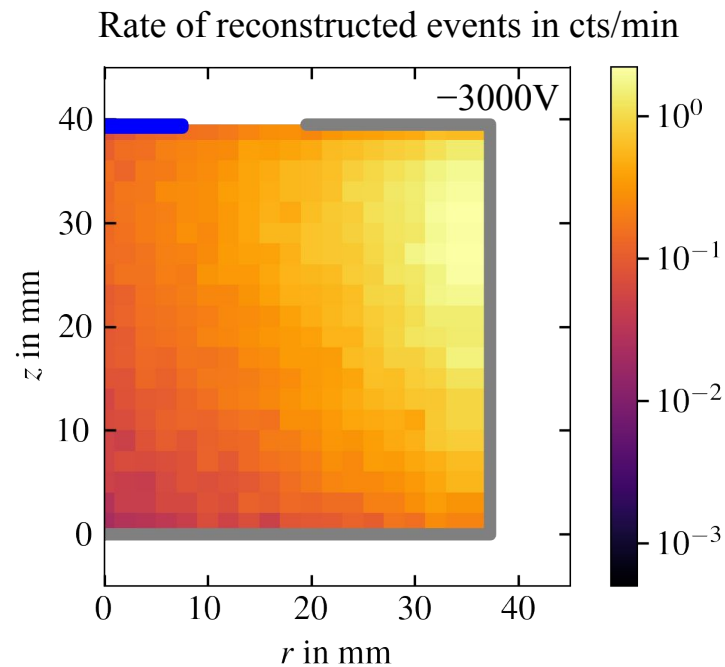
From events with **2 hits** in the camera:



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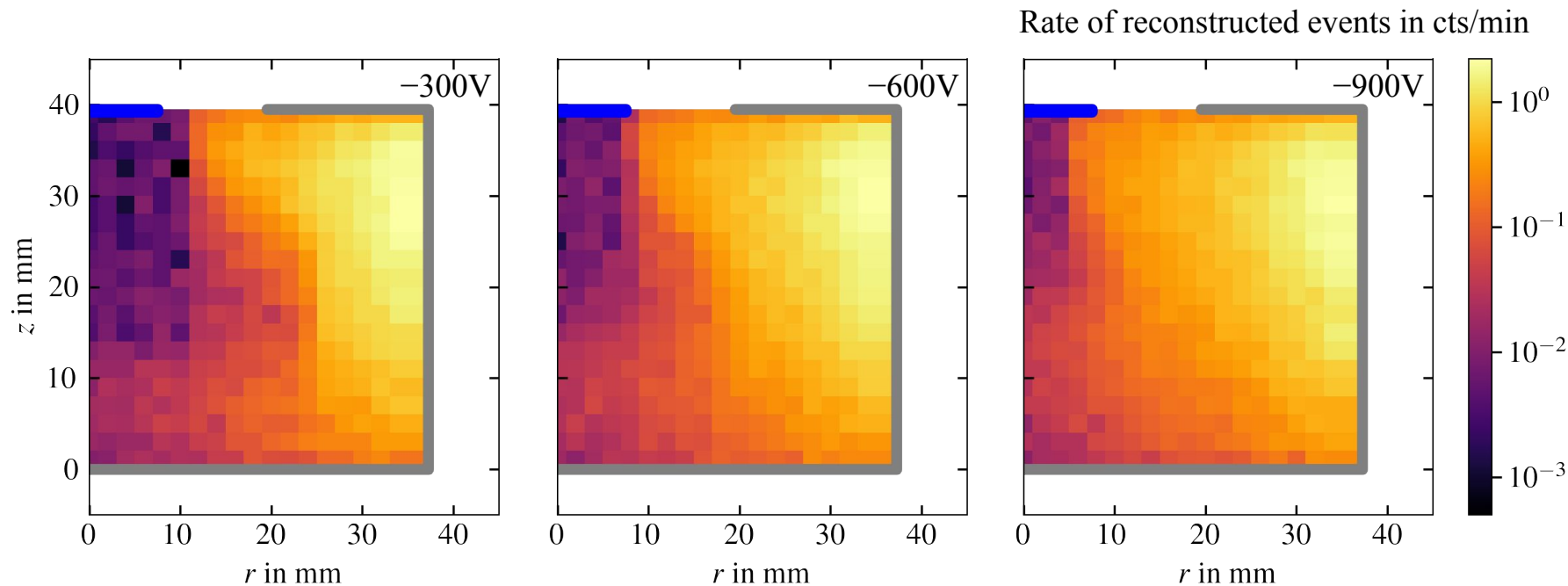
Rates of Compton Reconstructed Events



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Rates of Compton Reconstructed Events



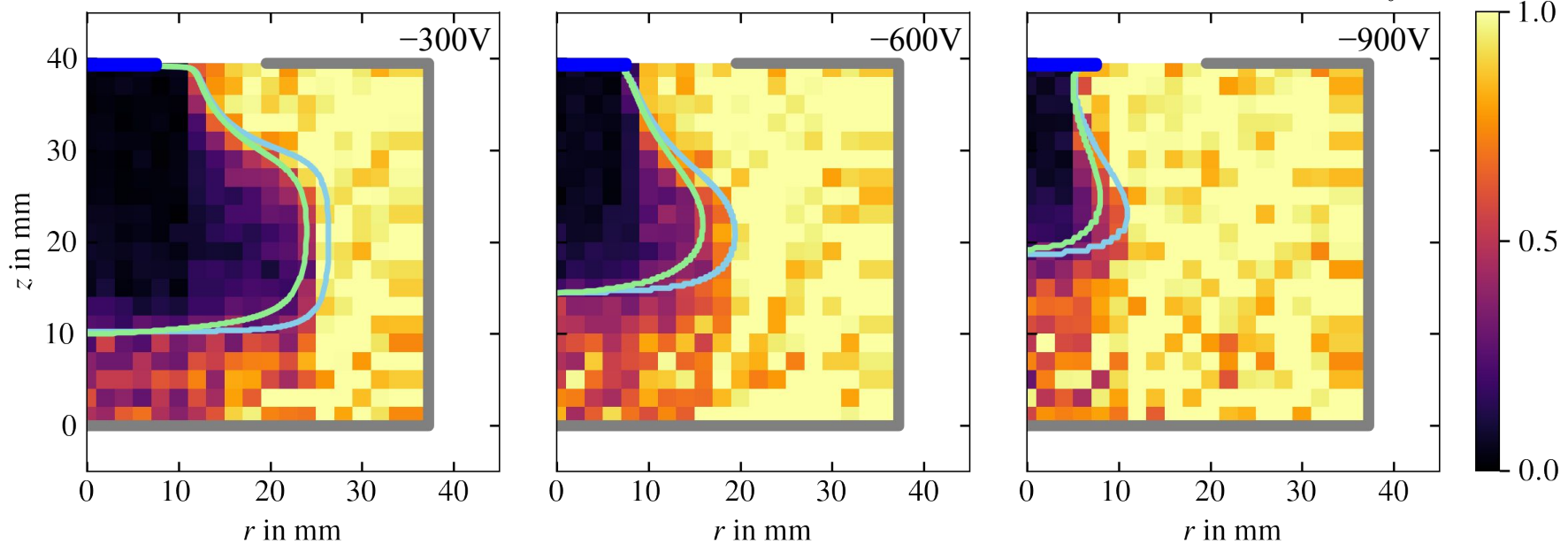
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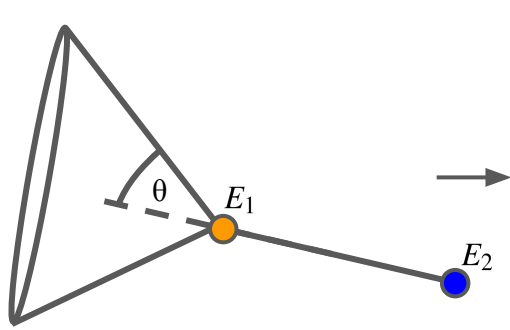
Comparison to Simulation



- Simulated undepleted region using the manufacturer values (scaled by a factor to match the measured depletion voltage)
- Simulated undepleted region using an impurity profile with a linear radial dependence: $\rho(r) = \rho_0 \cdot (1 - r/R)$

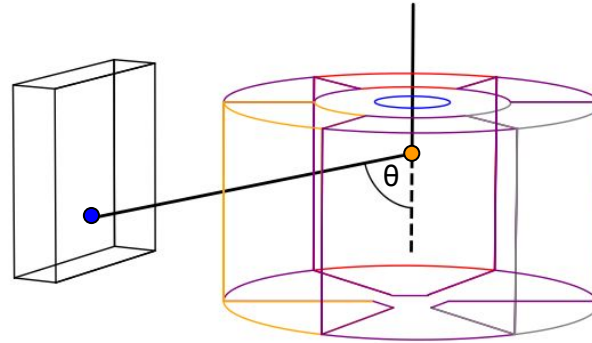


Summary



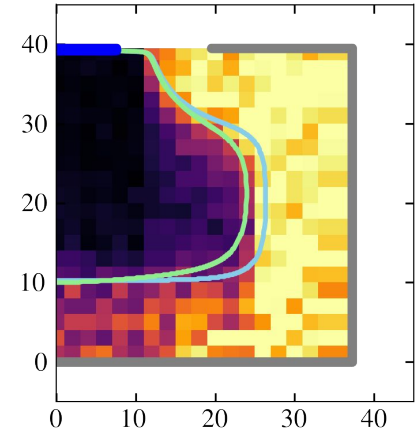
Compton imaging

R.W. Todd *et al.*, Nature **251**: 132 (1974)
doi:10.1038/251132a0



Experimental setup:
Compton Scanner

I. Abt *et al.*, Eur. Phys. J. C **82**: 936 (2022)
doi:10.1140/epjc/s10052-022-11064-8, arXiv: 2202.03116



Compton imaging allows
to study pulse shapes and
depletion behavior

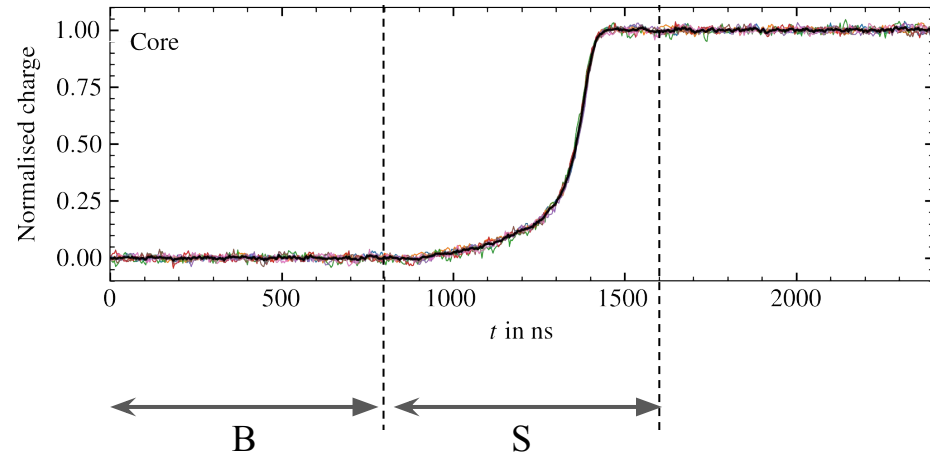
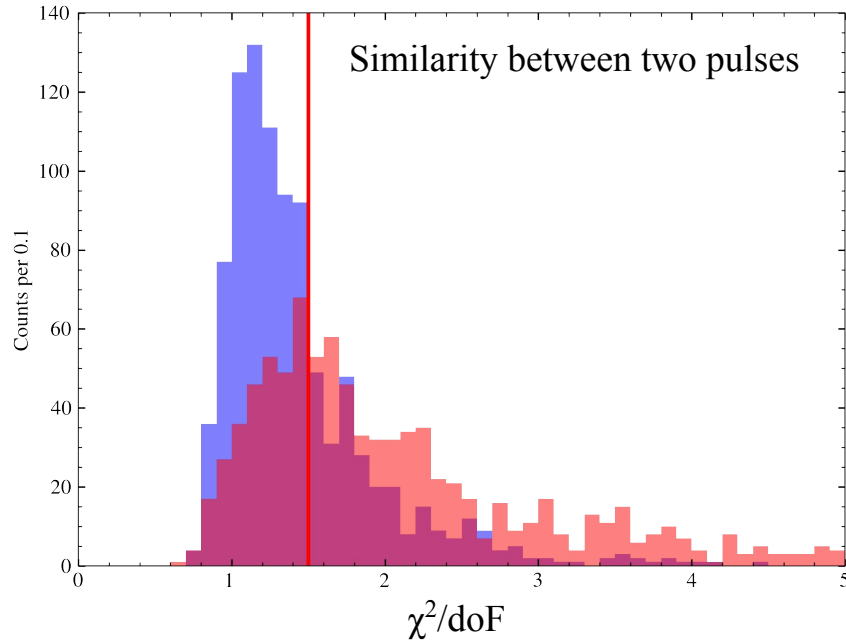


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Backup

Similarity cut



Contributions to the Electric Potential

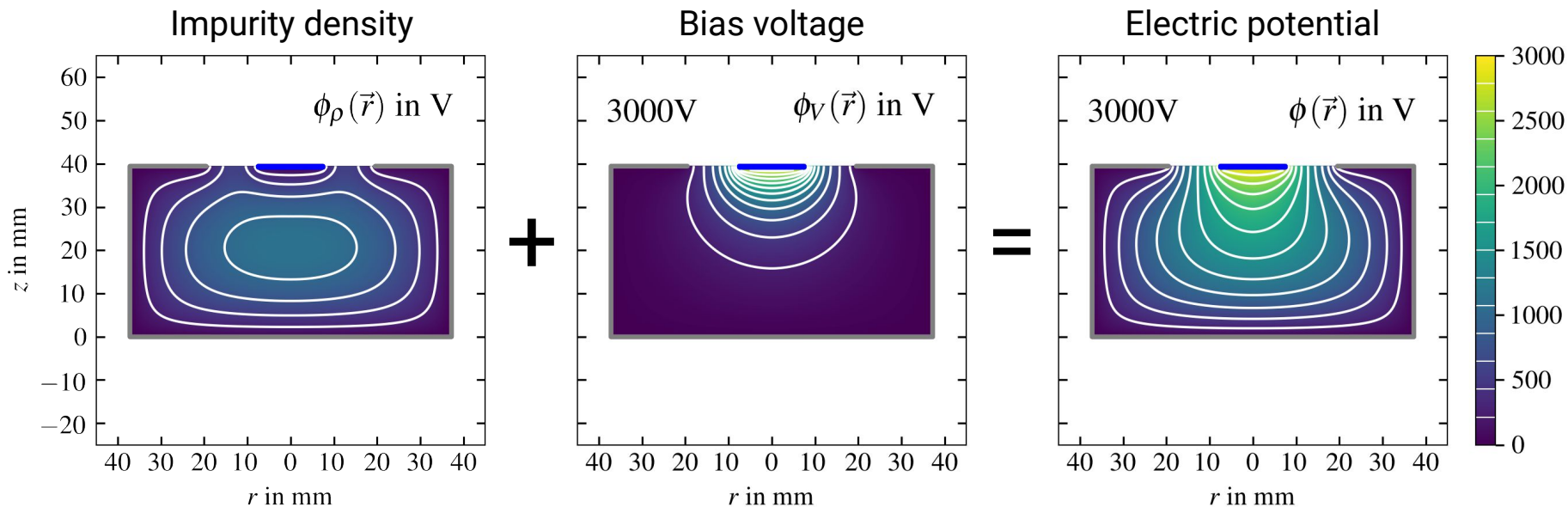
$$\nabla^2 \phi(\vec{r}) = -\frac{\rho(\vec{r})}{\varepsilon} \quad \phi(\vec{r})|_{S_i} = V_{B,i}$$

$$\phi_\rho(\vec{r}) + \phi_V(\vec{r}) = \phi(\vec{r})$$

$$\begin{aligned} \nabla^2 \phi_\rho(\vec{r}) &= -\frac{\rho(\vec{r})}{\varepsilon} & \nabla^2 \phi_V(\vec{r}) &= 0 \\ \phi_\rho(\vec{r})|_{S_i} &= 0 & \phi_V(\vec{r})|_{S_i} &= V_{B,i} \end{aligned}$$



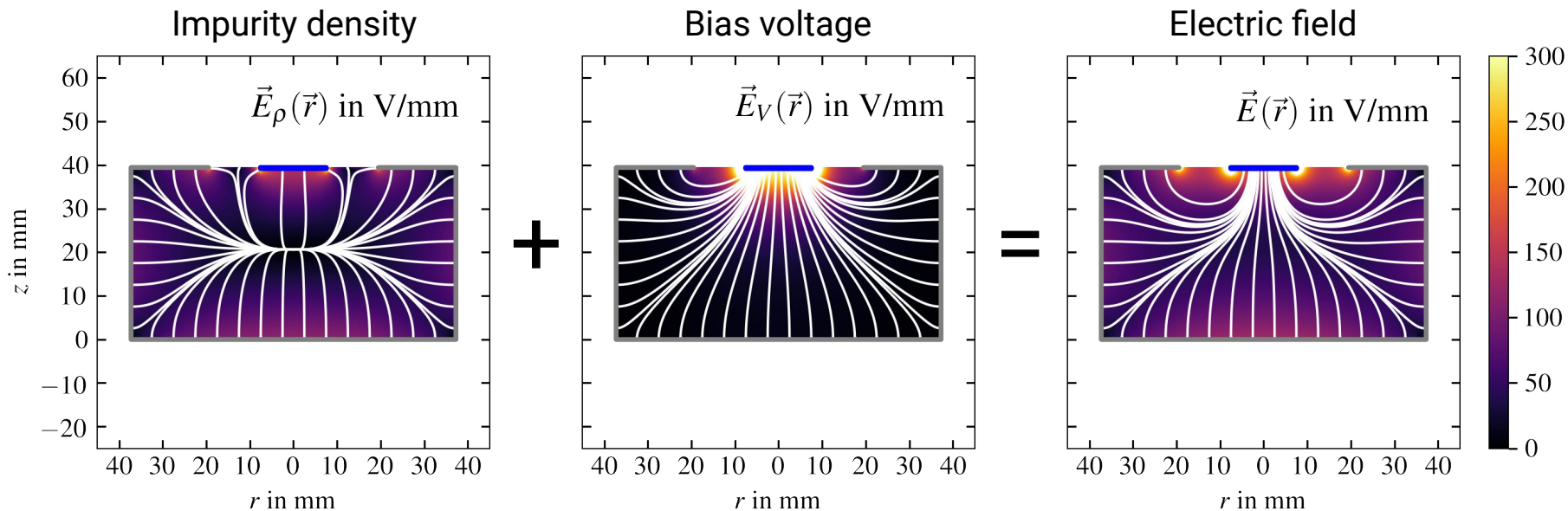
Contributions to the Electric Potential



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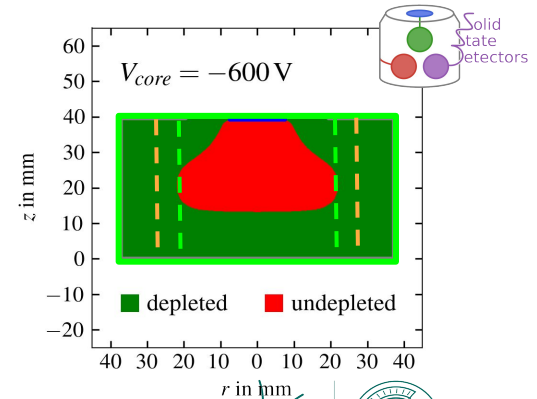
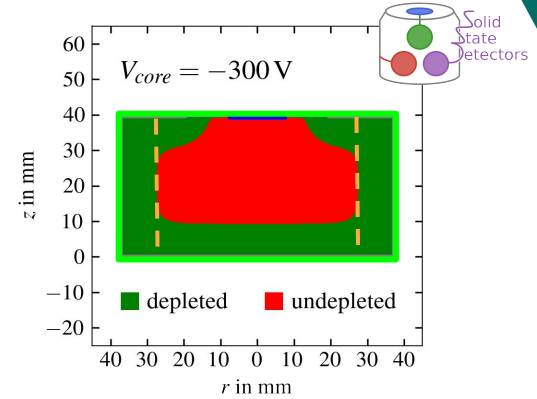
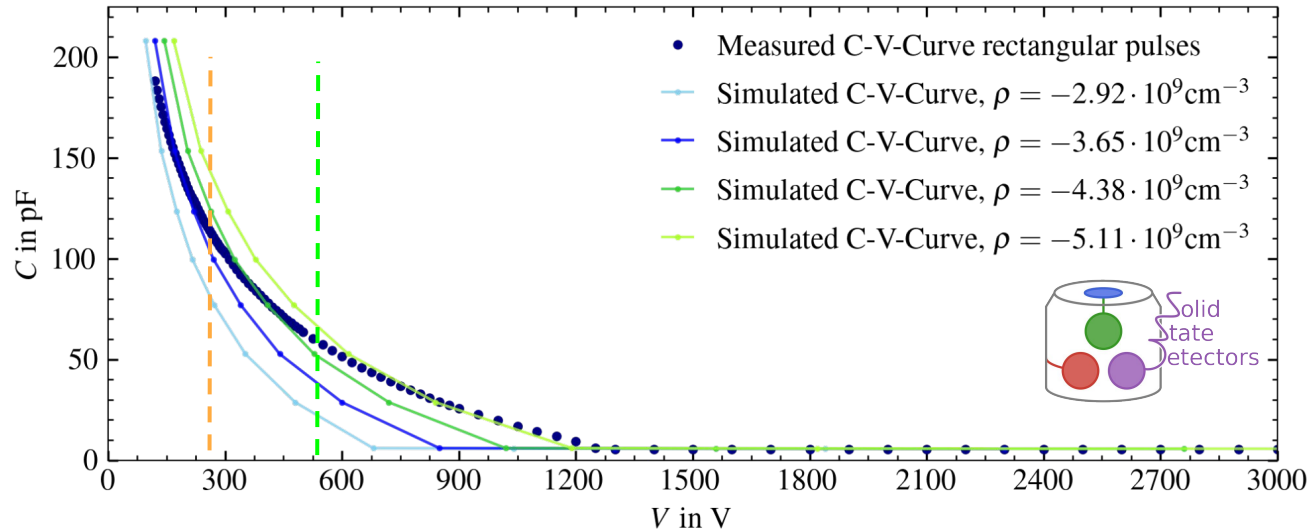
Contributions to the Electric Field



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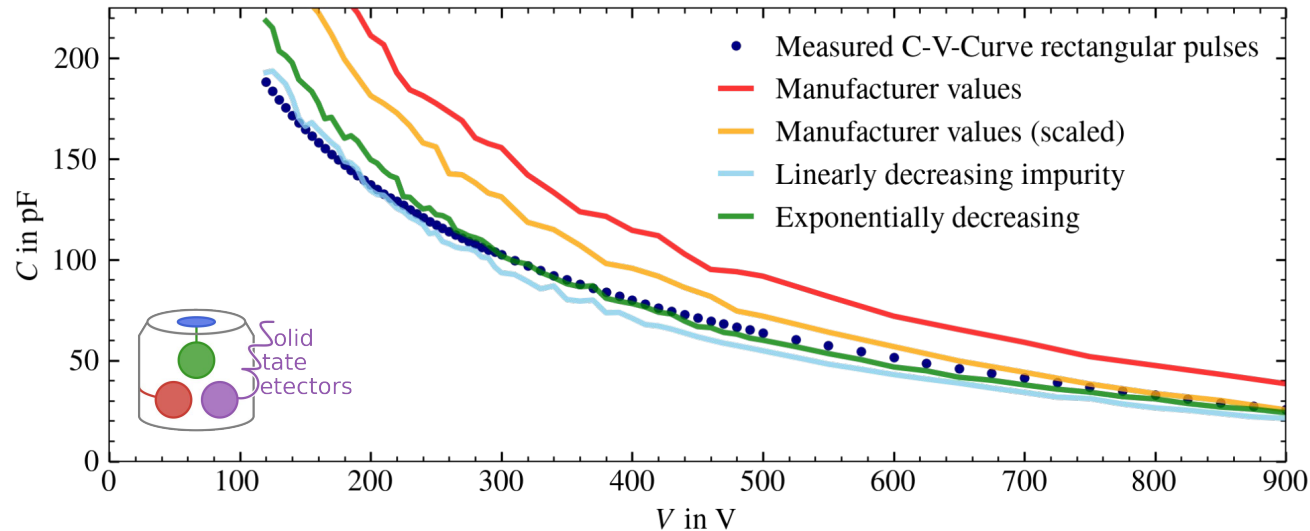
Estimating the Radial Component from CV Measurements



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Estimating the Radial Component from CV Measurements



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